

# Building a Quantum Experiment: Fundamental Physics with Atomic Clocks

National Tsing Hua University

16th Particle Physics Phenomenology Workshop

Prof. Steven Worm

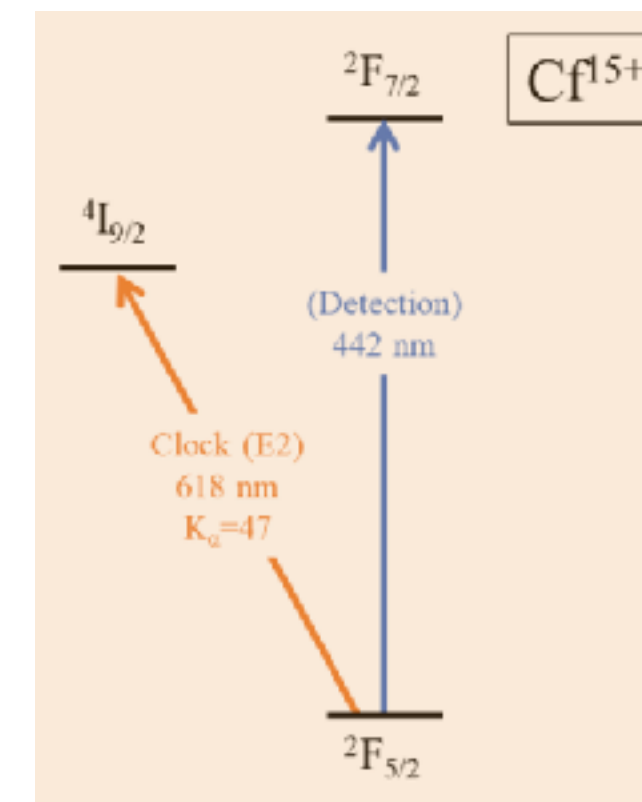
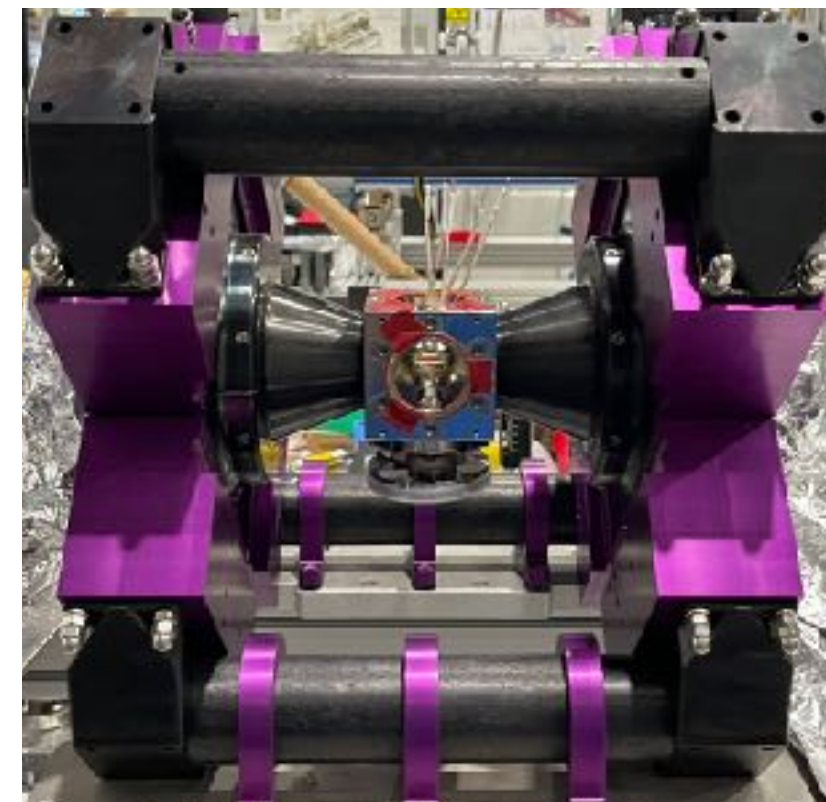
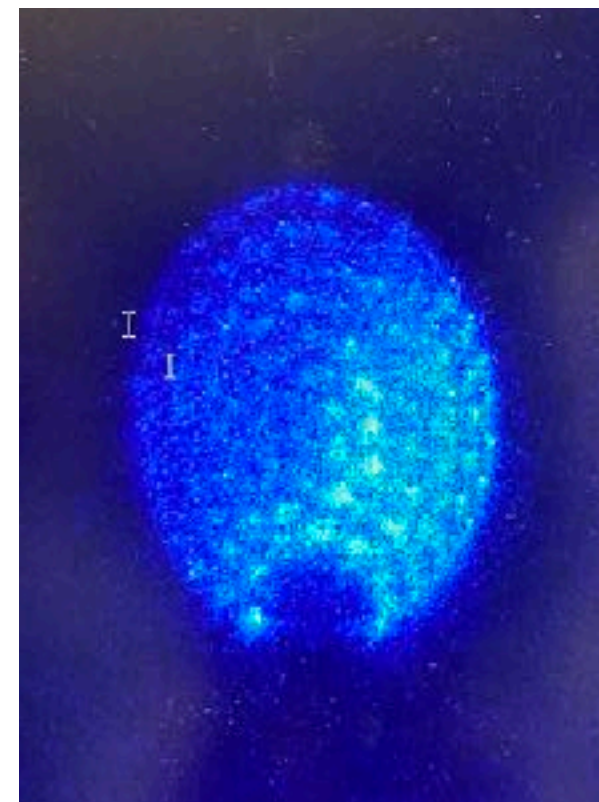
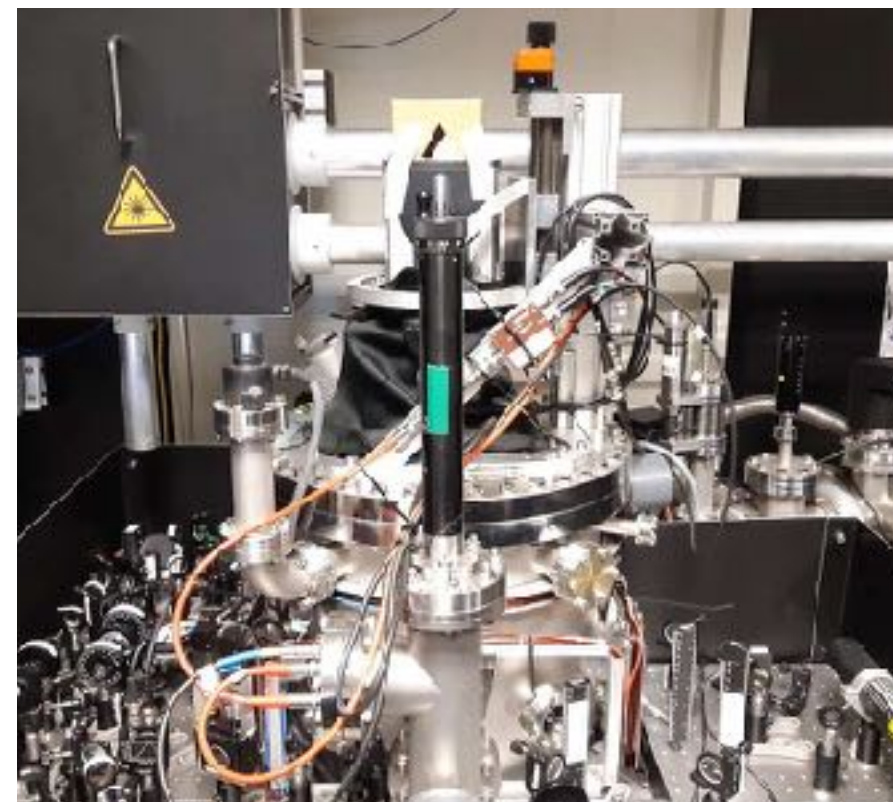
Deutsches Elektronen-Synchrotron (DESY) / Humboldt-Universität zu Berlin

June 18, 2026



DESY.  
QUANTUM

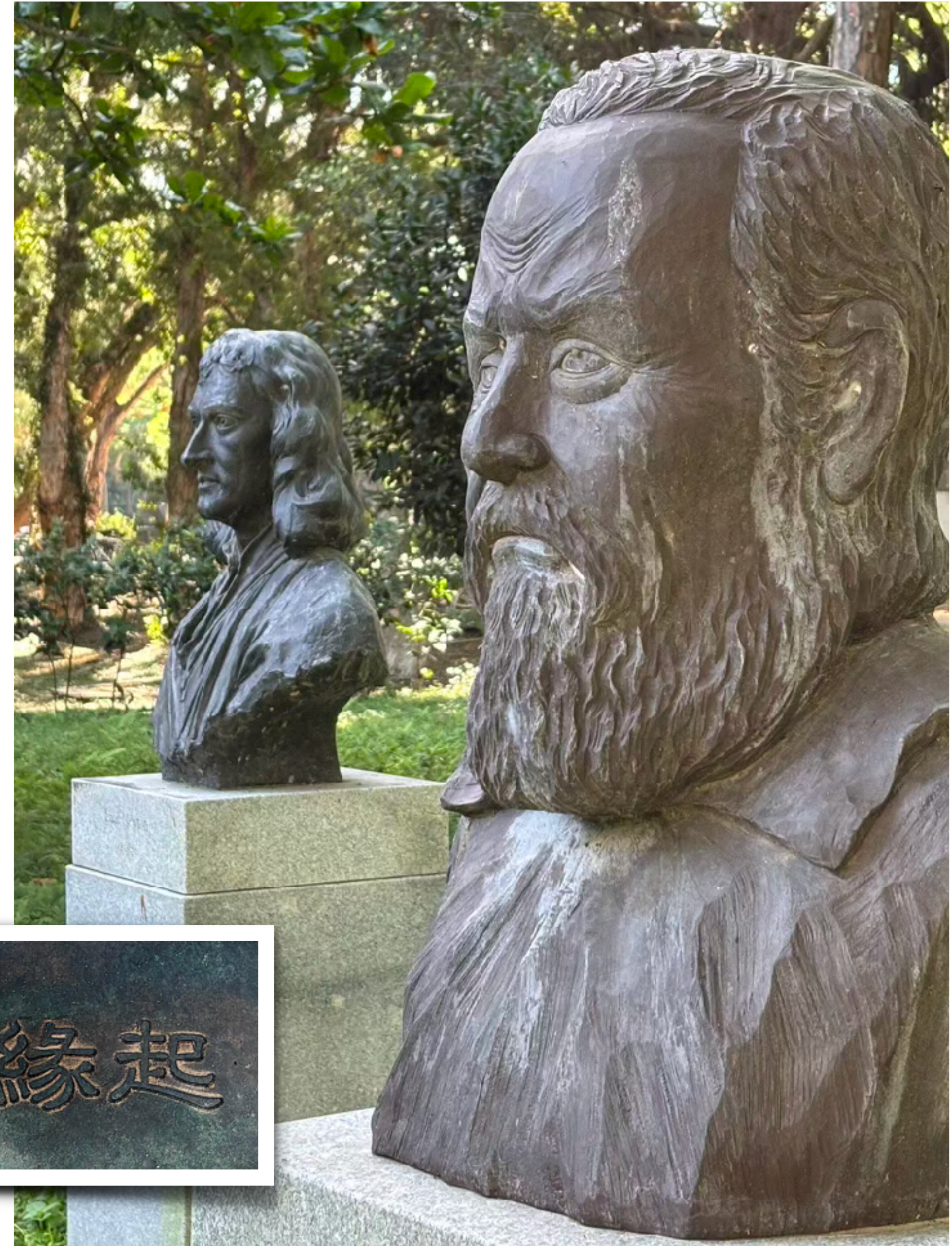
Center for  
Quantum Technology  
and Applications



# Outline

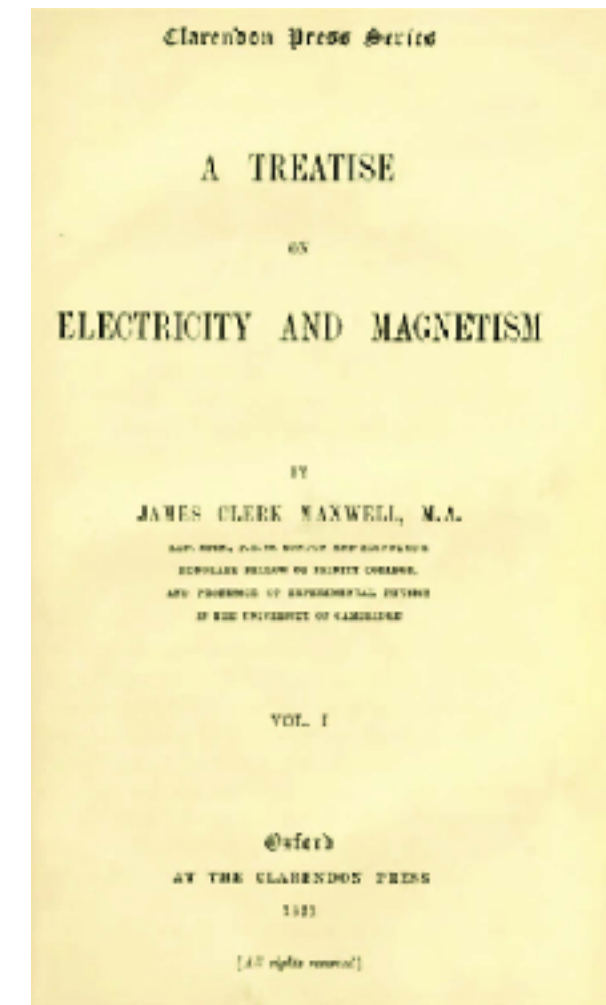
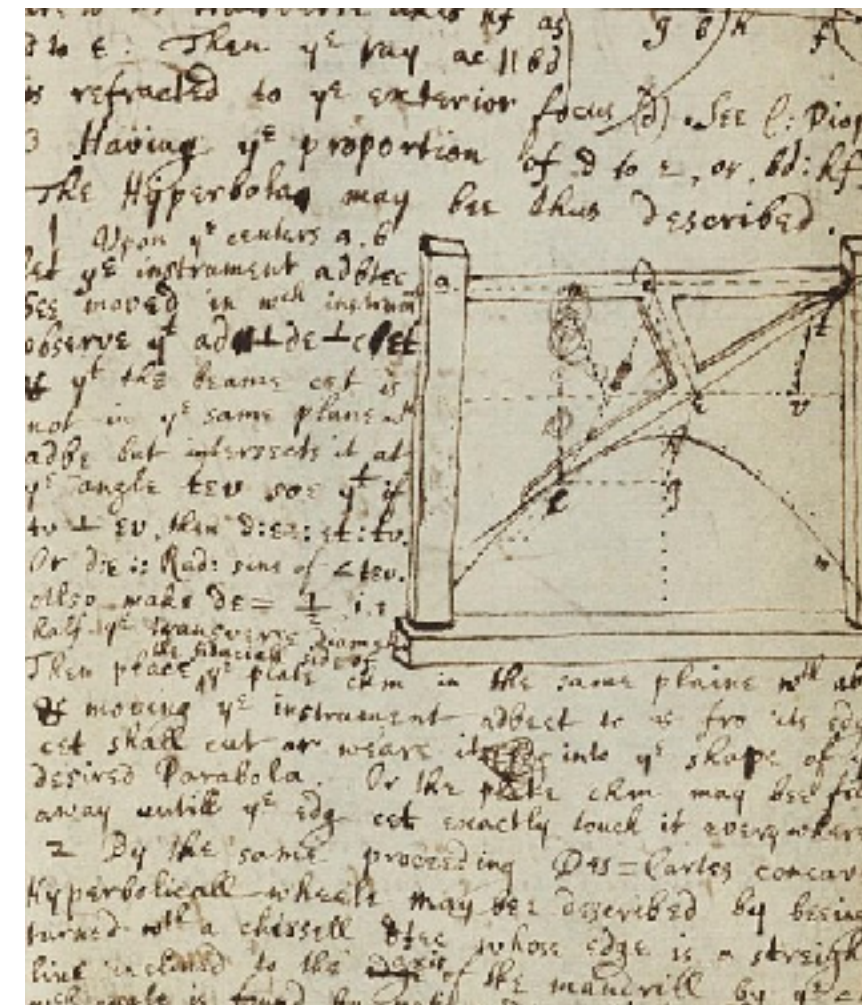
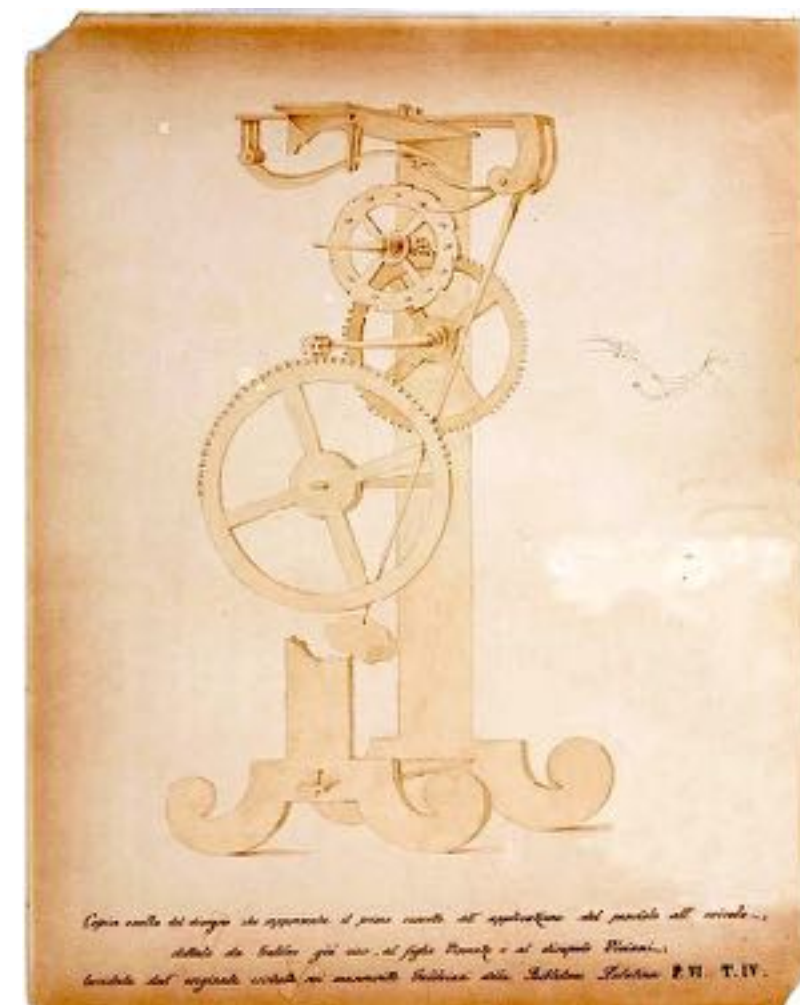
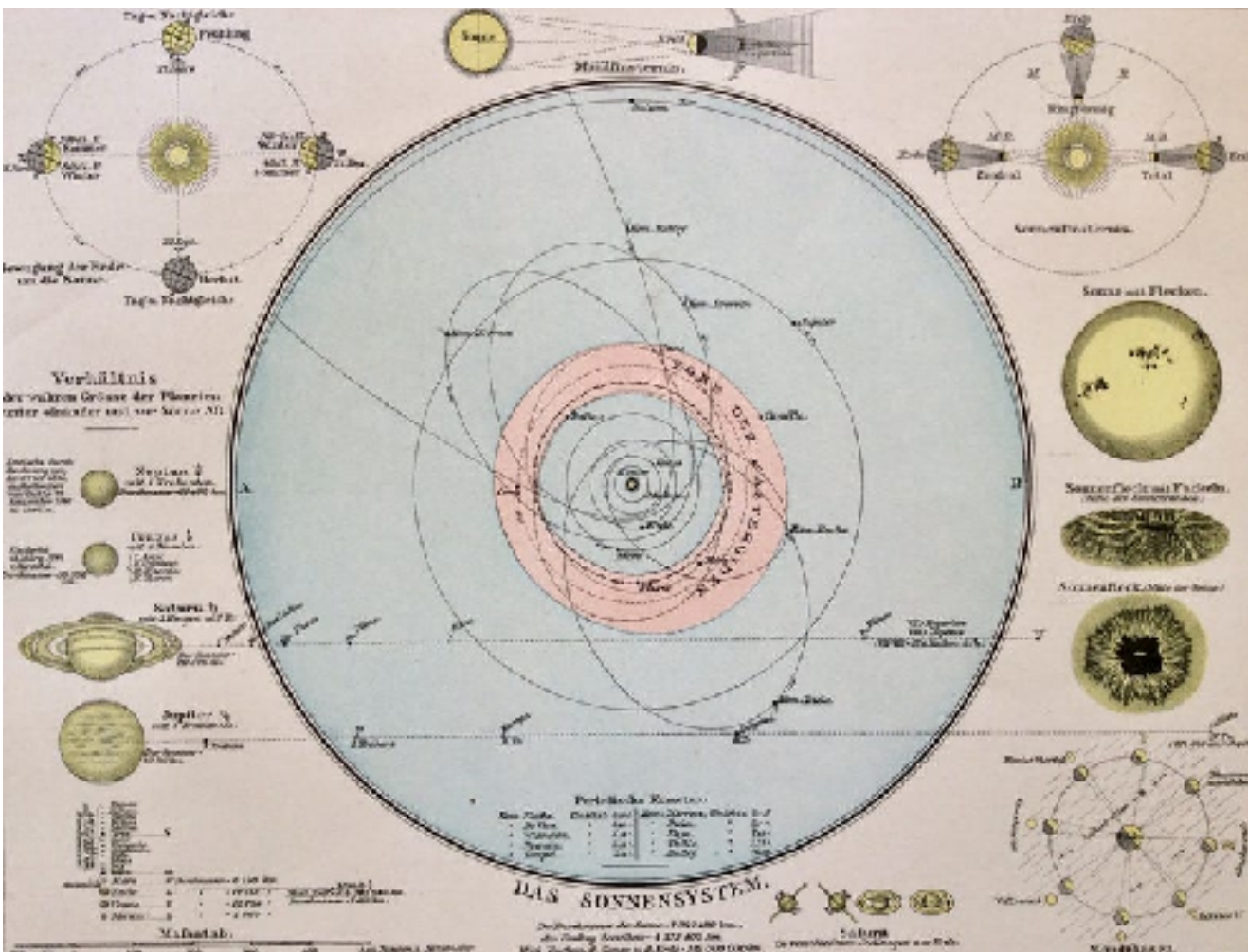
- Clocks in History
- Clock Basics
- What makes a good clock?
- Physics with a Clock
- Networks of Clocks
- The Future?

# Galileo & Newton in the Garden



# Revolutionary Clocks for Science

- Galileo proposed the pendulum clock - to fix longitude for astronomical observations (1637)
- Huygens made the first pendulum clocks (1656); essential for astronomy, navigation, mapping the earth
- Newton used pendulum clocks for gravity experiments (1687)
- Maxwell proposed using atoms as natural standard units of time (and length) in 1879
- Many advances driven by science needs/discoveries, which in turn enables new science



Astronomical predictions for the Solar System

Galileo's pendulum clock design

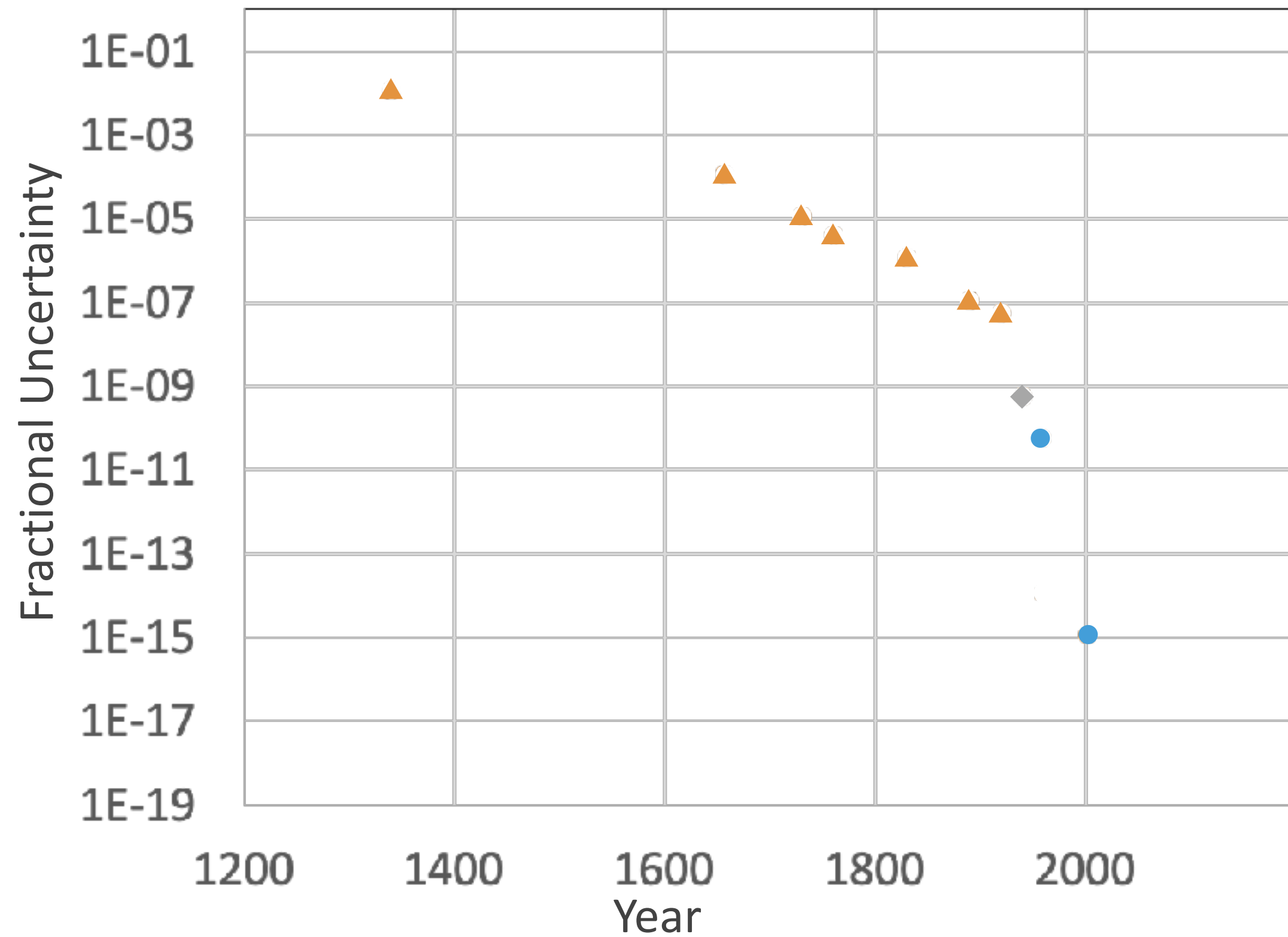
Newton's tests of gravity

Remapping of France with pendulum clocks

Maxwell: atoms as clocks?

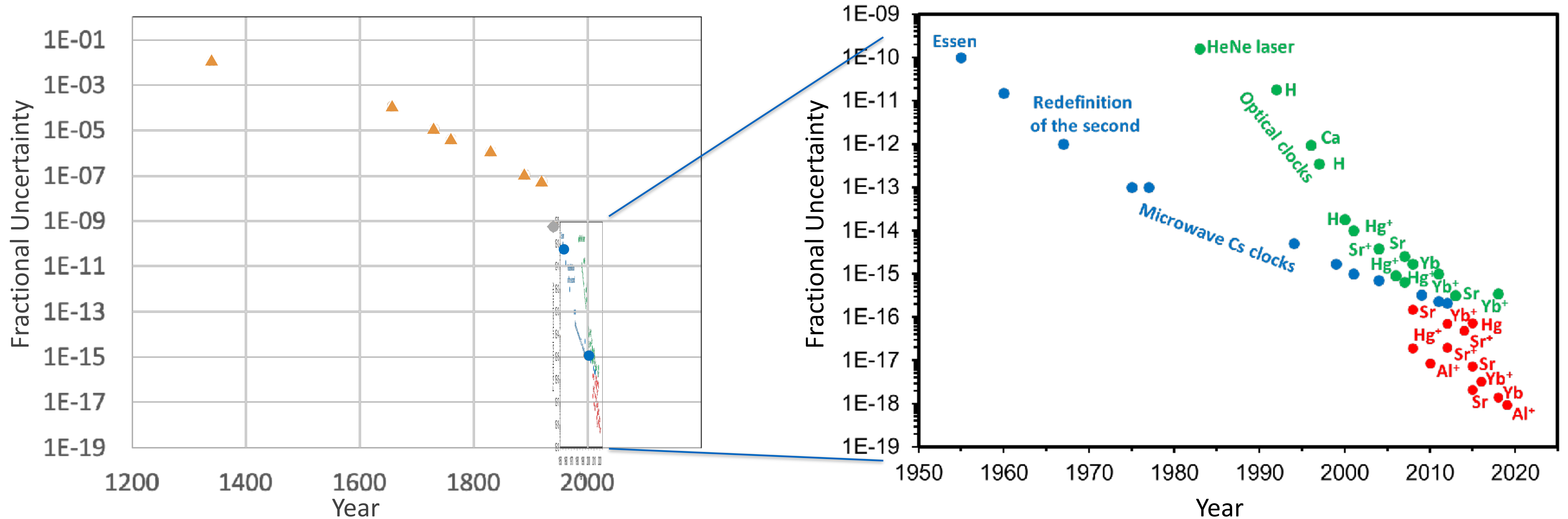
# Fractional Uncertainty of Clocks vs. Year

- Mechanical ▲
- Crystal ◆
- Atomic (microwave) ●



# Fractional Uncertainty of Clocks vs. Year

- Mechanical ▲
- Crystal ◆
- Atomic (microwave) ●
- Atomic (optical in Hz) ●
- Atomic (optical w/ estimated uncertainty) ●

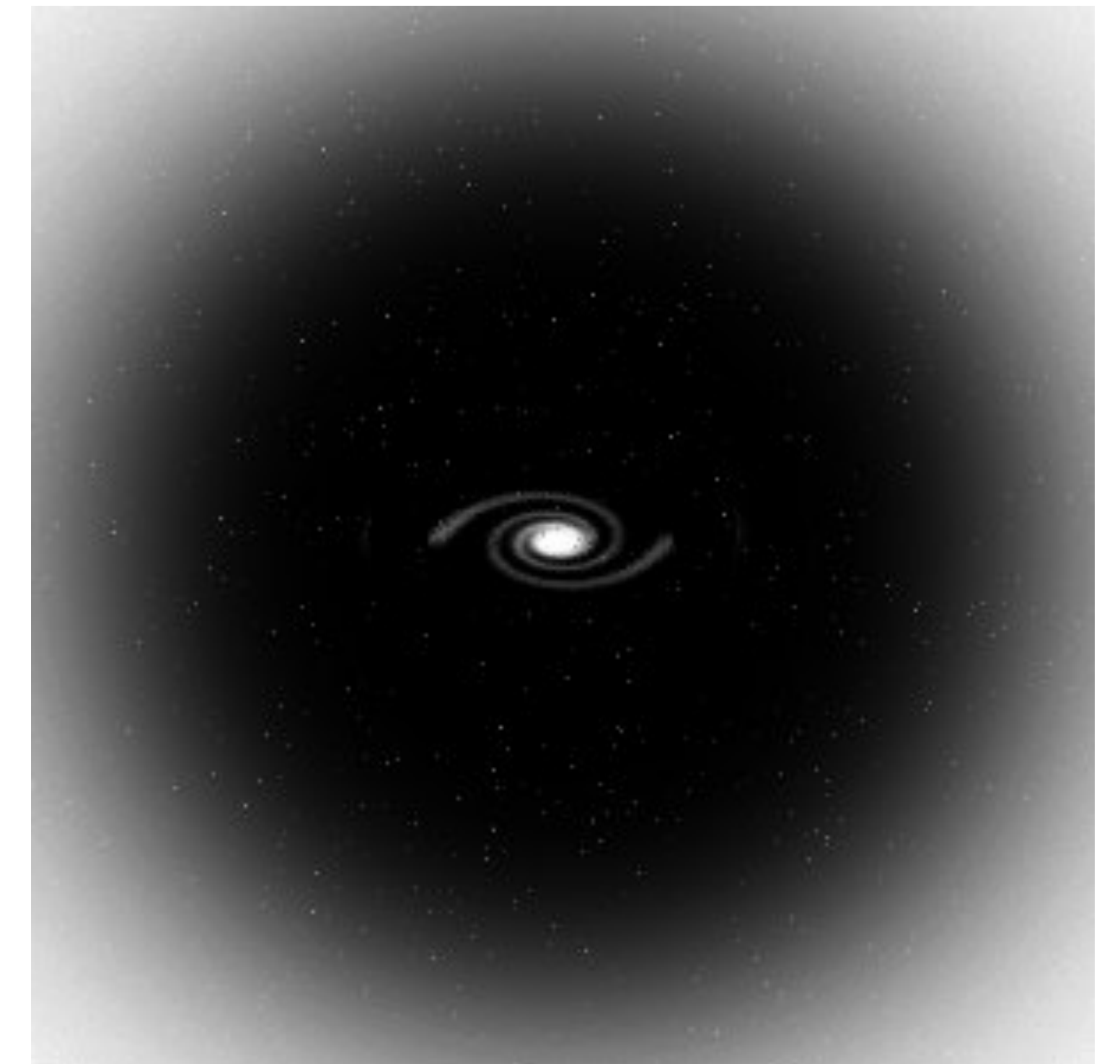
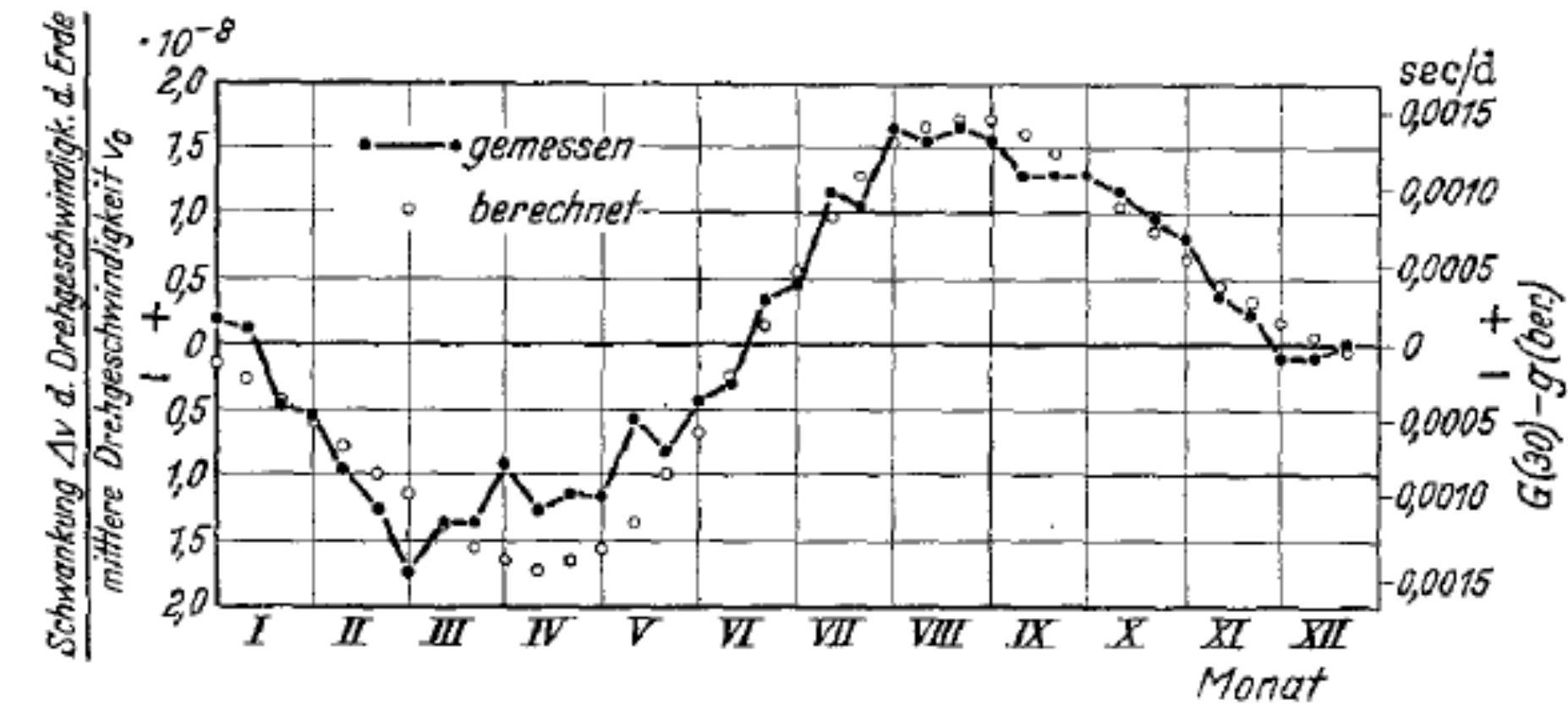


# What Science can you do with an Optical Atomic Clock?

Q: What (science) can you do with such a good clock??

A: Discover new stuff!

- Ultra-light Dark Matter, topological defects Dark Matter
- Local Lorentz Invariance
- 5th Forces
- Gravitational redshift
- Change in fundamental constants
- Dark Energy
- Gravitational Waves
- Equivalence Principle
- ...



# Clock Basics

- Clock parts: **oscillator** and **counter**
- Both parts are important, true especially for atomic clocks
- Earth is imperfect oscillator, same for man-made resonators
- Many different atoms available, and they are all the same



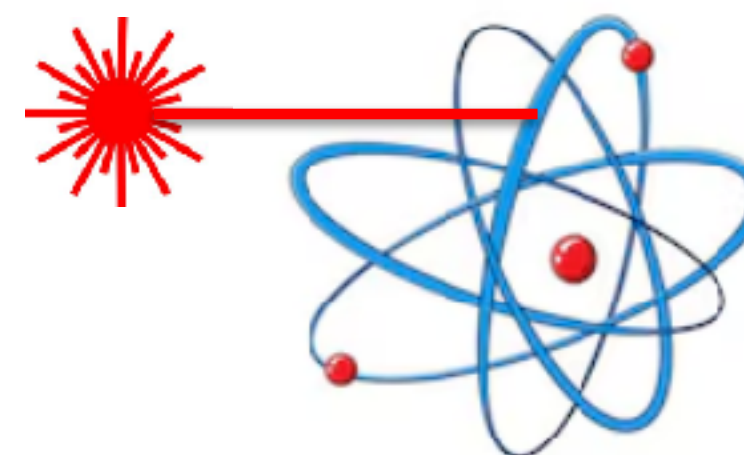
minutes



seconds



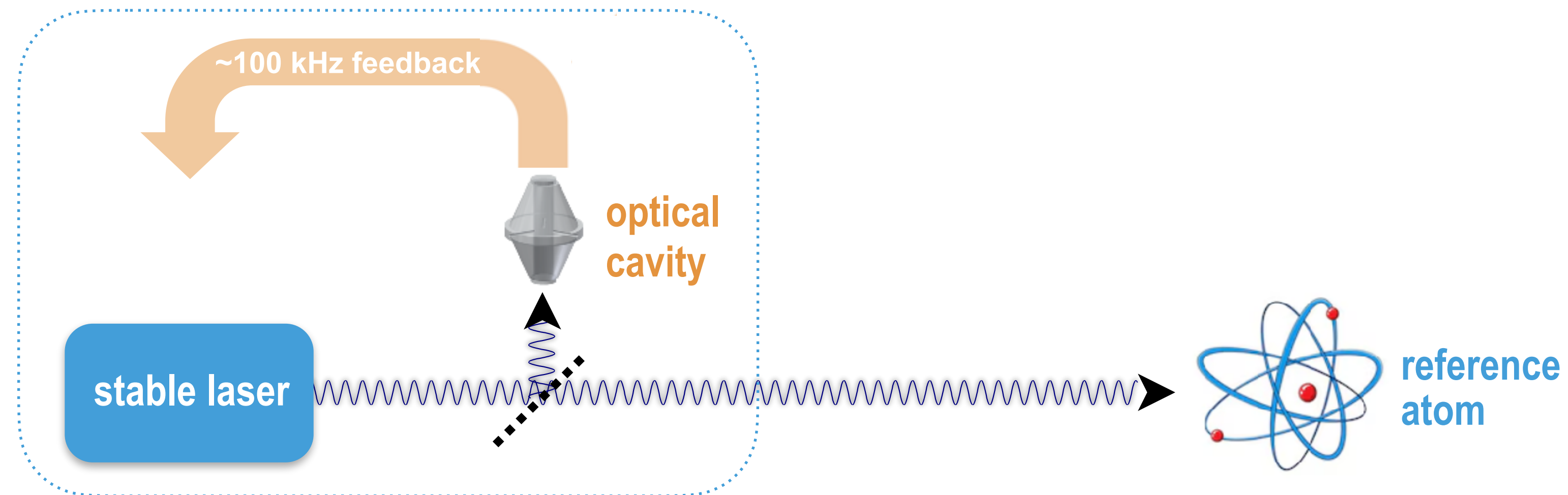
microseconds



< nanoseconds

# Optical Atomic Clocks

- Laser for oscillator, usually a narrow frequency around atomic transition
- Ultra-stable laser needed (e.g. referenced to a cavity)

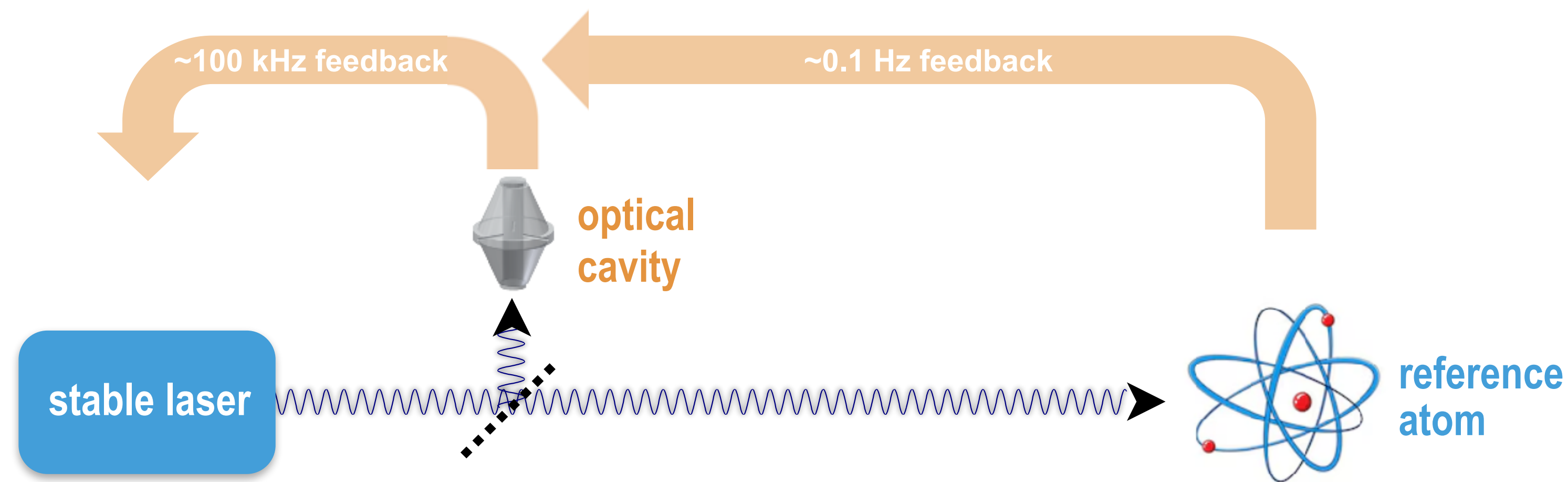
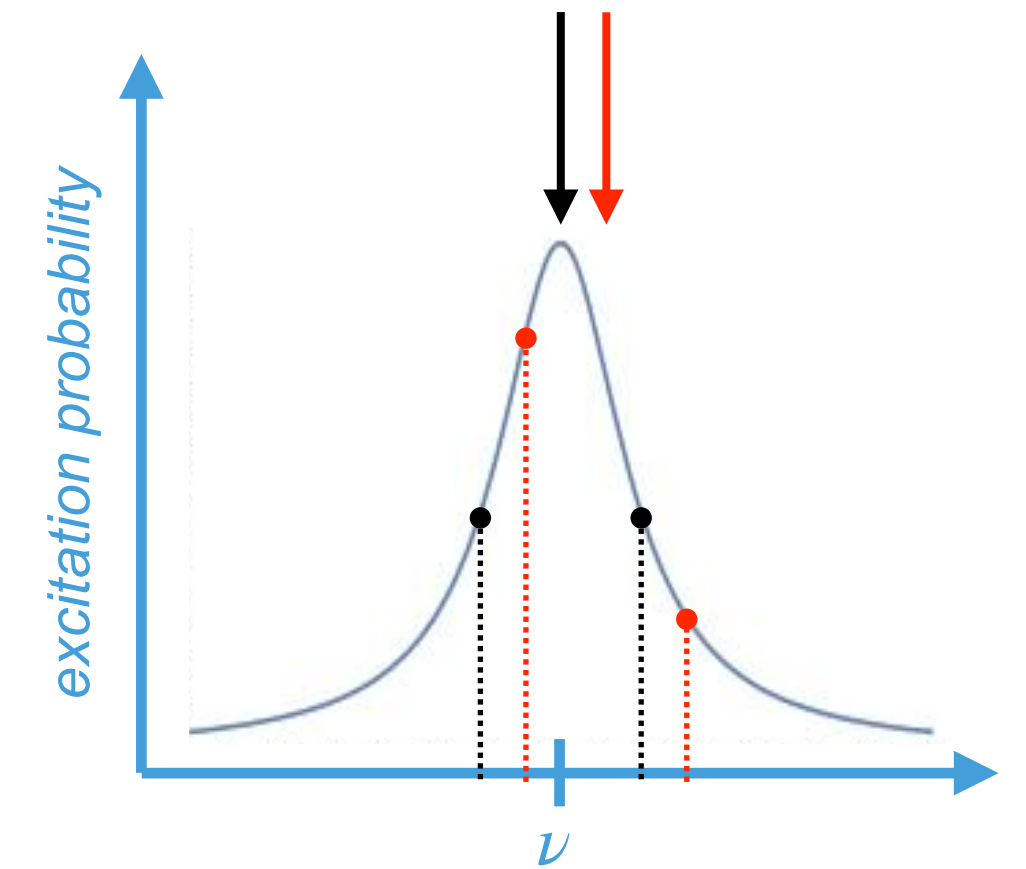


ultra-stable, narrow laser:

$$\Delta\nu \approx \mathcal{O}(1 \text{ Hz})$$

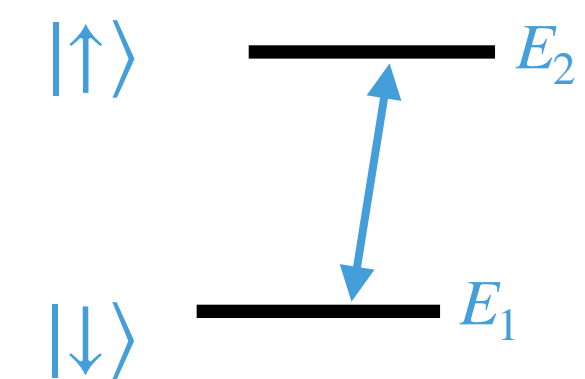
# Optical Atomic Clocks

- Laser for oscillator, usually a narrow frequency around atomic transition
- Ultra-stable laser needed (e.g. referenced to a cavity)
- Locked to atomic transition: frequency detuned/offset (e.g.  $\pm\Delta\nu$ ) to find max



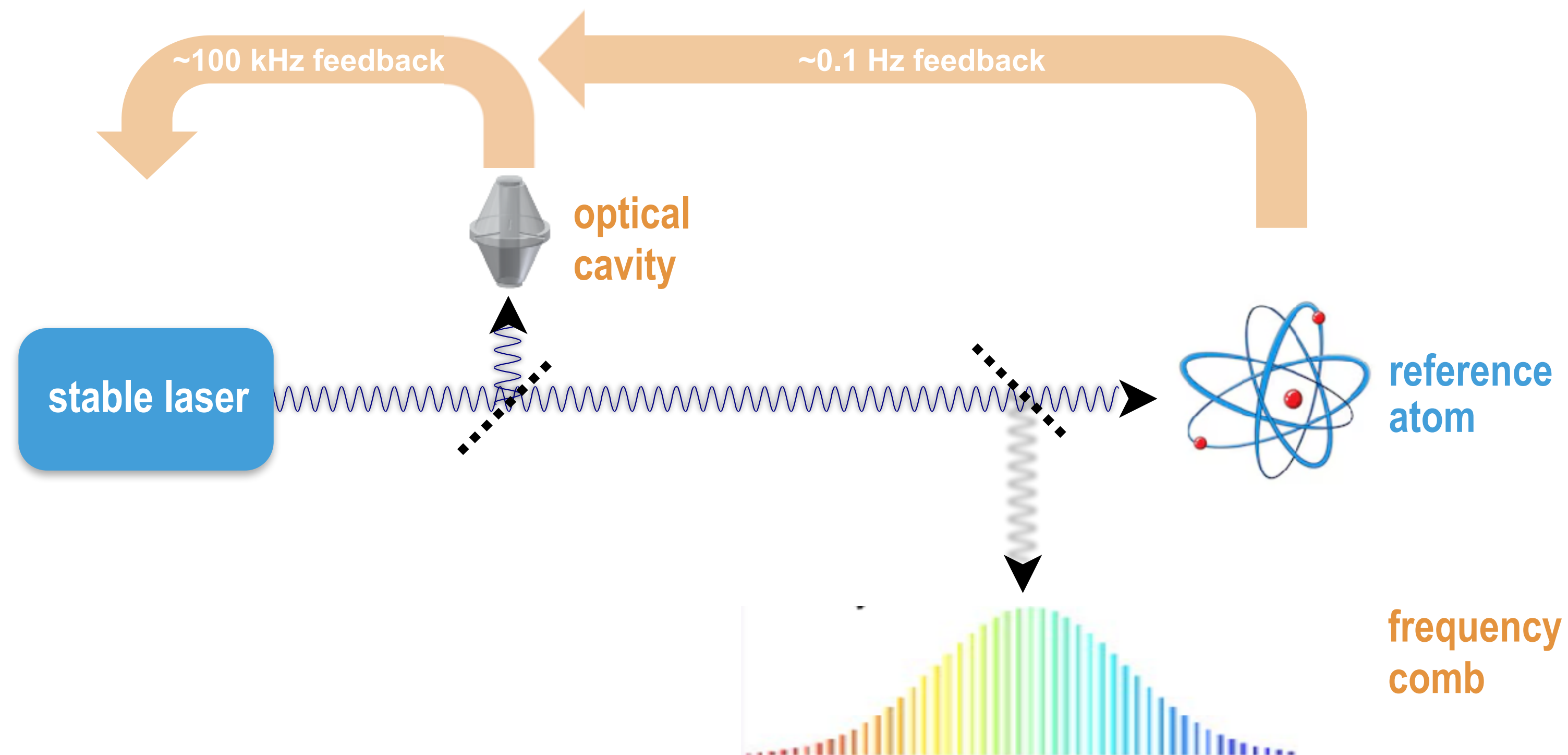
optical  $\nu$  :

$$\nu = \frac{E_2 - E_1}{h} \approx \mathcal{O}(10^{15} \text{ Hz})$$



# Optical Atomic Clocks

- Laser for oscillator, usually a narrow frequency around atomic transition
- Ultra-stable laser needed (e.g. referenced to a cavity)
- Locked to atomic transition: frequency detuned/offset (e.g.  $\pm\Delta\nu$ ) to find max
- Frequency comb used to link optical frequencies to countable microwave



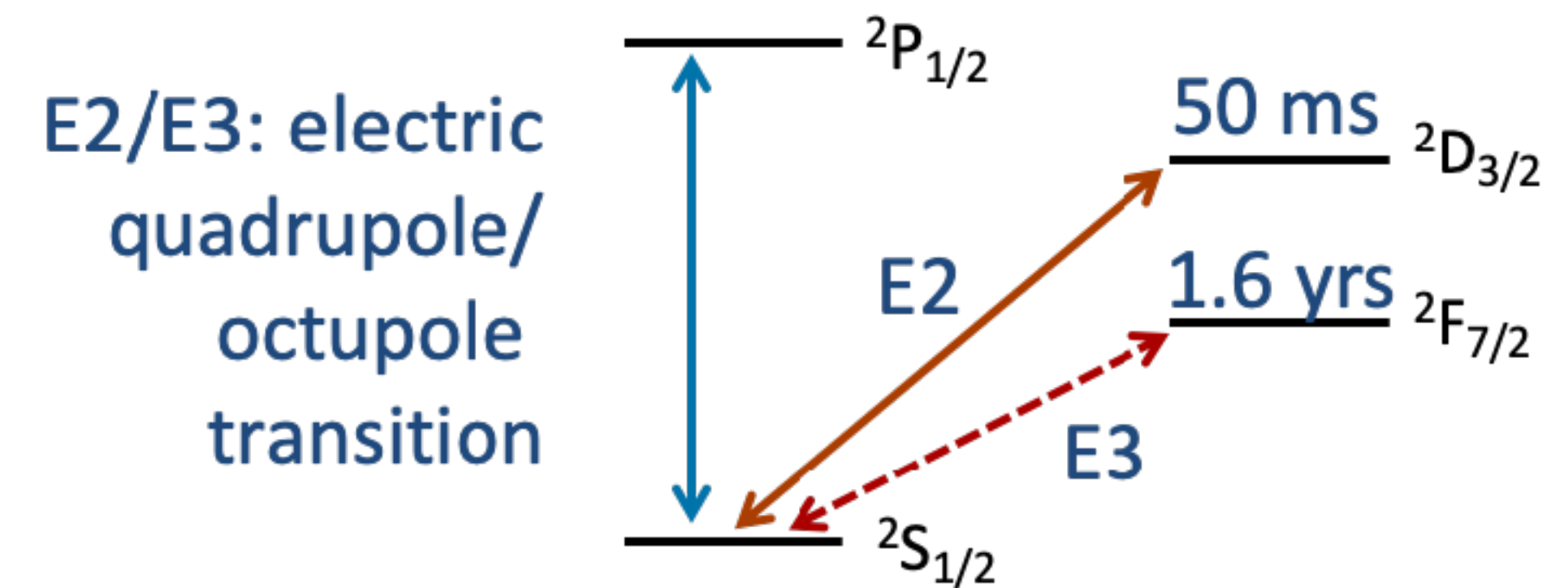
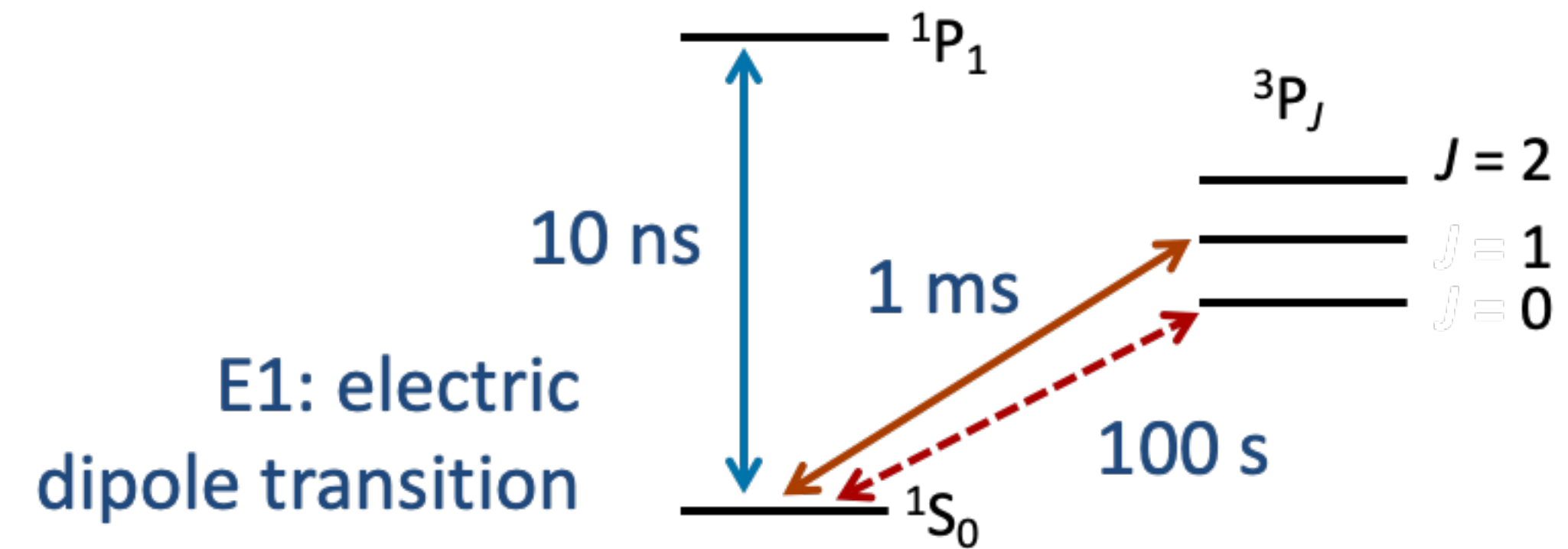
# What Makes a Good Atomic Clock?

- Choice of atom
- How to stabilise the oscillator
- Arrangement of atoms (trap, fountain, ...)
- Measurement choices & measuring ratios
- How to characterise the clock (Allan deviation, noise sources, etc)
- How to count really fast (Frequency Comb)



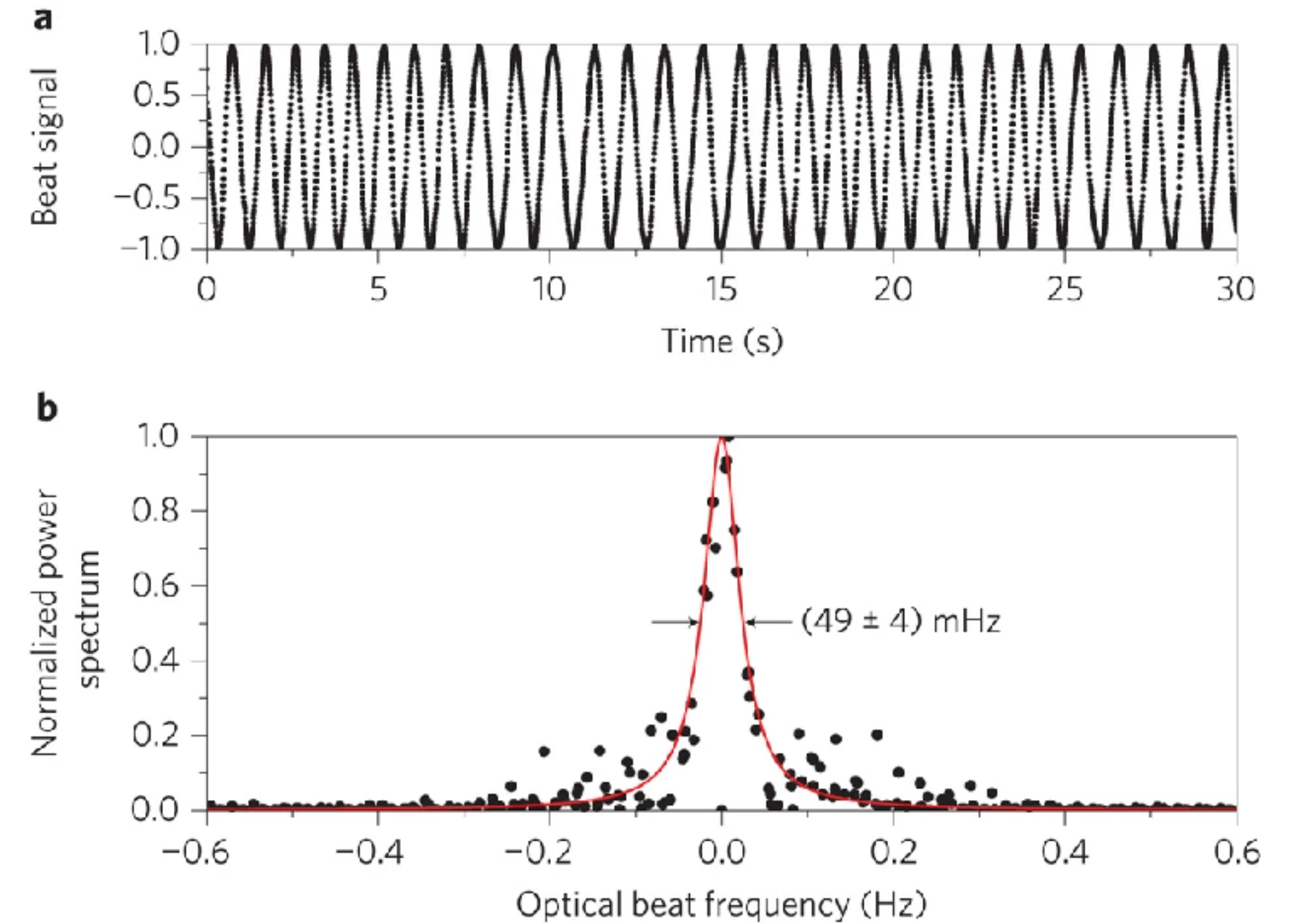
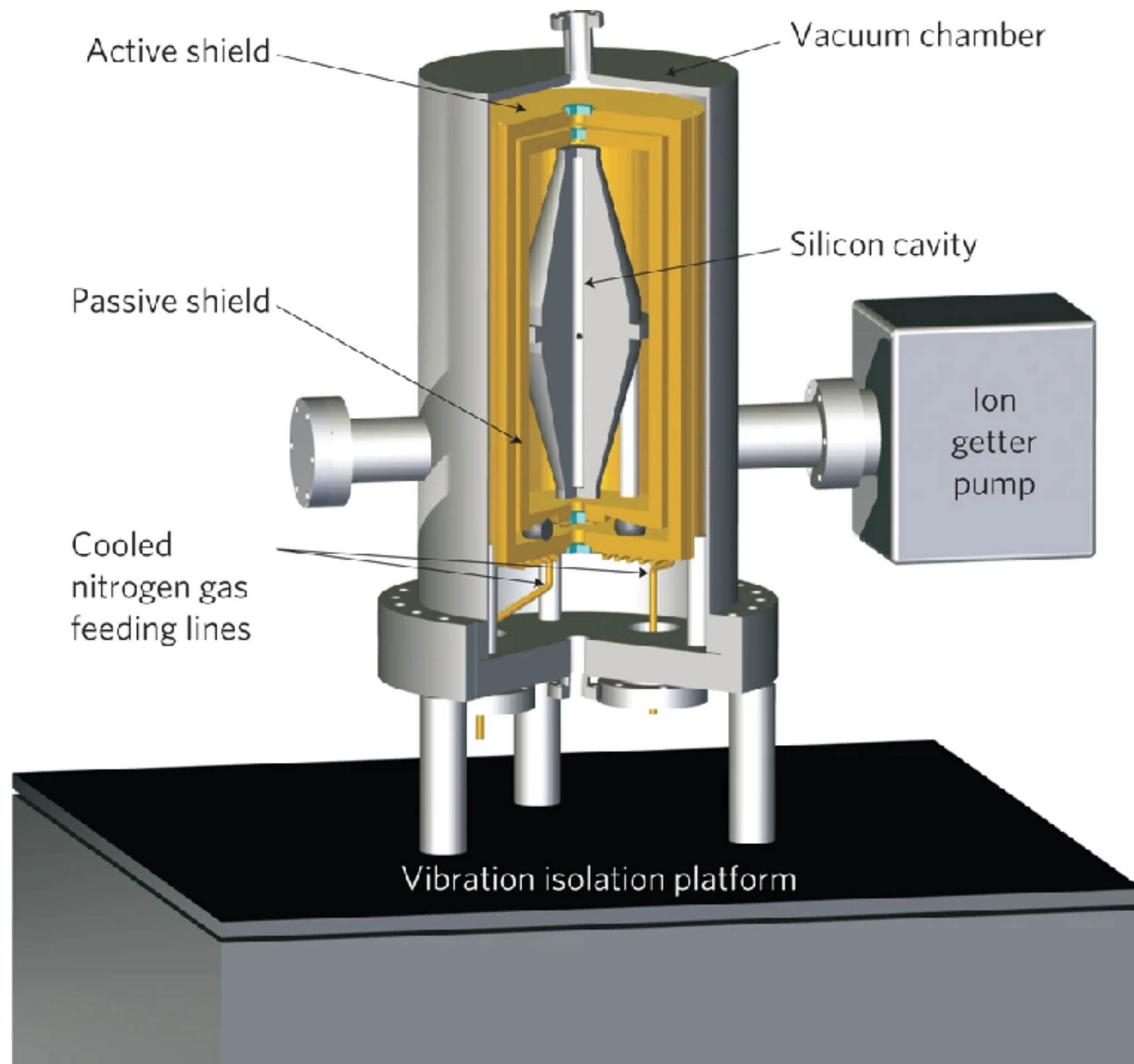
# Selecting an Atomic Reference

- Two requirements for the atom/transition:
  - long observation/interrogation time
  - narrow transition (can find the peak more precisely)
- Long-lived transitions are favourable
  - one minute or more... “forbidden” transitions
  - possible in some atoms with dipole transitions
  - more common for quadrupole/octupole transitions
- Other considerations:
  - convenient optical wavelengths
  - ease of preparation/operation
  - availability of atoms
  - sensitivity to external effects (low or high)



Strontium Level Diagrams

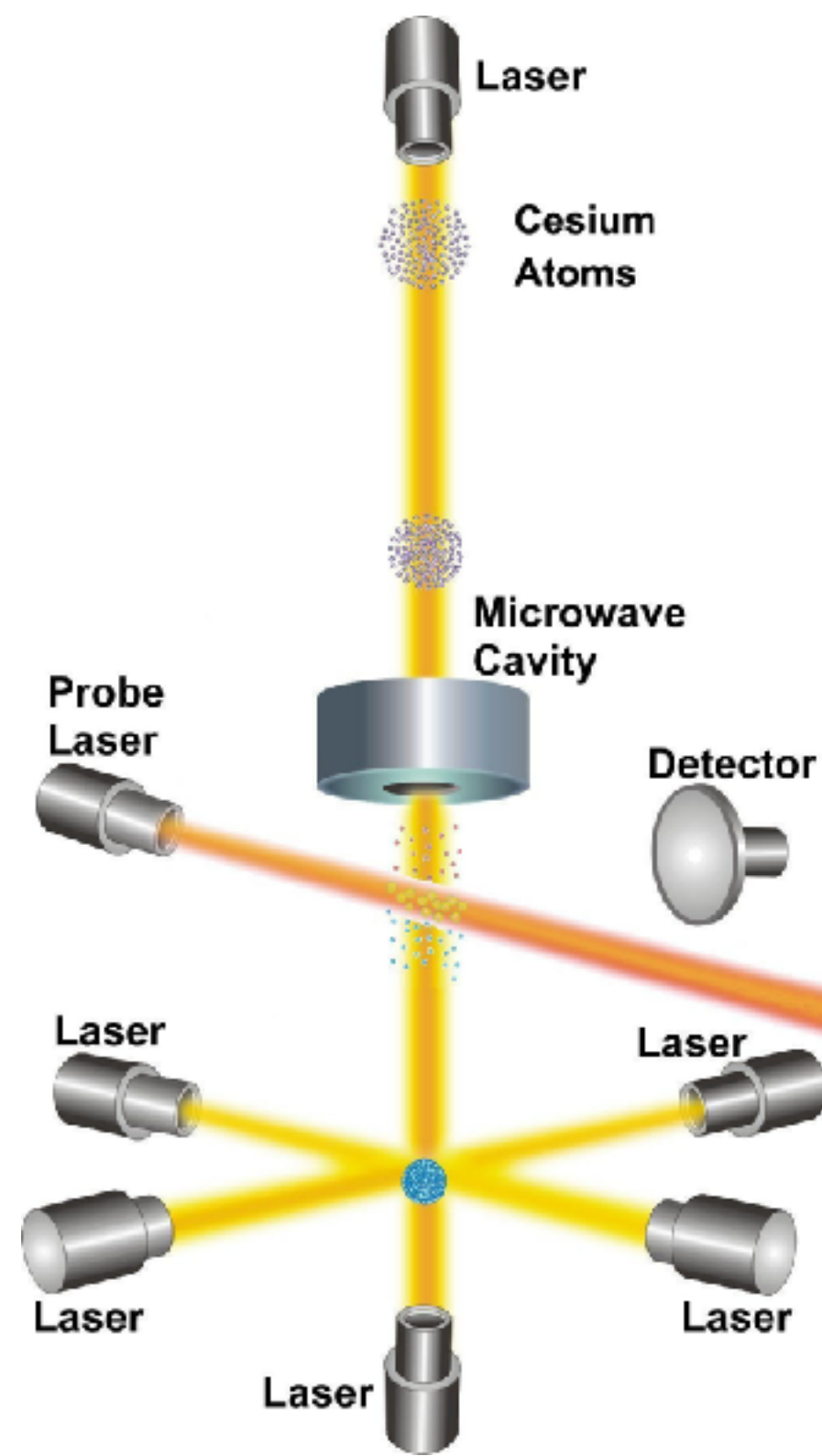
# Single-Crystal Silicon Optical Cavity



Normalized fast Fourier transform of the beat signal recorded with a HP 3561A FFT analyser (37.5 mHz resolution bandwidth, Hanning window). A Lorentzian fit is indicated by the red line. The combined result of five consecutive recordings of the beat signal (black dots) is displayed here, demonstrating the robustness of this record-setting linewidth.

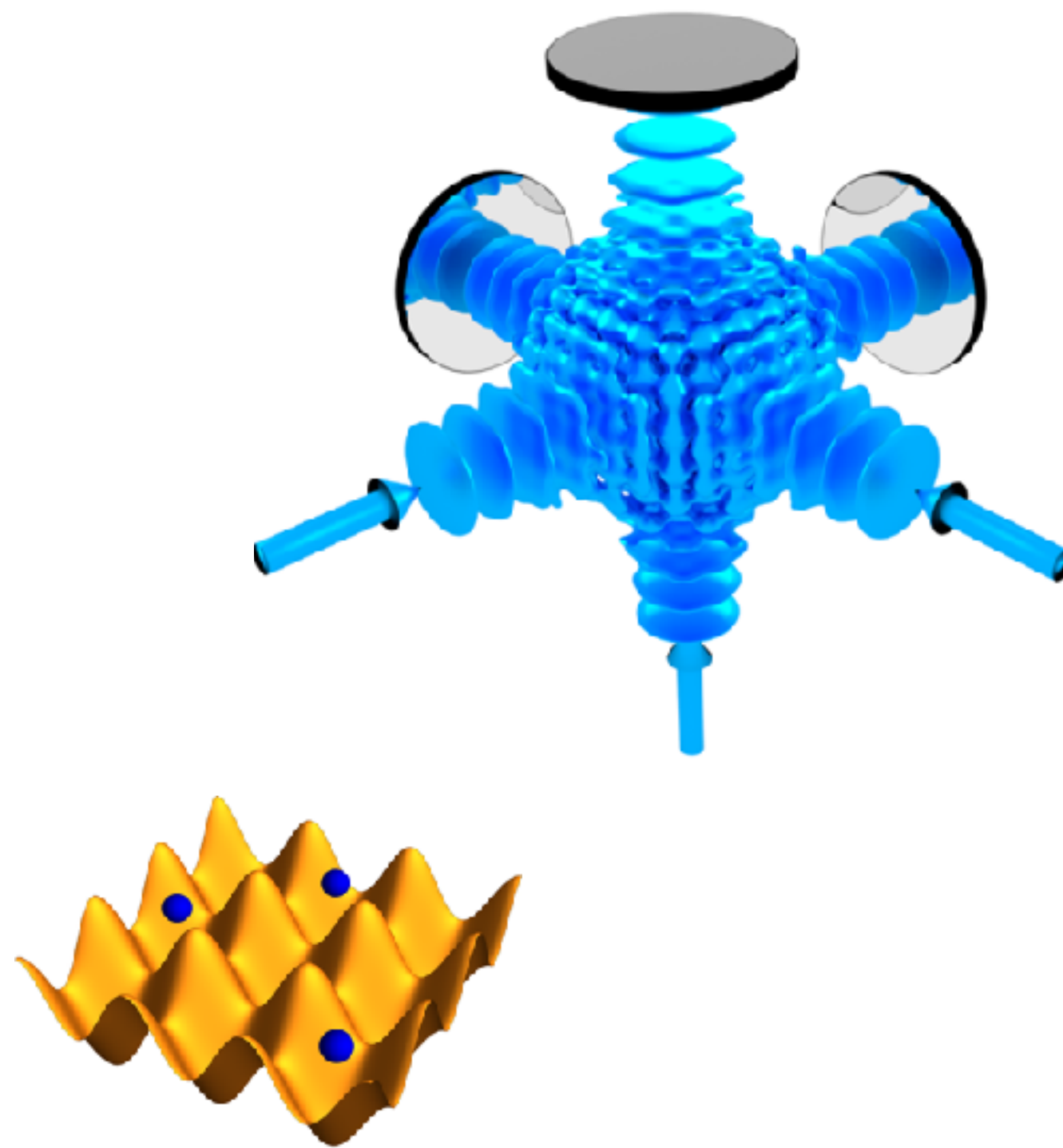
# Manipulation and Trapping of Atoms

- Fountains (or ovens): e.g. Cesium Fountain Clock
- Neutral atoms in optical lattice: e.g. Strontium Lattice Clock
- Ions held in electromagnetic trap:



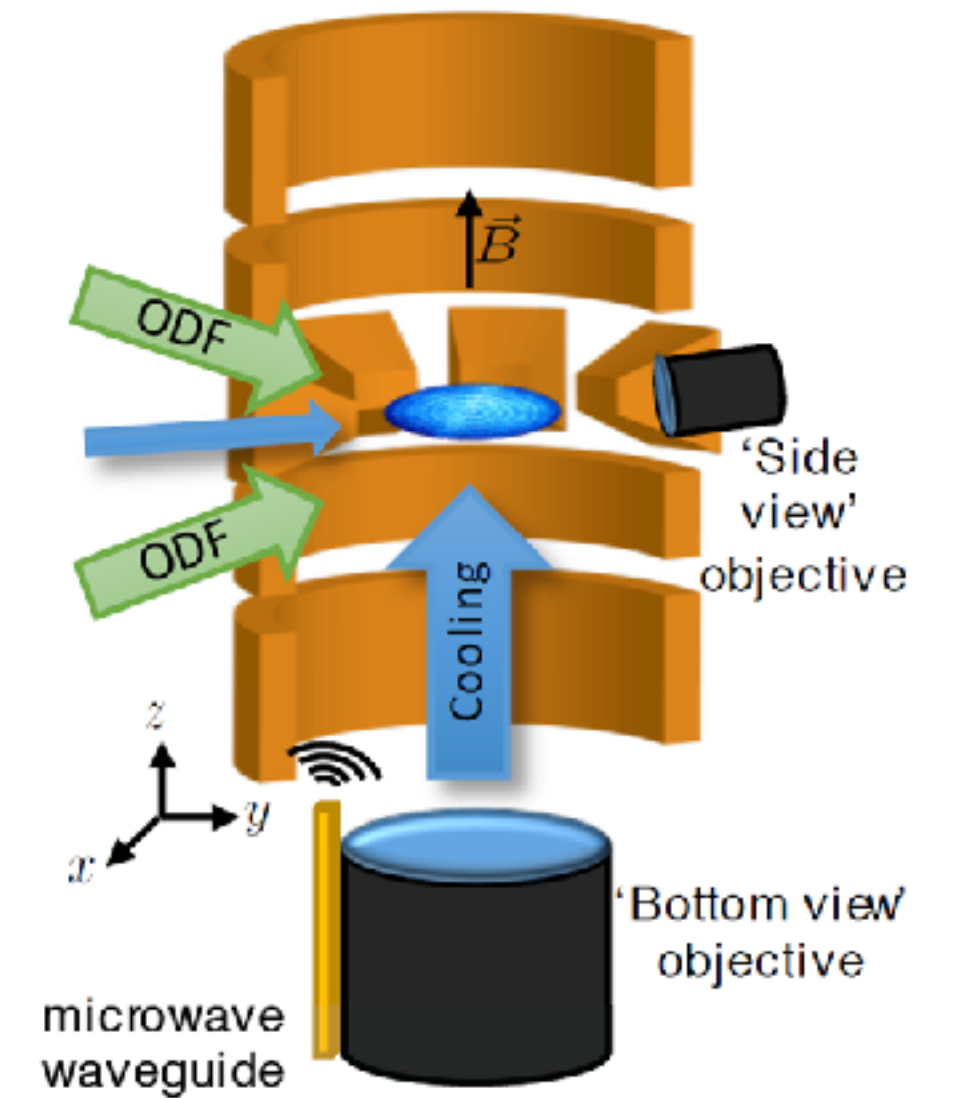
Atomic Fountain (Cesium)

[<https://www.nist.gov/news-events/news/1999/12/nist-f1-cesium-fountain-clock>]  
**DESY**. Fundamental Physics with Atomic Clocks | Steven Worm | 18.06.26

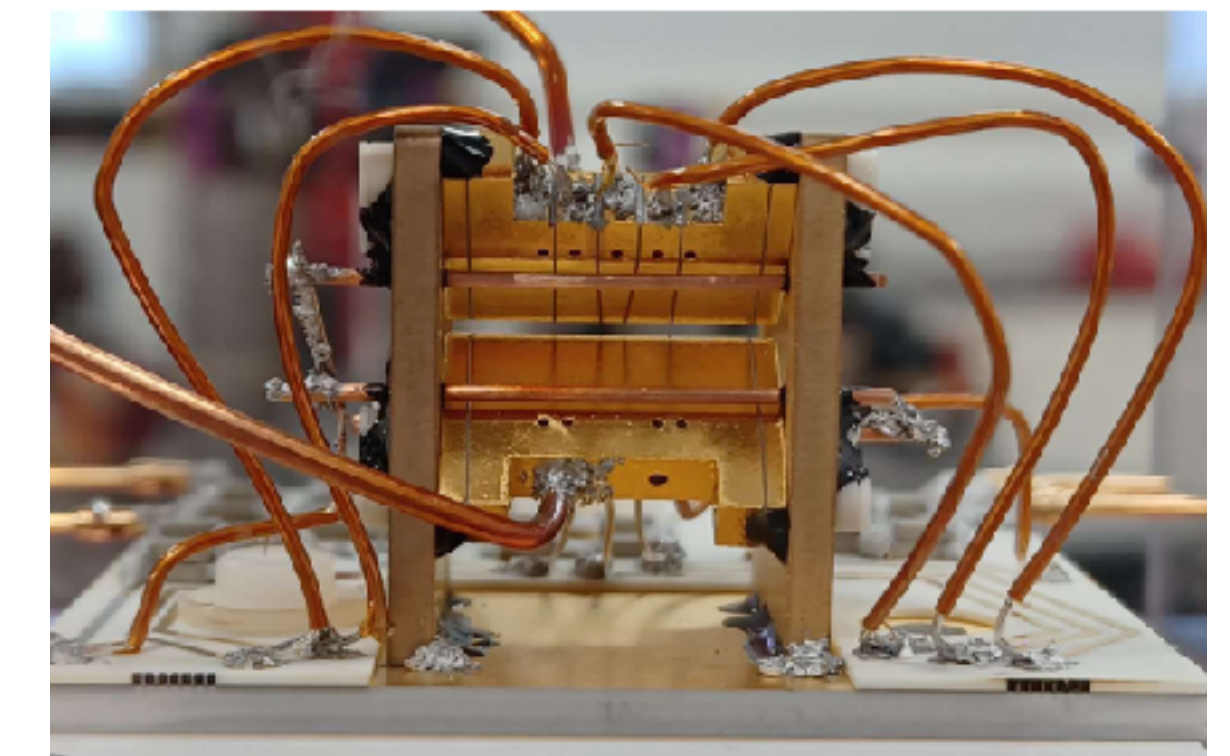


2D and 3D Lattice Potentials

[Wikipedia, <https://www.amop.phy.cam.ac.uk/>]



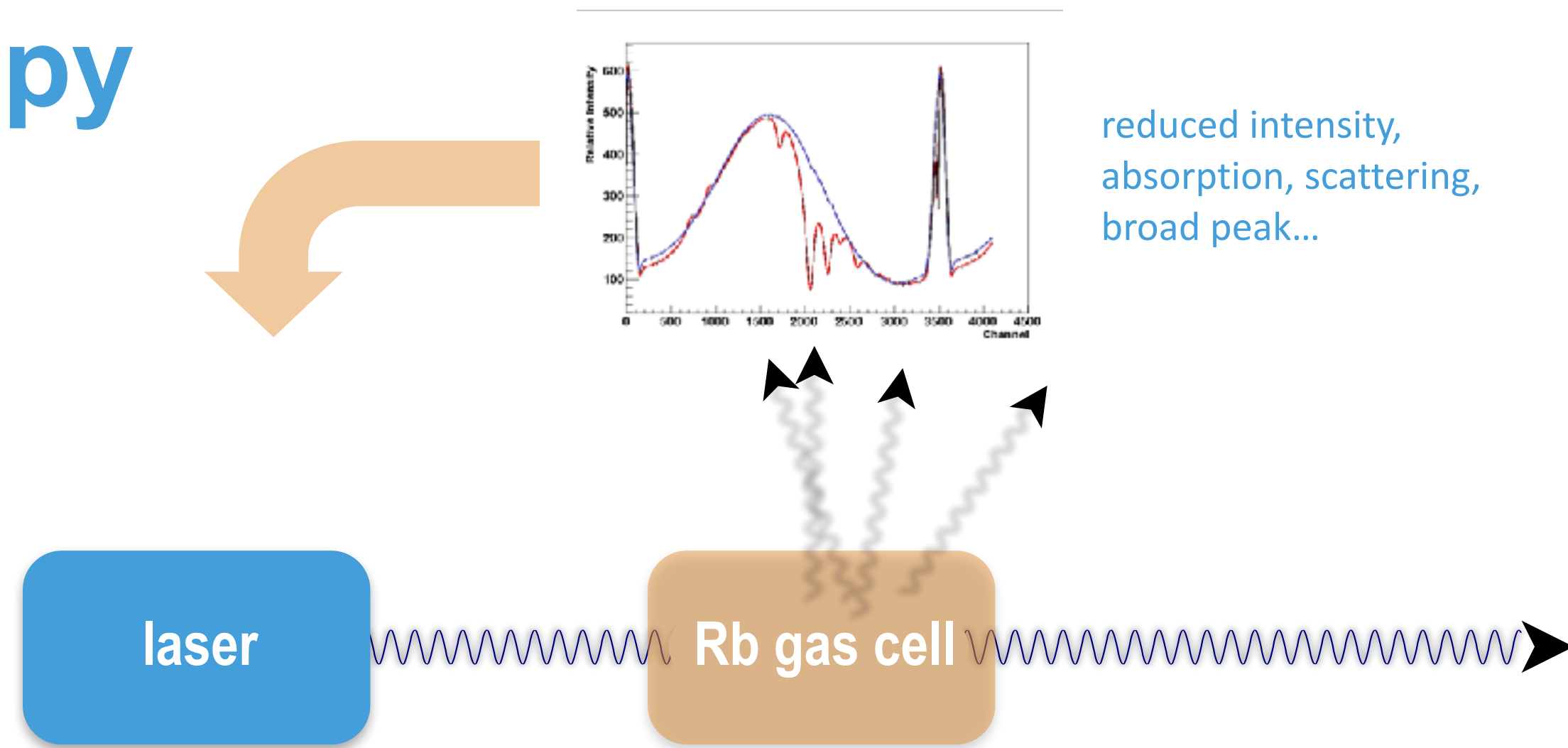
Penning and Paul Traps



[Barontini/PTB, <https://www.nist.gov/image/penningtrappng>]

# Interacting with Atoms: Spectroscopy

- **Incoherent:** absorption spectroscopy for laser stabilisation
  - Signal is continuous (timing is not an issue)
  - Absorption/scattering method  $\implies$  short lifetime  $\implies$  broad linewidth
- **Coherent:** interactions via Rabi oscillations
  - Very long lifetime—usually limited by other effects
  - Setup, query and read-out is not continuous
  - Oscillation between ground and excited states (rotation around Bloch sphere)



Bloch vector:  $\frac{d}{dt} \vec{b} = \vec{\Omega}_{\text{eff}} \times \vec{b}$

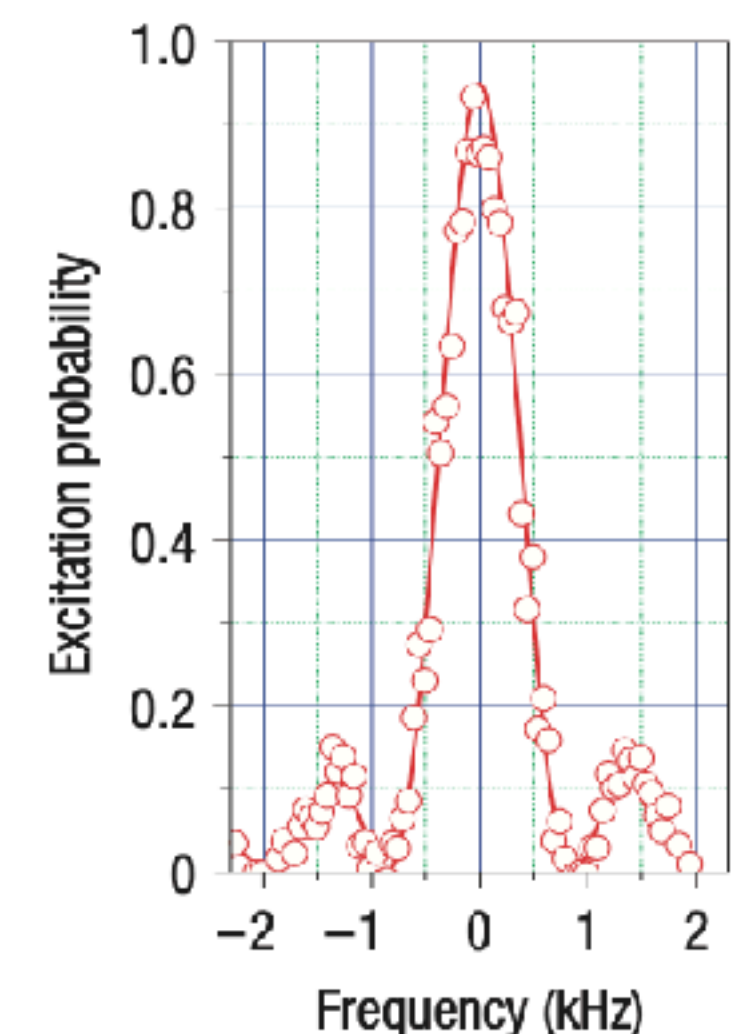
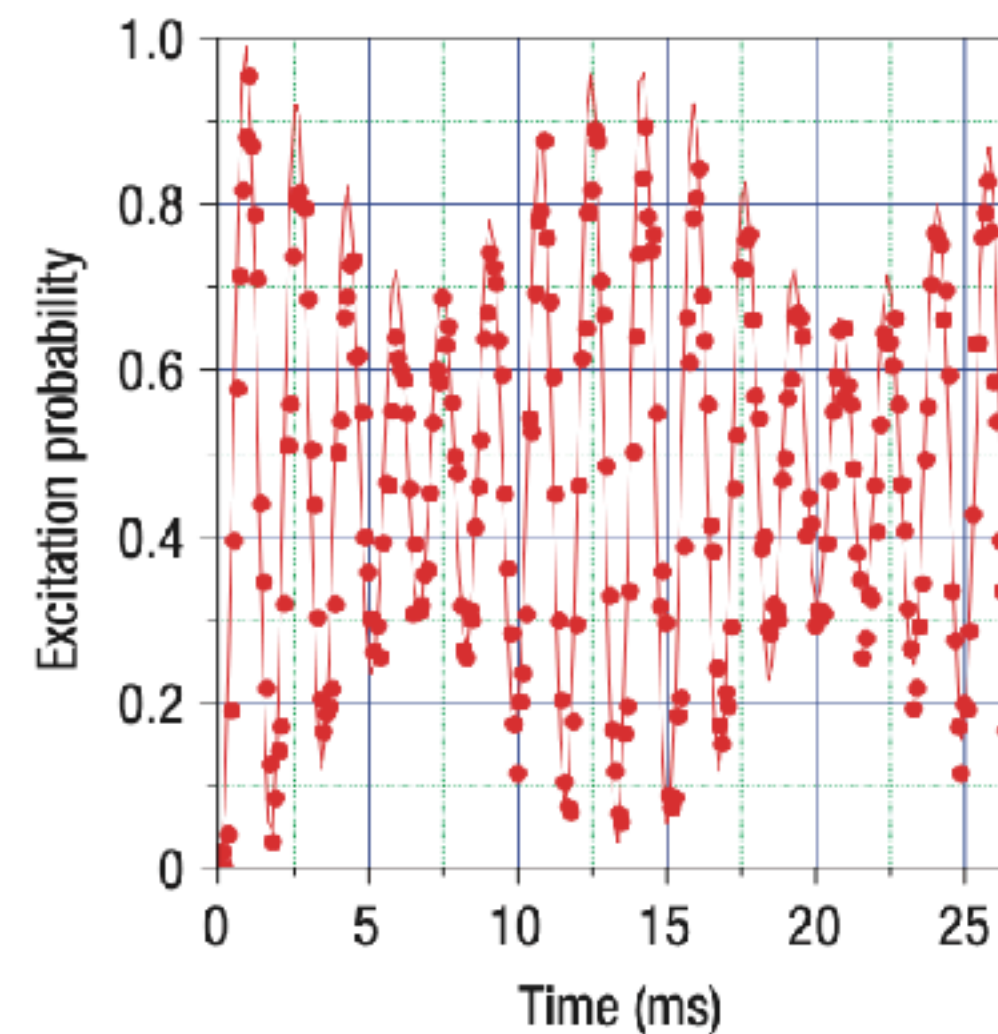
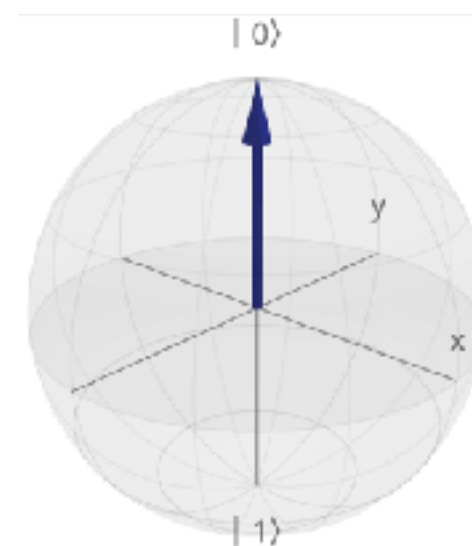
$$\Omega = \langle g | \vec{d} \cdot \vec{E}_0 | e \rangle$$

$$\delta = \omega - \omega_0$$

$$\delta \ll \Omega$$

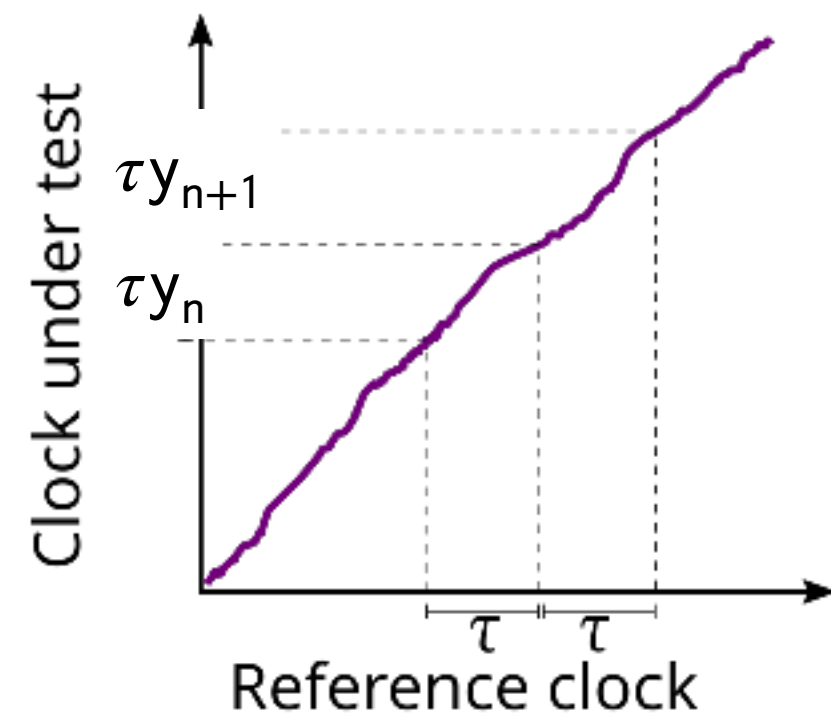
Rabi Frequency:  $\vec{\Omega}_{\text{eff}} = \begin{pmatrix} \Omega \\ 0 \\ -\delta \end{pmatrix}$

Pulse:  $\vec{\Omega}_{\text{eff}} \approx \begin{pmatrix} \Omega \\ 0 \\ 0 \end{pmatrix}$  free evolution:  $\vec{\Omega}_{\text{eff}} = \begin{pmatrix} 0 \\ 0 \\ -(\pm\delta) \end{pmatrix}$

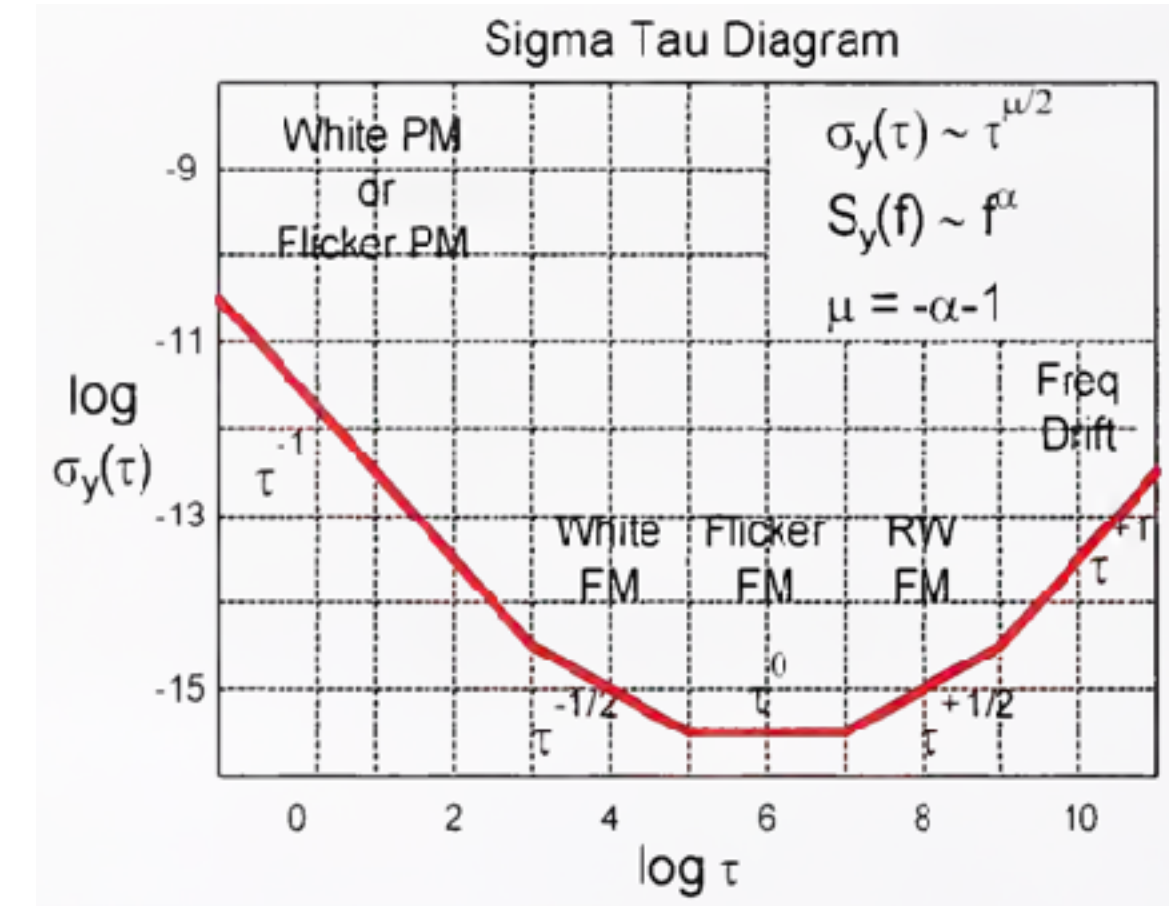


# Clock Performance: Allan Deviation

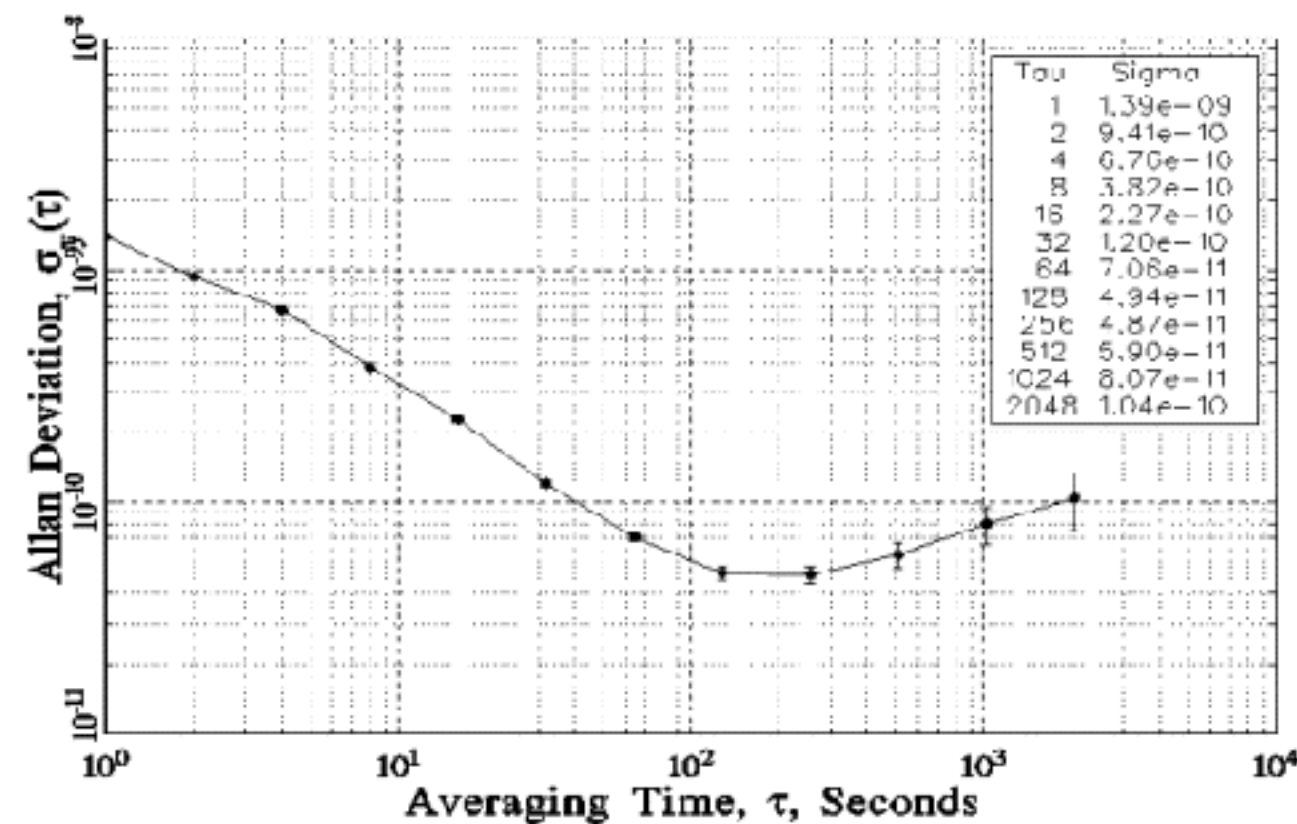
- Allan or two-sample variance better suited to oscillators than e.g. standard deviation
- Used to measure frequency stability in clocks, characterise (non-systematic) noise



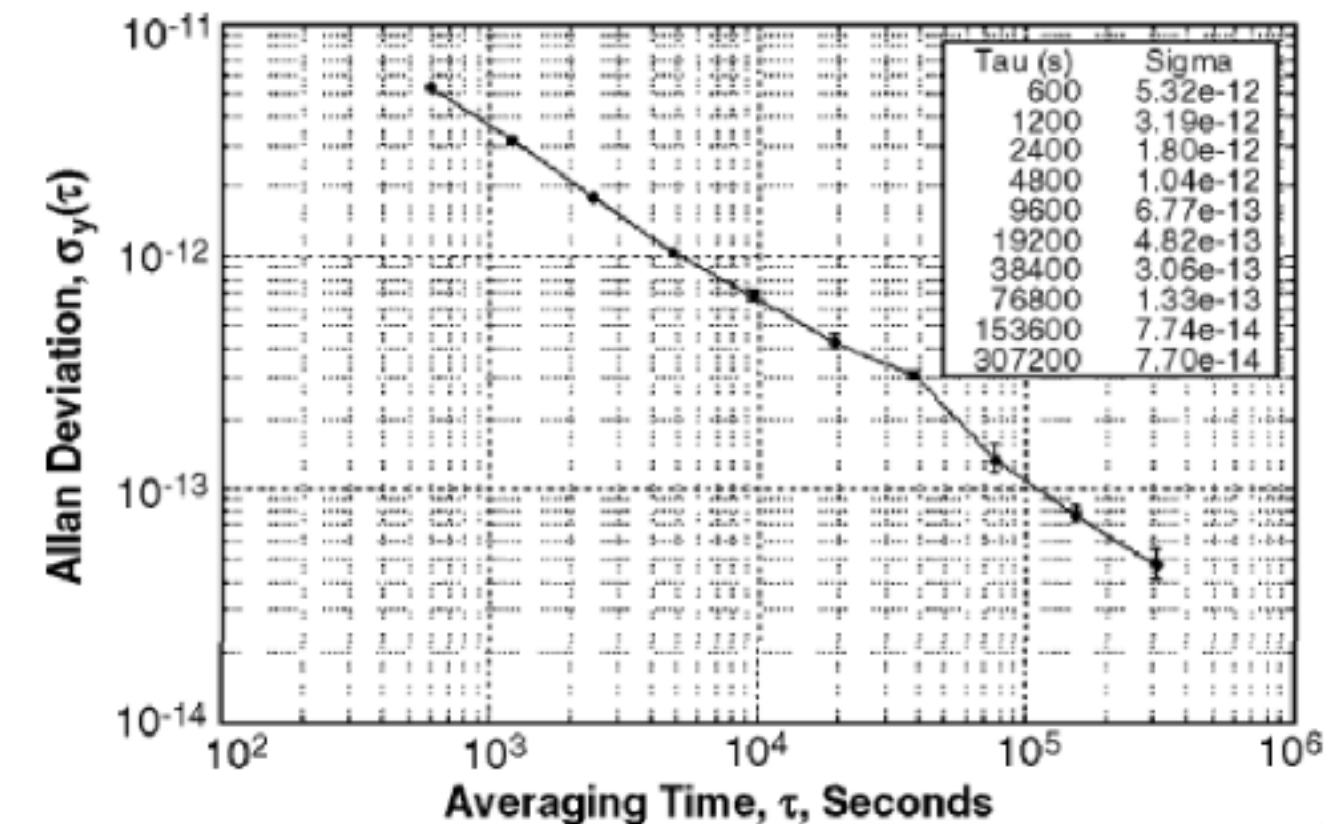
$$\sigma_y(\tau) = \sqrt{\sigma_y^2(\tau)} = \frac{1}{2} \langle (\bar{y}_{n+1} - \bar{y}_n)^2 \rangle$$



- Slope of the curve (log scale) gives different exponent-dependent noise source



Example Allan deviation plot



Allan deviation for early GPS signals

# Uncertainties from Shifts and Broadening

- **Doppler broadening:** velocity distribution of atoms can cause spectral lines to shift
- An issue at low pressure, high temperature, small wavelengths
- Can be addressed by reducing the thermal motion: laser or sympathetic cooling
  
- **Collisional broadening:** electronic interactions with nearby particles can cause frequency shifts
- Suppressed by cryogenic temperatures, or with better vacuum
- Lattice potentials can be used to eliminate collisions and first-order Doppler shifts
  
- **Stark shift:** shift in atomic energy levels as a result of external electric fields
- Effects minimised by eliminating constant external fields (linear Stark shift)
  
- **Zeeman shift:** the split of energy levels in the presence of magnetic fields
- Can be reduced by local shielding, or by choosing transitions insensitive to first-order Zeeman shift

# Micromotion & Black Body Radiation

- **Micromotion** is excess ion motion synchronous with trap AC field
  - Can change atomic transition line shapes
  - Induce significant second-order Doppler shifts
  - Limit confinement time (for room temp traps)
  - Stark shifts in atomic transitions from the AC field
  - Addressed by better trap design, better control of AC field
- **Black-Body Radiation** changes the energy levels in clock transitions
  - From heat: major source of uncertainty in room-temperature clocks
  - Shift atom's energy levels via the radiation's electric field (Stark shift)
  - Control by reducing local temperatures, heat sources, windows, etc
  - Advances in calculating the effects (theory)

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J. Appl. Phys., Vol. 83, No. 10, 15 May 1998

effects from  
micromotion

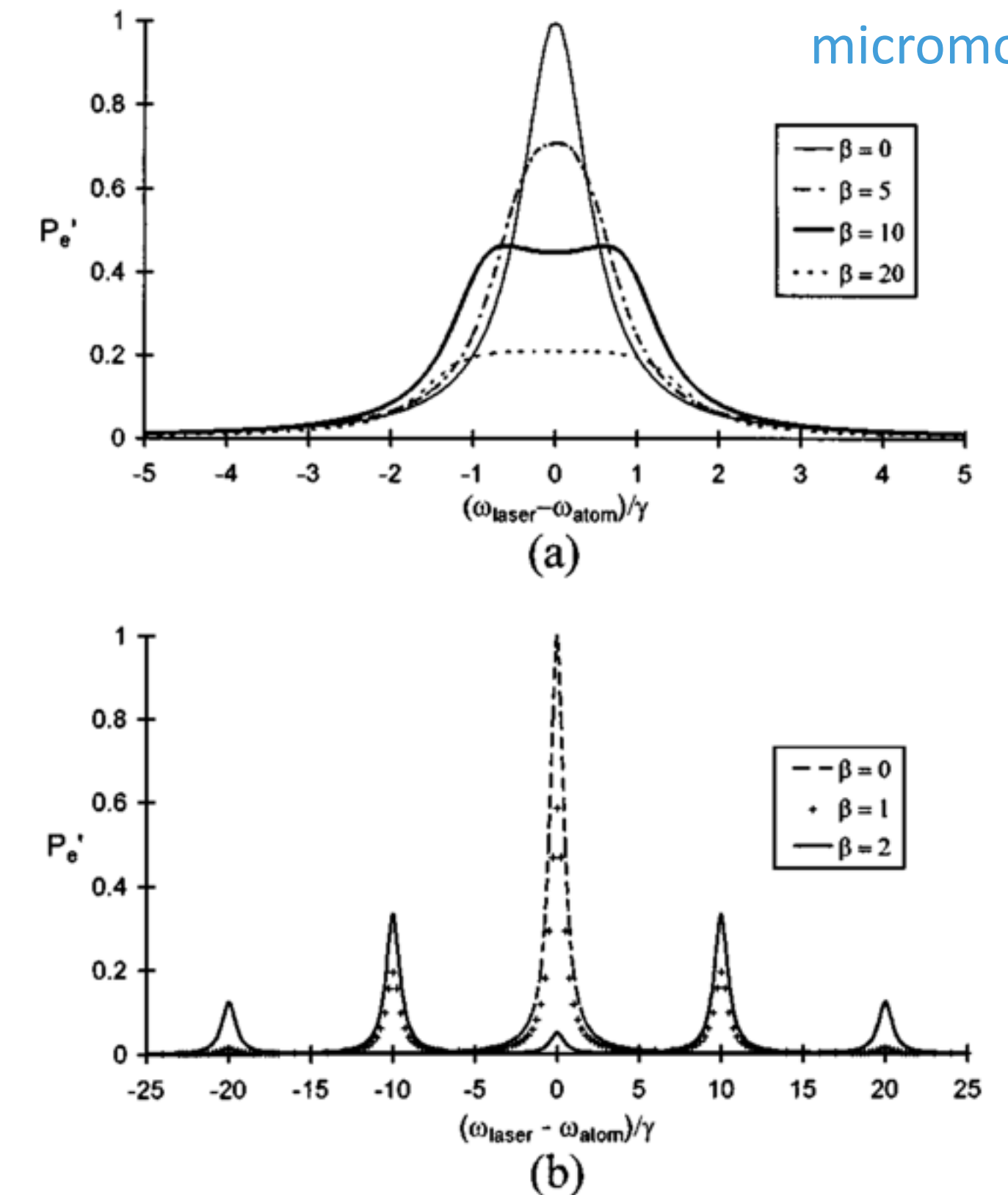


FIG. 2. Effect of micromotion on the spectrum of  $P_e$  (excited state population). We plot  $P_e' = P_e [\hbar \gamma / (2 \mathcal{P} |E_0|)]^2$  for various values of  $\beta$ . For both graphs, we assume that the ion is driven below the saturation limit. (a)  $\Omega/\gamma = 0.1$ . For  $\beta = 10$ , heating occurs in the regions  $0.6 < (\omega_{\text{laser}} - \omega_{\text{atom}})/\gamma < 0$  and  $(\omega_{\text{laser}} - \omega_{\text{atom}})/\gamma > 0.6$ . (b)  $\Omega/\gamma = 10$ . For  $\beta > 0$ , heating can occur when the laser frequency is tuned near, but above the center of, any of the sideband frequencies.

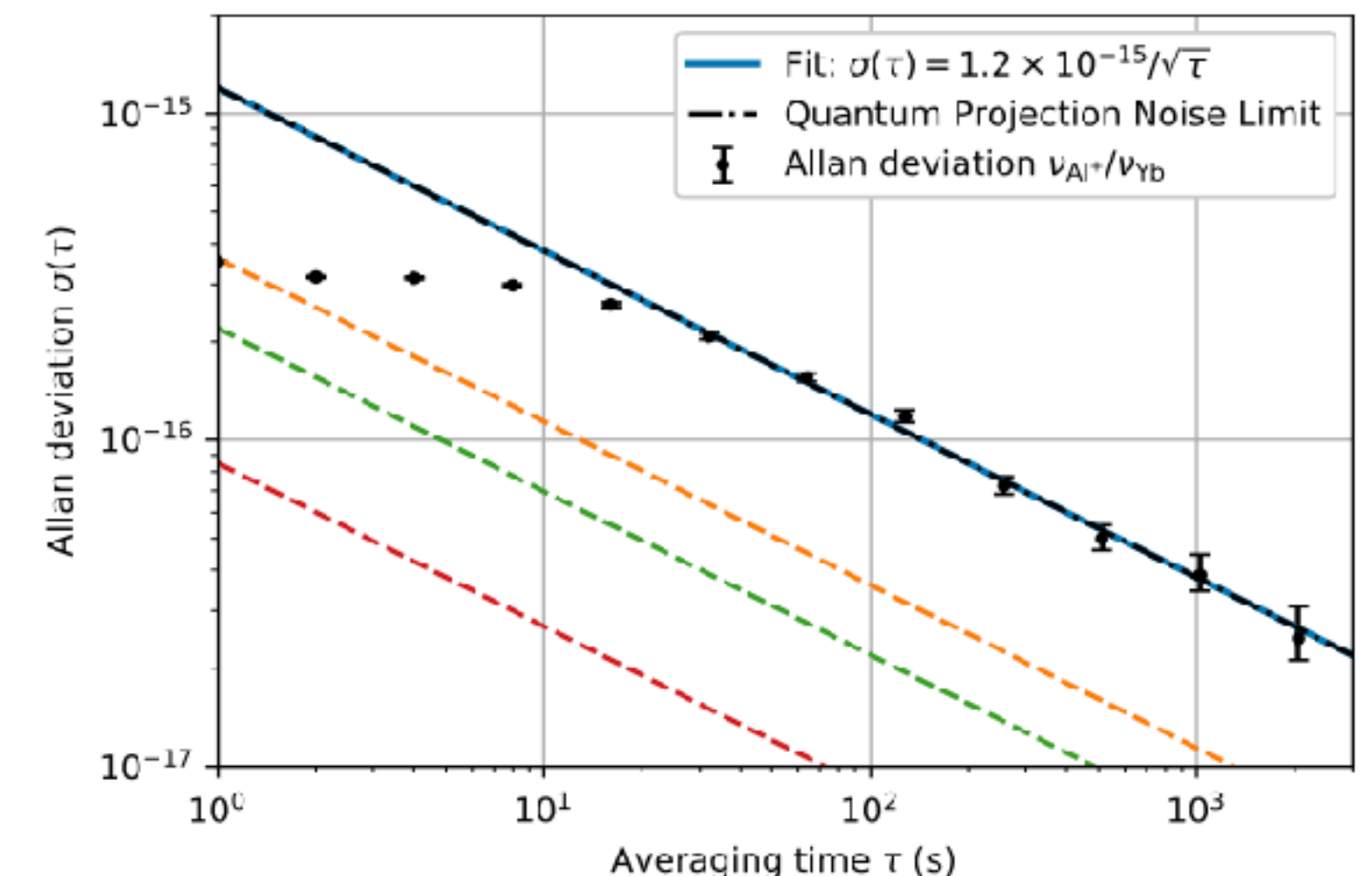
# Optical Clock Uncertainties

- Typically many systematic noise sources
  - Blackbody radiation: local heat sources (e.g. for room temperature clocks)
  - Stark/Zeeman shift: know your fields very well
  - Motional uncertainty, background gas: better vacuum
  - Laser-induced effects: improve laser stability
  - Micromotion (ion motion in sync with trap AC field): better trap design, better control of AC field
- Quantum Projection Noise (shot noise)
  - After laser interrogation, you want to read out the state (either ground or excited, 0 or 1)
  - Binary, discrete nature of quantum leads to uncertainty  $\sigma(\tau) = 1/f\sqrt{NT_p\tau}$ , for frequency  $f$ , probe time  $T_p$  and measurement time  $\tau$
  - Can be reduced further using squeezing/entanglement ( $\sim 1/N$ ), or more atoms!

## NIST $^{27}\text{Al}^+$ Quantum-Logic Clock

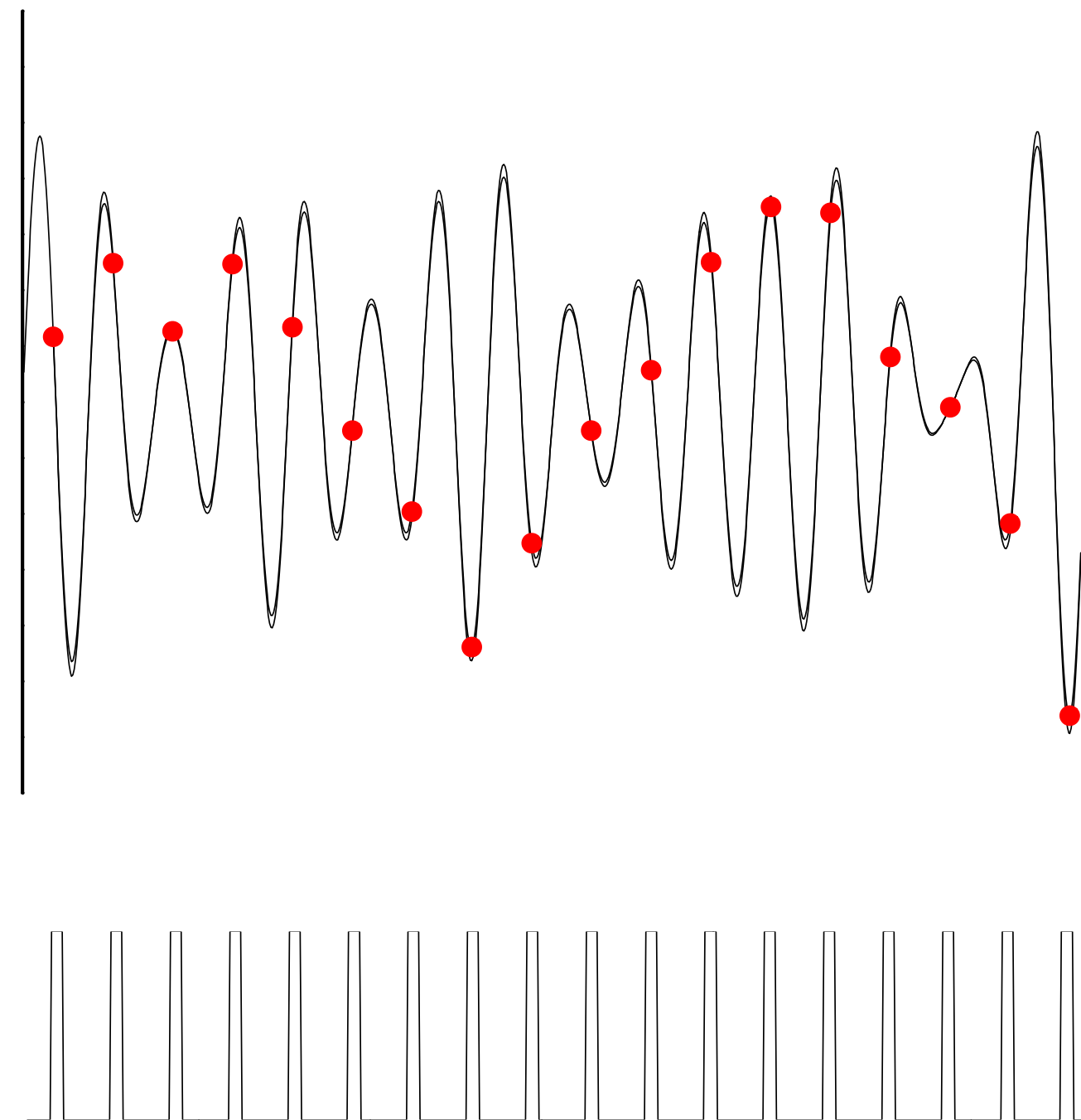
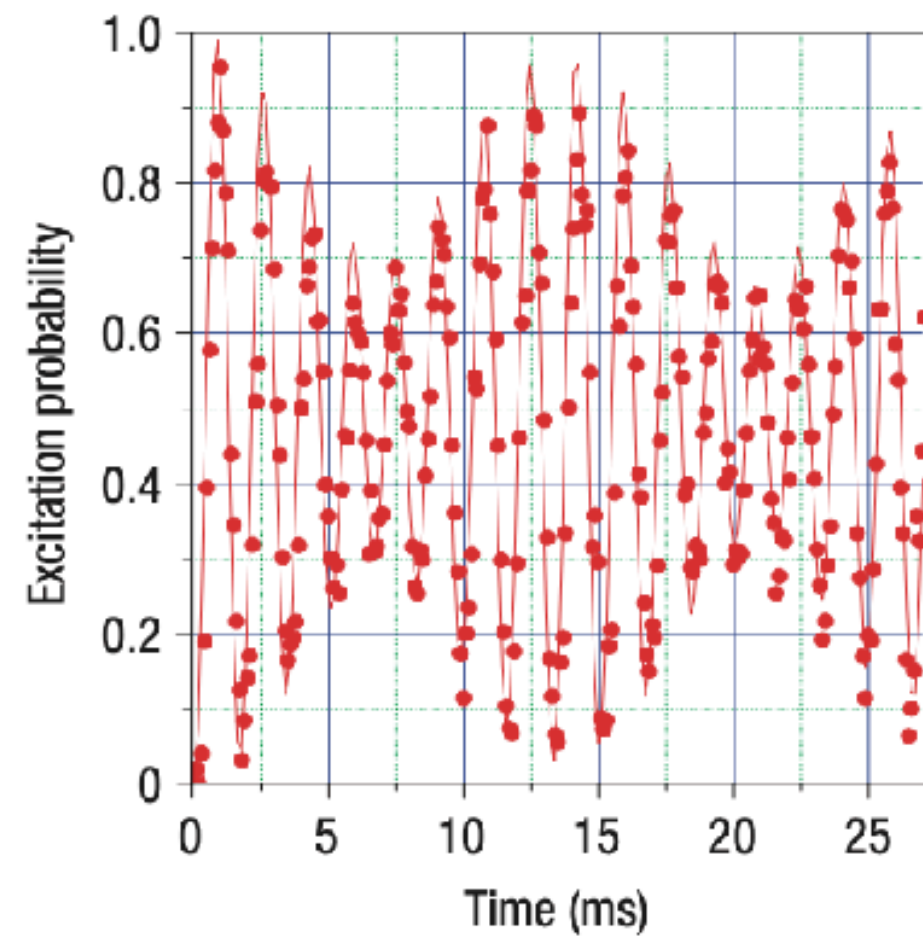
TABLE I. Fractional frequency shifts ( $\Delta\nu/\nu$ ) and associated systematic uncertainties for the  $^{27}\text{Al}^+$  quantum-logic clock.

Effect	Shift ( $10^{-19}$ )	Uncertainty ( $10^{-19}$ )
Excess micromotion	-45.8	5.9
Blackbody radiation	-30.5	4.2
Quadratic Zeeman	-9241.8	3.7
Secular motion	-17.3	2.9
Background gas collisions	-0.6	2.4
First-order Doppler	0	2.2
Clock laser Stark	0	2.0
AOM phase chirp	0	<1
Electric quadrupole	0	<1
<b>Total</b>	<b>-9336.0</b>	<b>9.4</b>

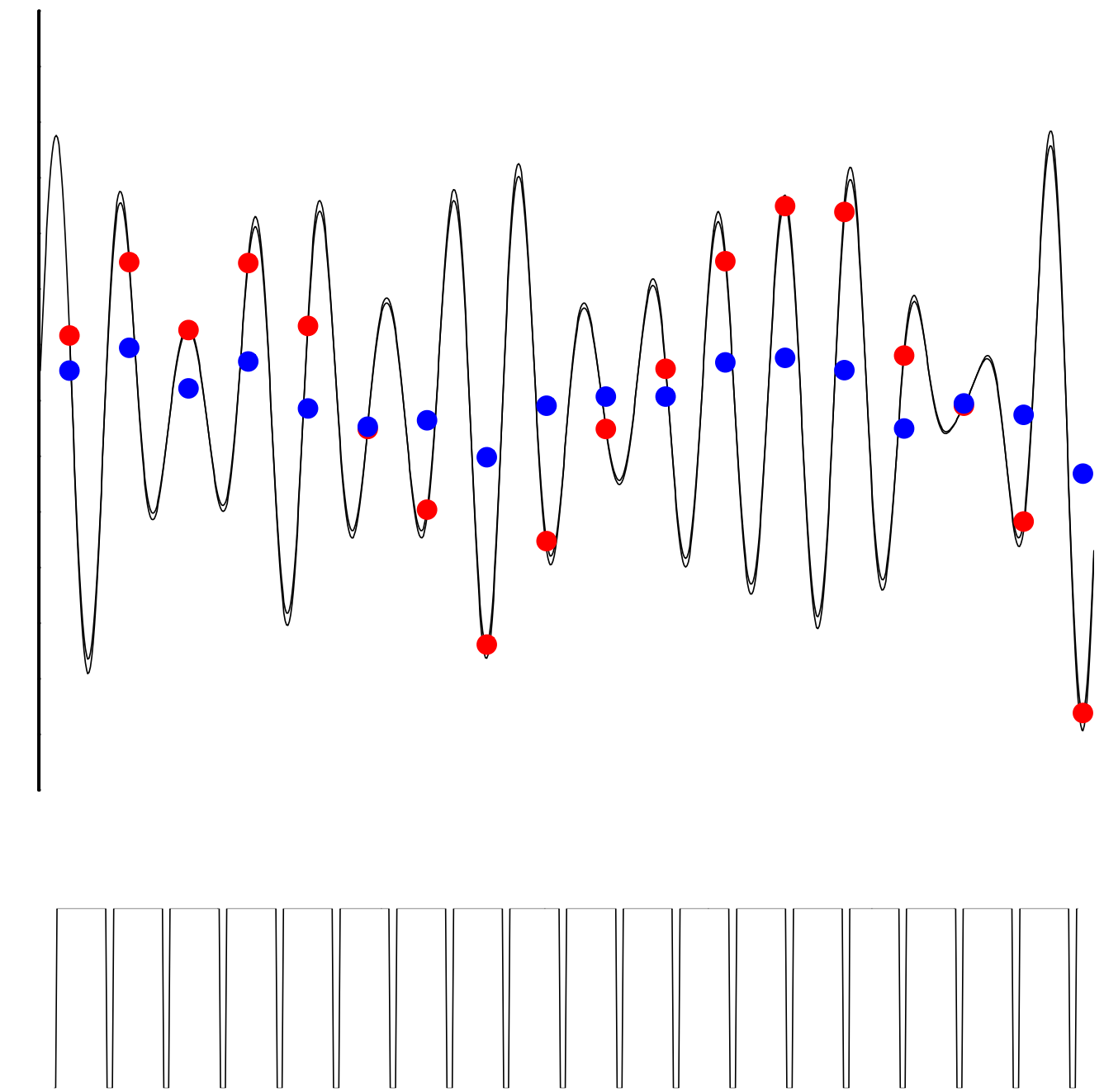


# Deadtime-Related Uncertainty

- It takes some unavoidable time for interrogation (Rabi/Ramsey)
- The data acquisition also add dead time... net effect (Dick's effect) is added uncertainty



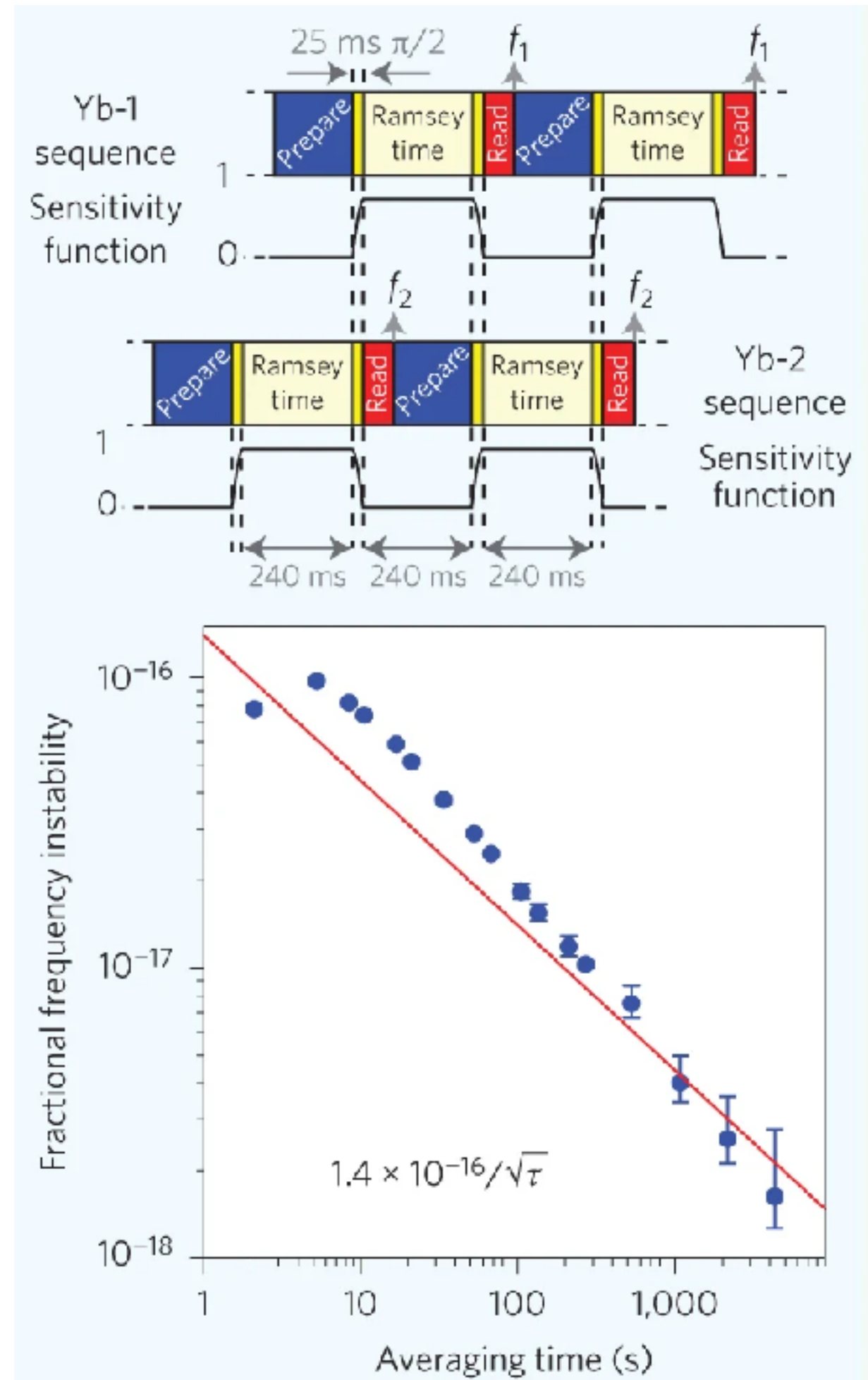
probe time + long dead time



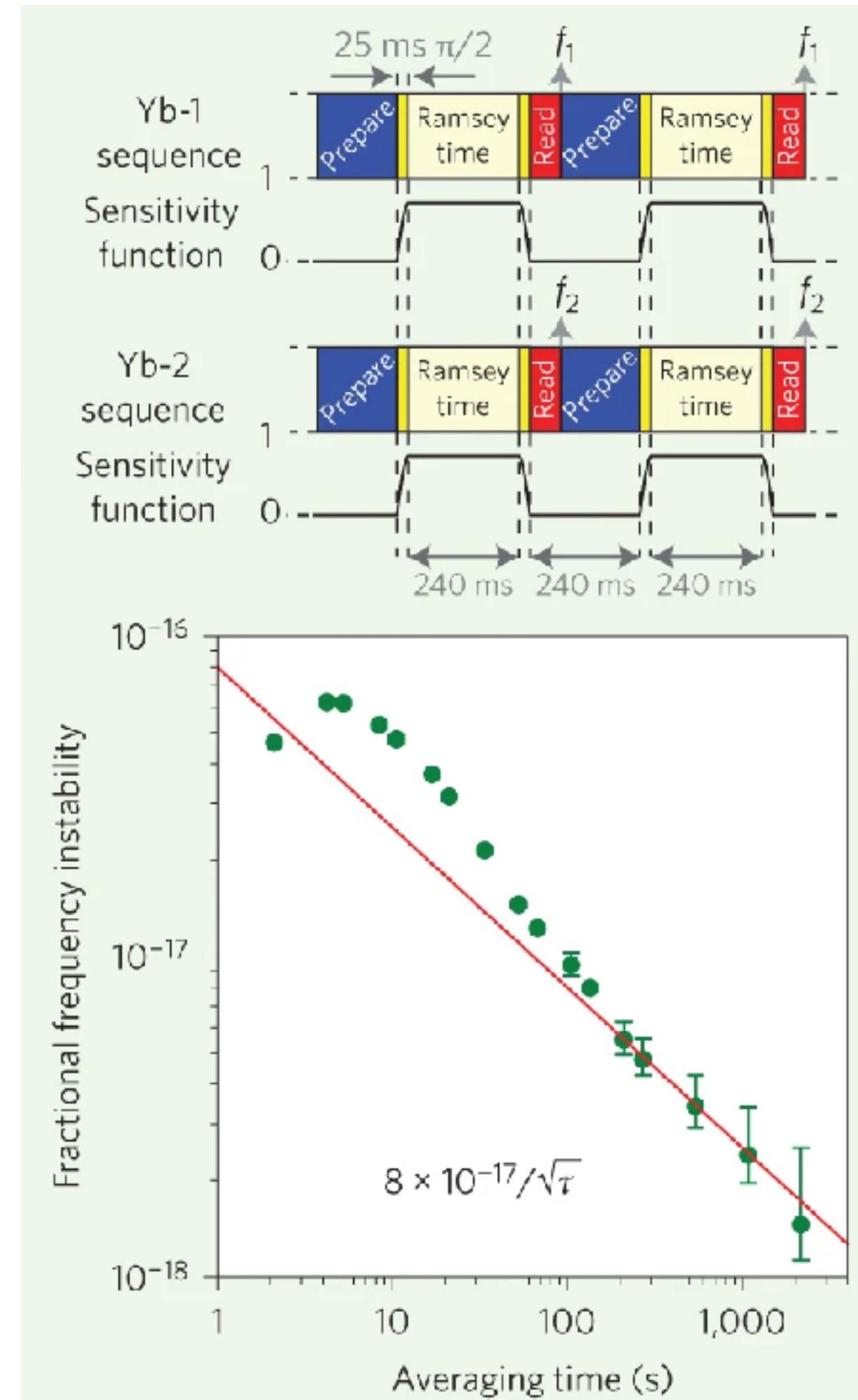
probe time + short dead time

# Deadtime Mitigation

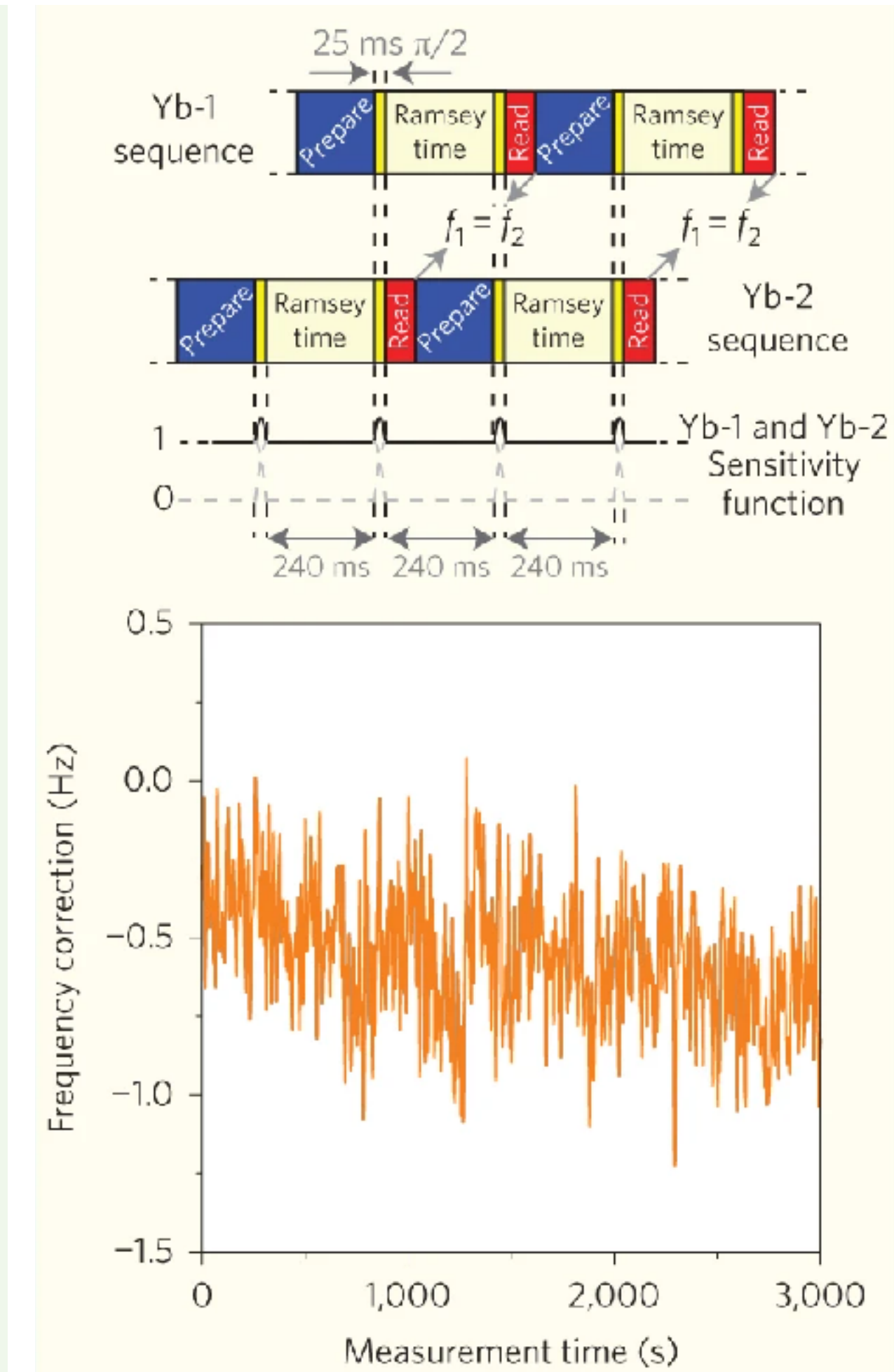
- Example of recent efforts to overcome the effect



asynchronous readout



synchronous readout



readout w/ active feedback corrections

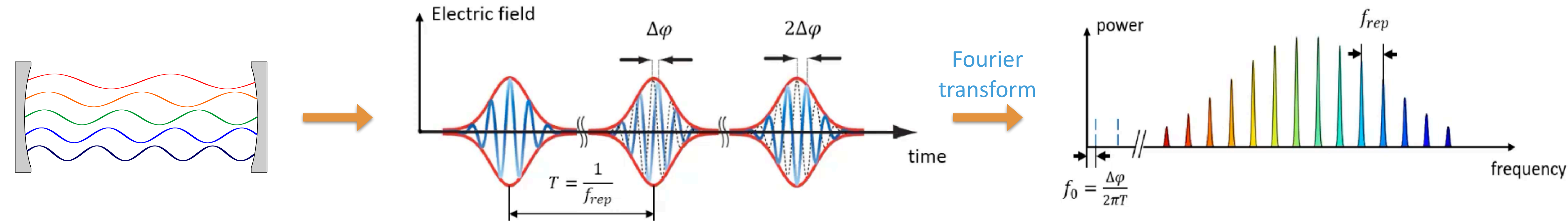
# What about the Counter?

- Ok, so we have the oscillator and have characterised it, how do we count the clock “ticks”?
- The problem... we can count electronically up to microwave frequencies, but not the 100's of THz optical
- Al<sup>+</sup> clock example from earlier: 1121015393207859 Hz!
- **Frequency combs** solve this problem, by translating/connecting the optical frequencies to countable microwave



# Frequency Comb

- Q: How to precisely measure optical frequencies? The clock ticks? Compare to other clocks?



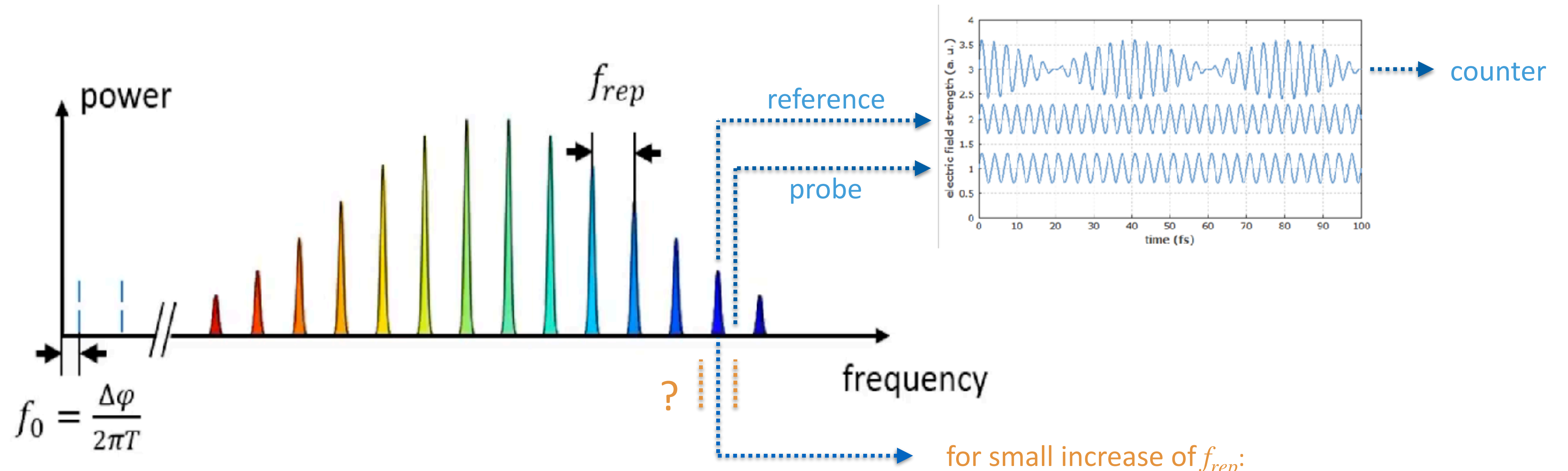
- Frequency comb:** mode-locked laser w/ stabilised rep rate ( $f_{rep}$ ) and carrier-envelope-offset ( $f_0$ )

$$f_n = n f_{rep} + f_0$$

- Repetition frequency  $f_{rep}$  typically larger than CEO-frequency  $f_0$  (e.g. 200 MHz vs. 50 MHz)
- Both frequencies are tunable, defined in relation to a frequency reference for high-end applications

# Frequency Comb: Operation

- For a comb with  $f_0$  and  $f_{rep}$ , an unknown frequency can be measured wrt one tooth by creating a beat note
- The integer  $n$  can be found using a wavemeter with an accuracy better than  $f_{rep}/2$  (e.g. 40 MHz)
- Beat notes with additional teeth avoided by extracting only the relevant tooth (e.g. with a grating)
- One can slightly increase  $f_{rep}$  to find out whether the sign of the beat frequency is + or -



for small increase of  $f_{rep}$ :  
 smaller beat, use  $f_n = nf_{rep} + f_0 + f_b$   
 larger beat, use  $f_n = nf_{rep} + f_0 - f_b$

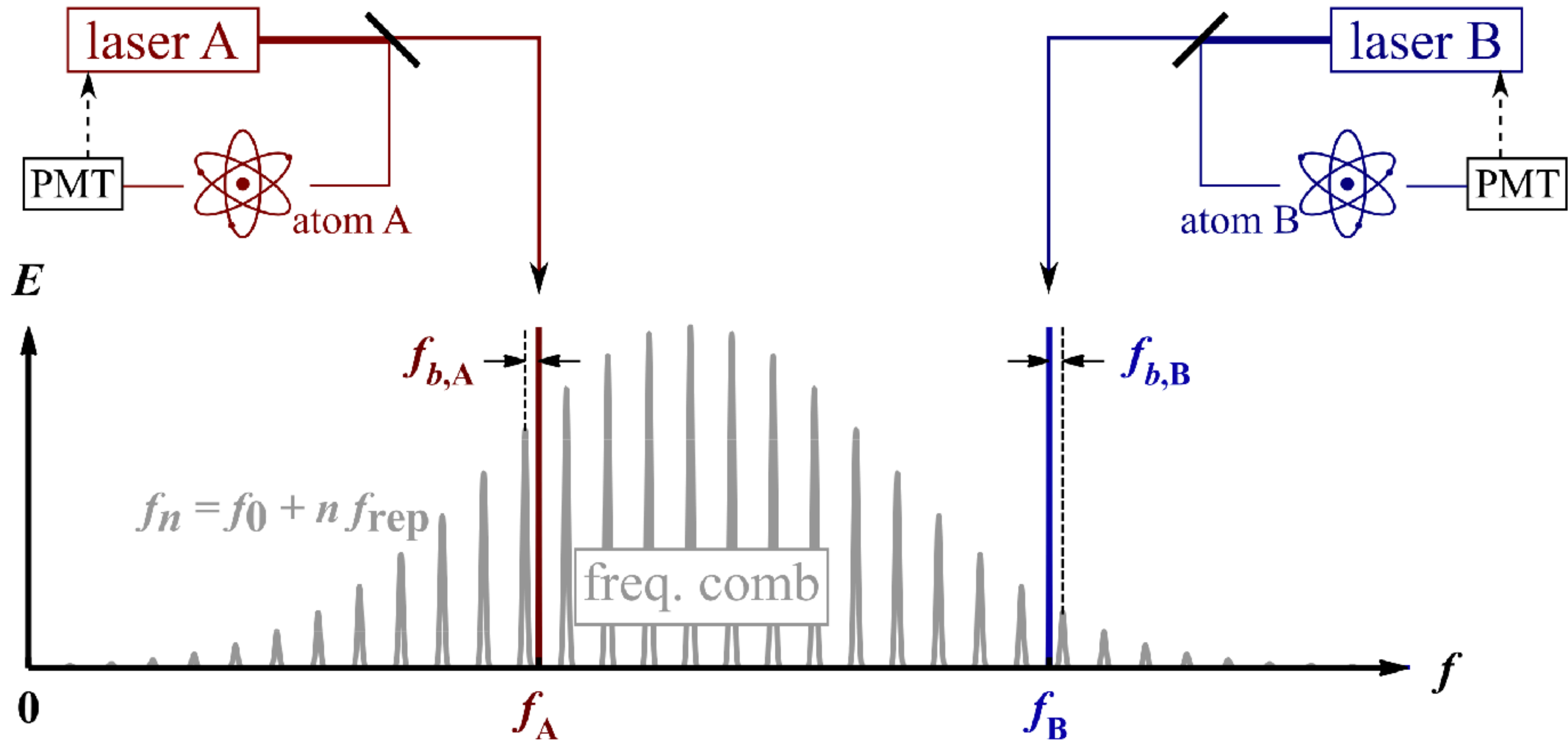
# Why Measure a Frequency Ratio?

- **Unitless:** Ratios are not limited by the definition/accuracy of the SI second
- **Transportable:** Frequencies depend on gravity (et al); ratios can be used for comparison
- **Measurable:** Even at optical frequencies, can use a frequency comb to measure with accuracy and stability limited by the clocks themselves
- **Comparative:** Can be used to compare different atomic species and/or different reference frames
- **Sensitive:** Can be engineered to maximise sensitivity to fundamental constants, symmetries of nature
  
- ...also with 18 digits of precision, no predictions from theory!

“Never measure anything but frequency!”

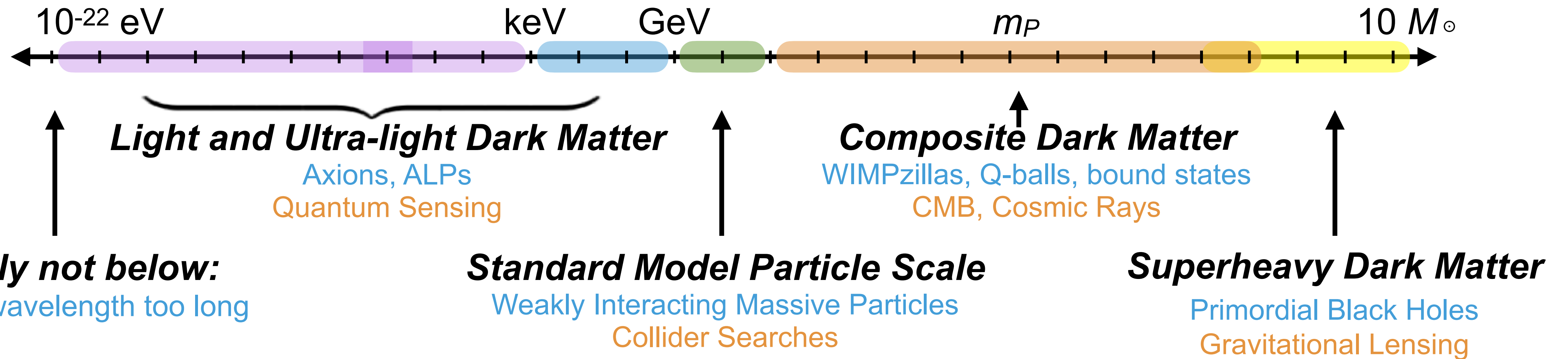
- Arthur Schawlow, Nobel 1981

# Typical Experiment Setup



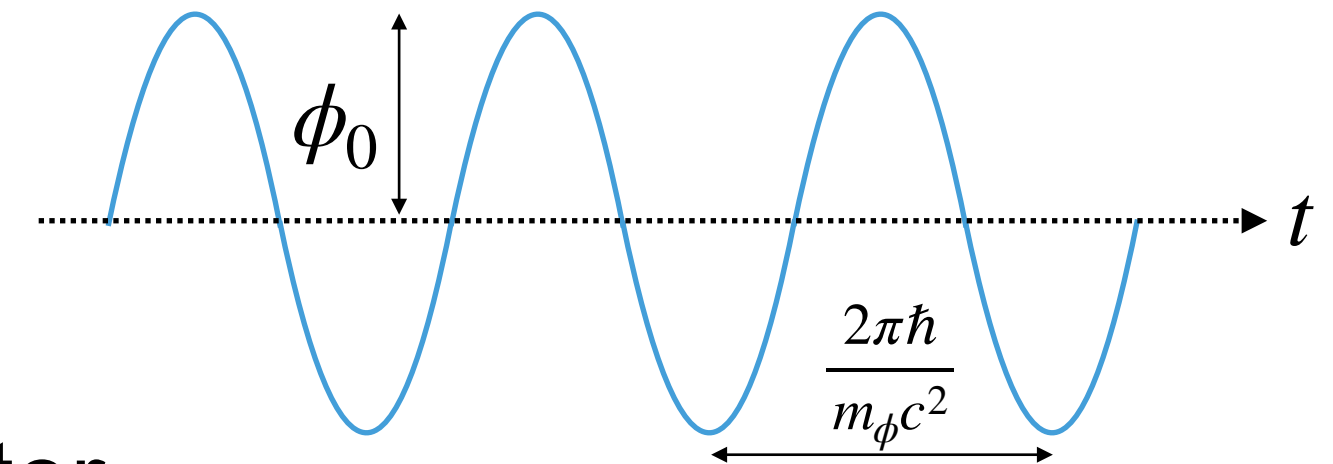
# Particle Physics Example: Mass Scales for Dark Matter

Quantum Sensing needed for Light/Ultralight Dark Matter



# Ultra-Light Dark Matter: Phenomenology

- Starting with Standard Model Lagrangian, adding **new DM interaction** (field)
- **Bosonic**: Ultra-light DM must be bosonic in nature
- **Non-relativistic** ( $\sim 10^{-3}c$ ): so it neither leaves the galaxy or clumps near the center
- **Oscillating classical field**: coherent, practically monochromatic  $\rightarrow$  wave-like



$$\phi(t) \approx \phi_0 \cos(m_\phi c^2 t / \hbar)$$

$$\mathcal{L}_{int} = \frac{4\pi\phi}{M_{pl}} \left( \frac{d_e}{4e^2} F_{\mu\nu} F^{\mu\nu} - d_{m_e} m_e \bar{e} e - \frac{d_g \beta_3}{2g_3} G_{\mu\nu}^A G^{A\mu\nu} - \sum_{i=u,d} (d_{m_i} + \gamma_{m_i} d_g) m_i \bar{\psi}_i \psi_i \right)$$

- Coupling to Lagrangian is linear (in  $\phi$ ) for lowest order interaction w/ scalar field (or quadratic with  $\phi \leftrightarrow -\phi$  symmetry)

$$\mathcal{L}_{DM} = \frac{\phi}{\Lambda_\gamma} \frac{F_{\mu\nu} F^{\mu\nu}}{4} - \frac{\phi}{\Lambda_e} m_e \bar{\psi} \psi$$

$$\mathcal{L}_{DM} = \frac{\phi^2}{(\Lambda'_\gamma)^2} \frac{F_{\mu\nu} F^{\mu\nu}}{4} - \frac{\phi^2}{(\Lambda'_e)^2} m_e \bar{\psi} \psi$$

- At the effective new physics energy scales  $\Lambda_\alpha$  and  $\Lambda_e$ ,  $\alpha$  and  $m_e$  appear to **oscillate**

$$\frac{d\alpha}{\alpha} \approx \frac{\phi_0 \cos(m_\phi t)}{\Lambda_\gamma}, \quad \frac{dm_e}{m_e} \approx \frac{\phi_0 \cos(m_\phi t)}{\Lambda_e}$$

$$\frac{d\alpha}{\alpha} \approx \frac{\phi_0^2 \cos^2(m_\phi t)}{(\Lambda'_\gamma)^2}, \quad \frac{dm_e}{m_e} \approx \frac{\phi_0^2 \cos^2(m_\phi t)}{(\Lambda'_e)^2}$$

# Clock Transitions and Sensitivities

Clock	$K_\alpha$	$K_\mu$
Yb <sup>+</sup> (467 nm)	-5.95	0
Sr (698 nm)	0.06	0
Cs (32.6 mm)	2.83	1
CaF (17 μm)	0	0.5
N <sub>2</sub> <sup>+</sup> (2.31 μm)	0	0.5
Cf <sup>15+</sup> (618 nm)	47	0
Cf <sup>17+</sup> (485 nm)	-43.5	0

- Atomic transition scale set by Rydberg constant  $R_\infty = \alpha^2 m_e c / 4\pi\hbar$ , also fine structure constant  $\alpha$  and proton-to-electron mass ratio  $\mu$

Hyperfine transitions:  $\nu_{\text{hf}} = A \cdot \mu \alpha^2 F_{\text{hf}}(\alpha) \cdot R_\infty$

Optical transitions:  $\nu_{\text{opt}} = B \cdot F_{\text{opt}}(\alpha) \cdot R_\infty$

Vibrational transitions:  $\nu_{\text{vib}} = C \cdot \mu^{1/2} \cdot R_\infty$

- Transitions have different sensitivities to variations in  $\alpha$  or  $\mu$ , given by  $K_\alpha$  and  $K_\mu$

$$K_\alpha = \frac{\partial \ln\left(\frac{\nu}{cR_\infty}\right)}{\partial \ln \alpha} = \begin{cases} 2 + \partial \ln F_{\text{hf}} / \partial \ln \alpha & \text{for hyperfine transitions} \\ \partial \ln F_{\text{opt}} / \partial \ln \alpha & \text{for optical transitions} \end{cases}$$

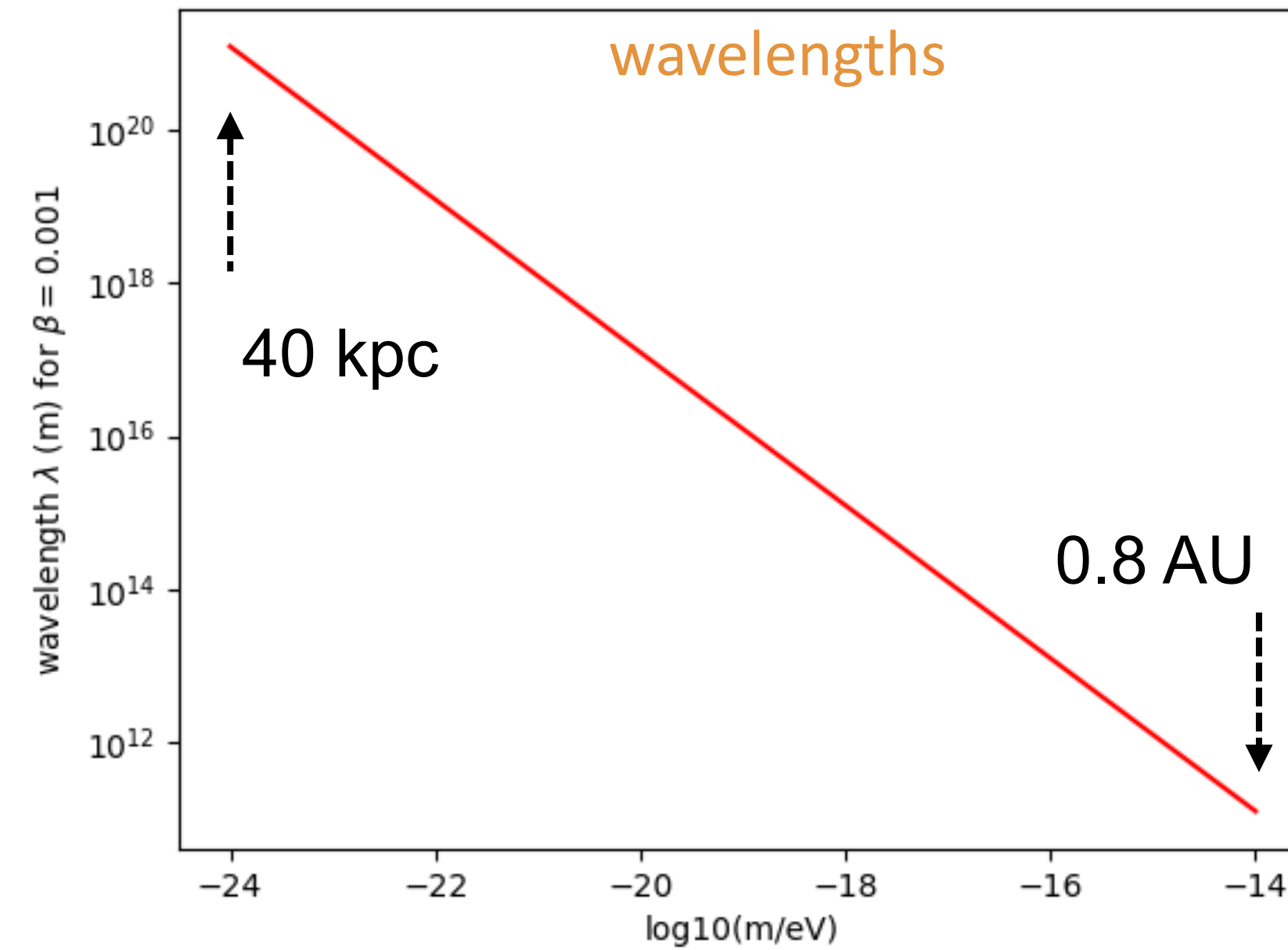
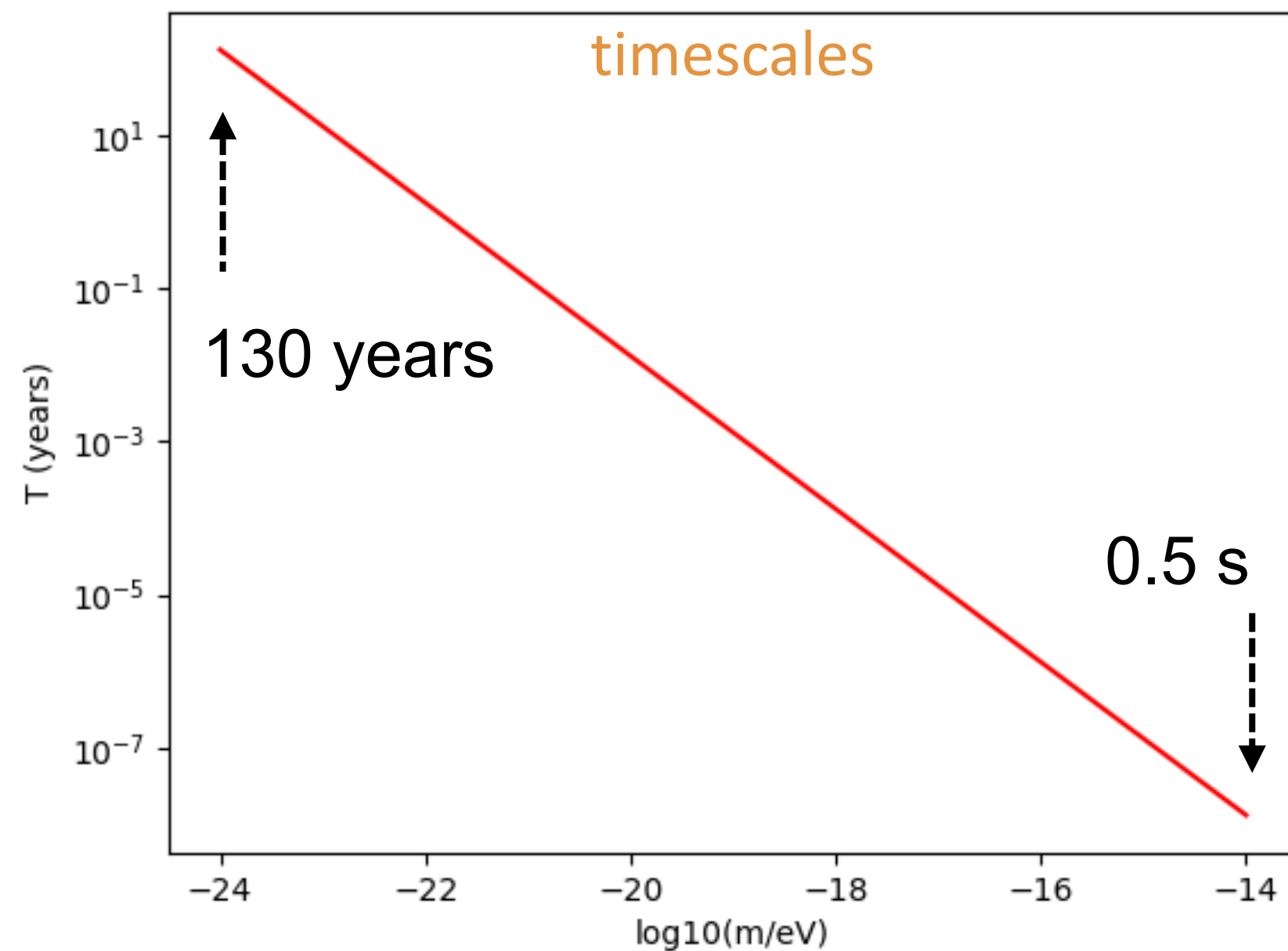
- Measure ratios of frequencies of two transitions ( $R = \nu_1 / \nu_2$ )
- So for  $\alpha$  and simple case of scalar field  $\phi$  and linear coupling, ratio oscillates with frequency  $f = m_\phi c^2 / h$

$$\begin{aligned} \frac{dR}{R} &= [K_{\alpha,1} - K_{\alpha,2}] \frac{d\alpha}{\alpha} \\ &= [K_{\alpha,1} - K_{\alpha,2}] \frac{\phi_0 \cos(m_\phi t)}{\Lambda} \end{aligned}$$

*Sensitivity estimates for  $\delta\alpha/\alpha$  for different clock transitions... similar for and  $\delta\mu/\mu$*

# Wave-like Dark Matter

- Dark Matter with clock experiments—oscillation timescales and wavelengths



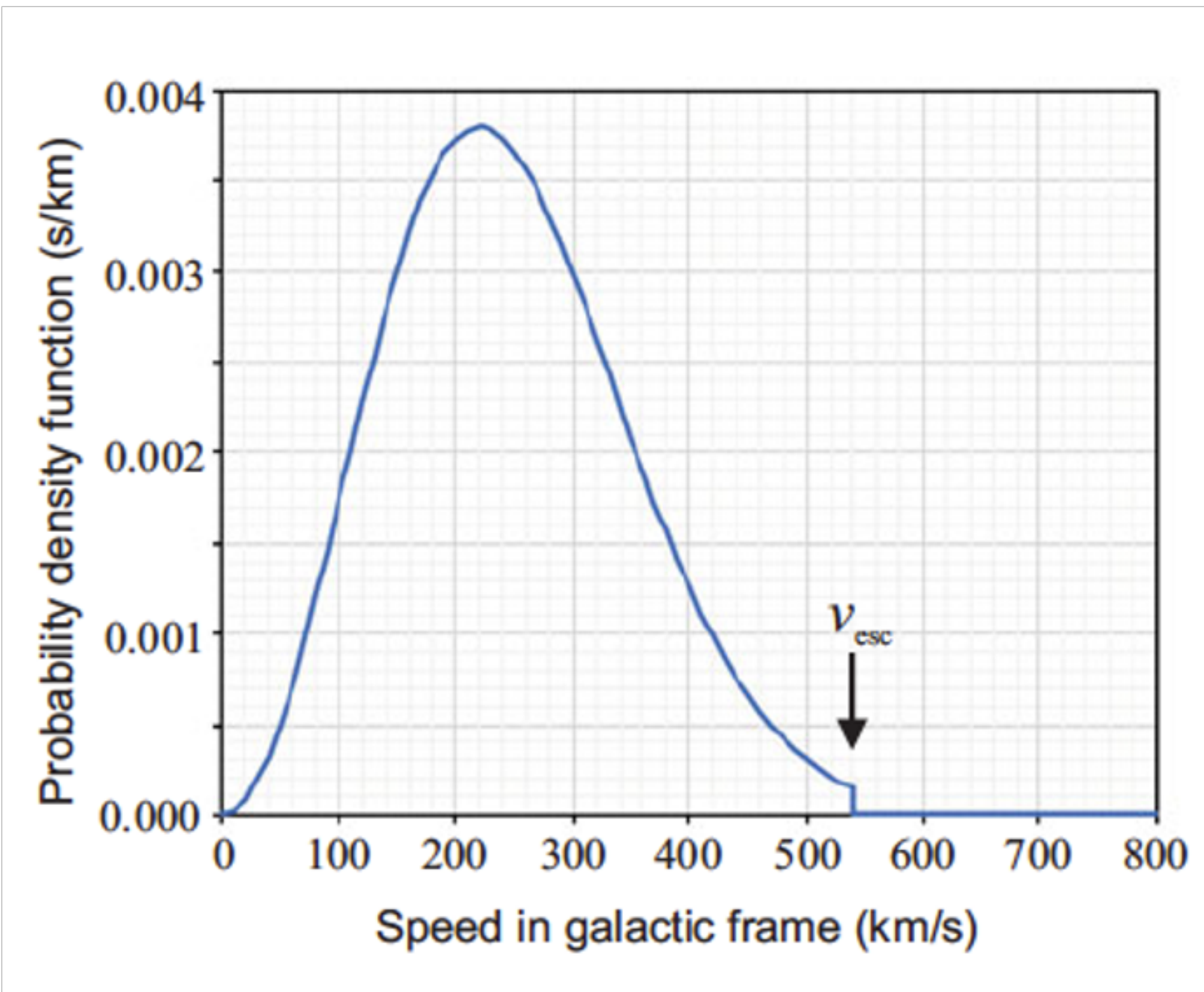
$$E = \hbar\omega = mc^2 = \frac{h}{T} \implies T = \frac{2\pi\hbar}{mc^2}$$

$$\lambda = \frac{h}{p}, \quad pc = \beta\gamma mc^2 \implies \lambda = \frac{2\pi\hbar c}{\beta\gamma mc^2}$$

- Below  $m \approx 10^{-21}$  eV, the long wavelength is in tension with the existence of astrophysical DM halos

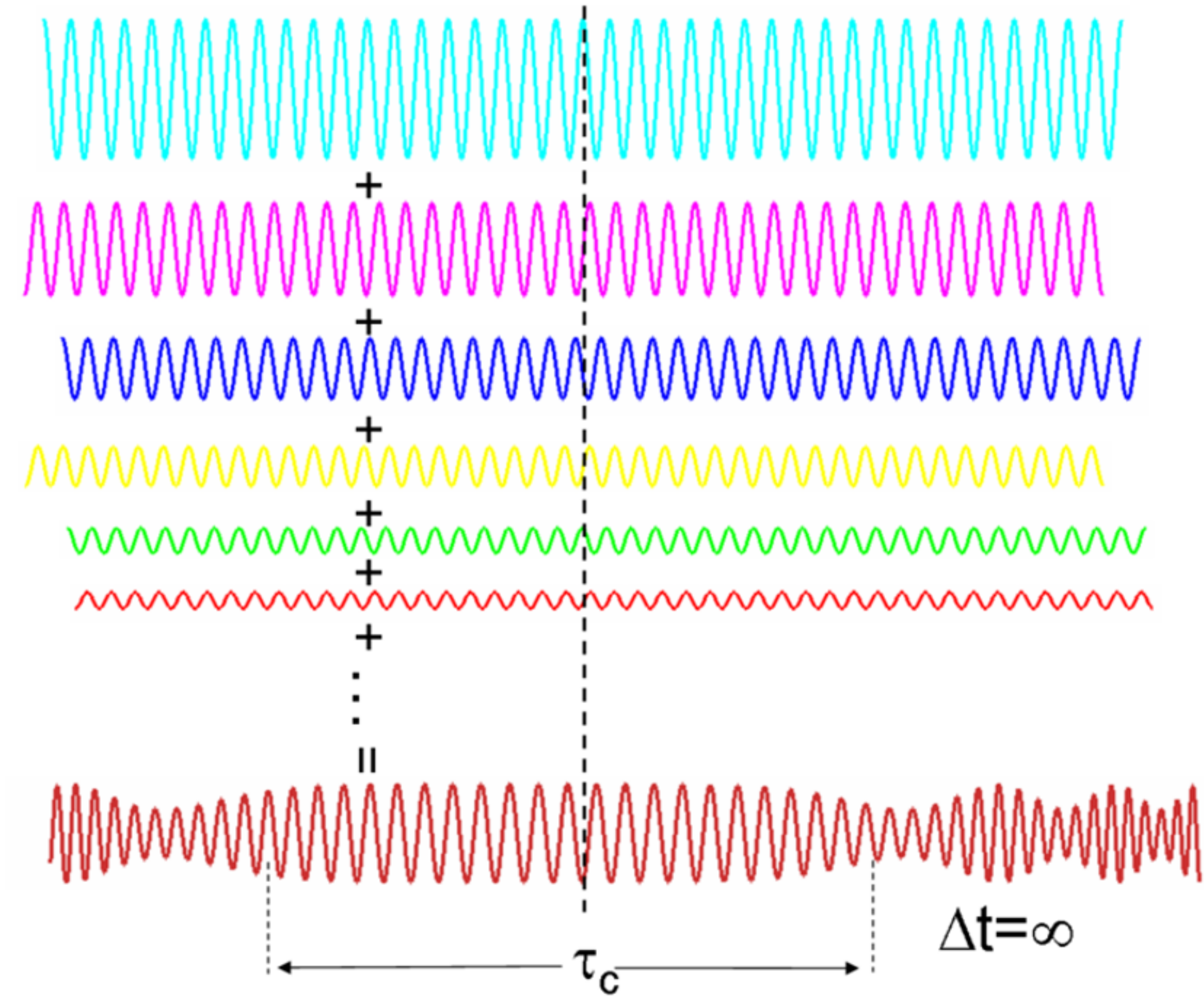
# Dark Matter and the Milky Way

- DM makes up most of the Milky Way mass, and density at the solar circle is  $0.3\text{-}0.4 \text{ GeV cm}^{-3}$
- Velocity dispersion is large, around  $300 \text{ km/s}$  (DM is virialised, not thermalised)
- Velocity distribution has cutoff at  $544 \text{ km/s}$
- Sun moves with  $220 \text{ km/s}$  toward constellation Cygnus
- Earth moves around Sun at  $\sim 30 \text{ km/s}$
- Mean velocity  $\approx$  velocity dispersion  $\approx 300 \text{ km/s} = 10^{-3} c$



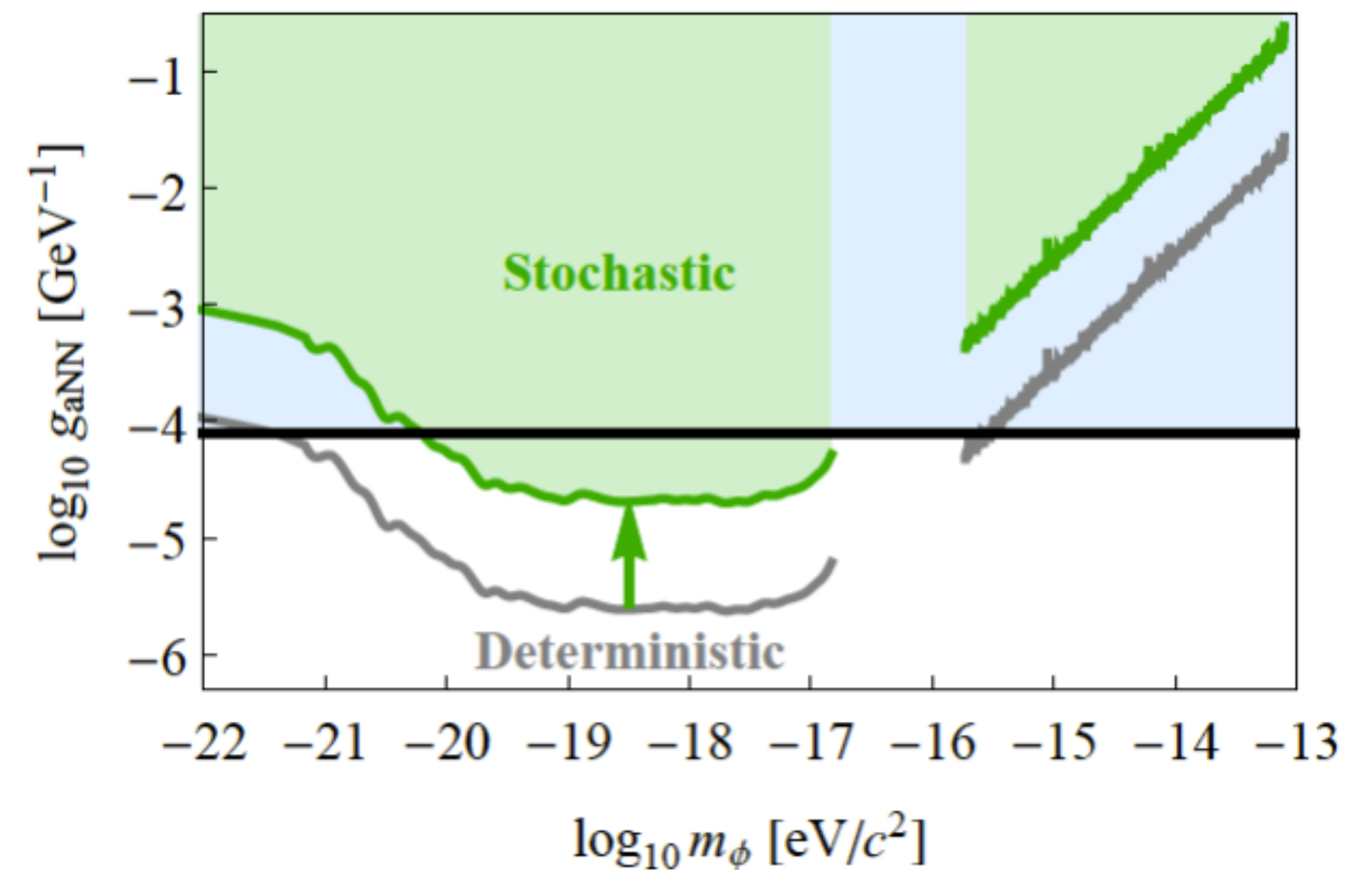
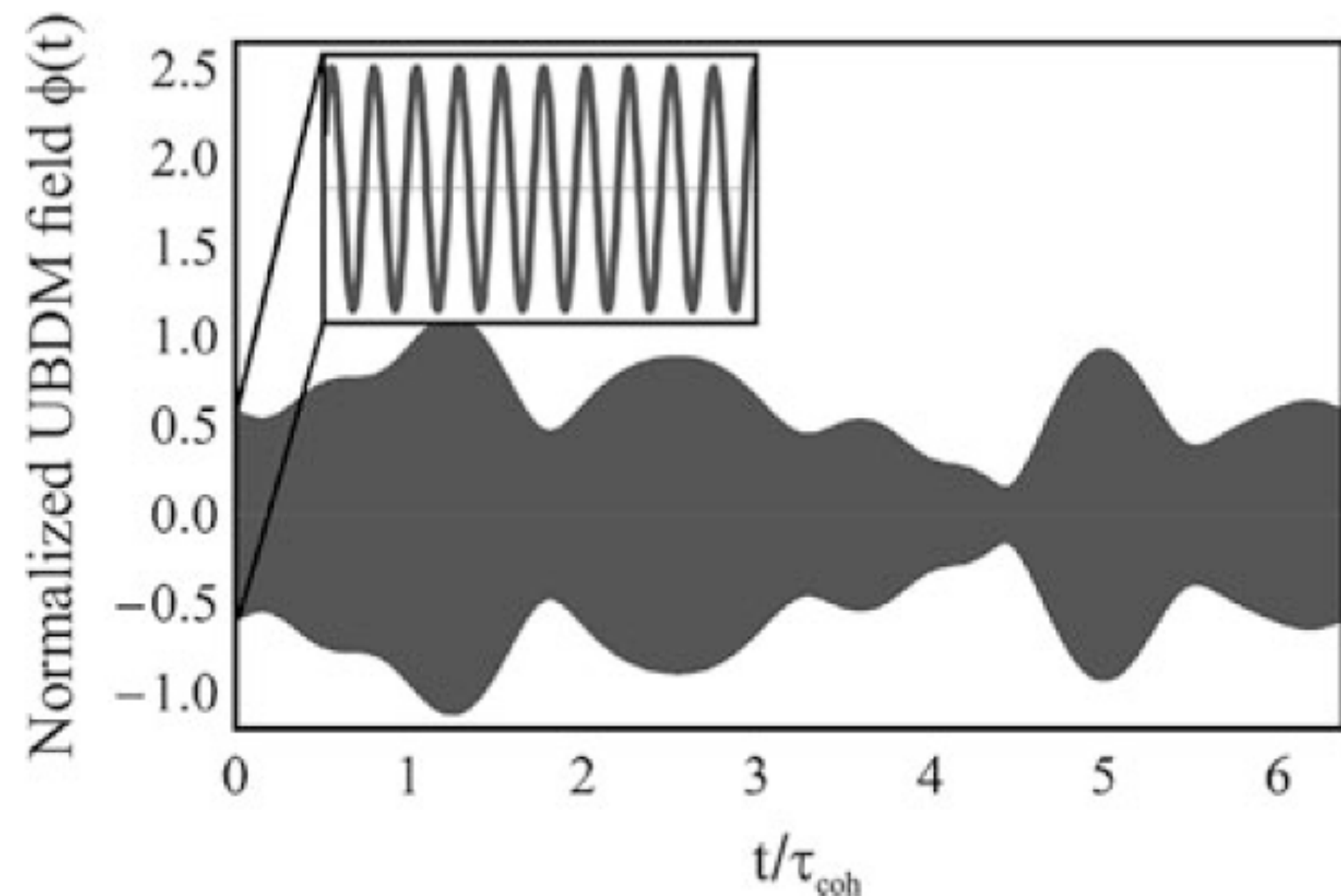
# Ultra-Light Dark Matter as Semi-Coherent Waves?

- Simple case: DM is coherent and frequency completely determined by mass (previous page)
- This picture is too simple... the frequency is also a function of velocity (Milky Way, local rest frame)
- The result is a superposition of DM waves and a time dependence
- Amplitude of DM signal only approx. constant within coherence time  $\tau_c$



# Dark Matter Coherence Time vs $T_{\text{data}}$

- Field amplitude varies stochastically with time
- For  $T_{\text{data}} < \tau_c$ : oscillation occurs at same frequency, but field amplitude not same as average DM density
- For  $T_{\text{data}} > \tau_c$ : assumption of a single frequency fails, but the amplitude is given by the average DM density
- Impact on clock experiments: Limits are weakened by about a factor of 3-10



# Data Analysis Challenge

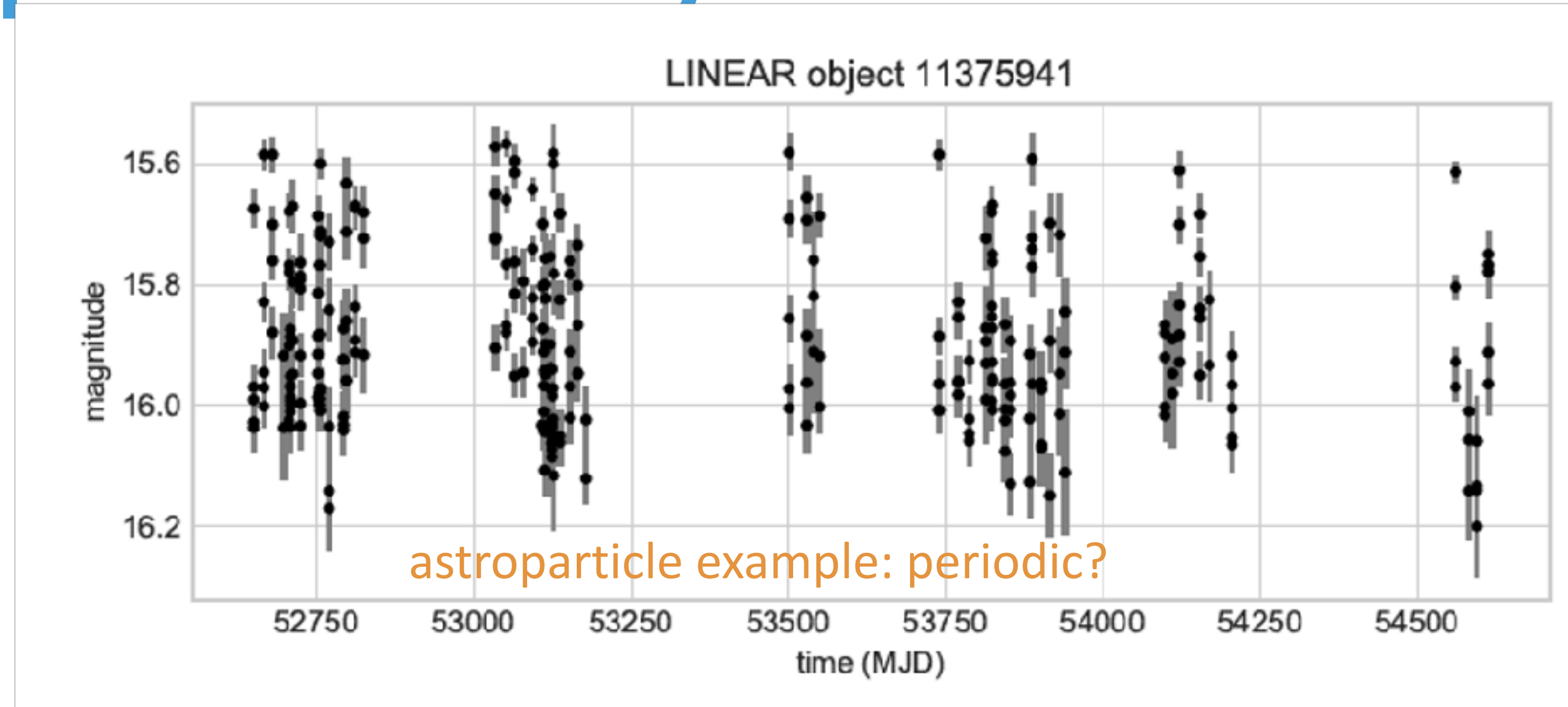
- One frequency ratio  $R$  measurement per s for  $\mathcal{O}(1 \text{ year})$ , i.e.  $3 \times 10^7$  data points  $\rightarrow$  time series analysis
- We can estimate the error on  $dR/R$  by adding in quadrature the fractional frequency error for the two clocks (each with e.g. probe time 1 s)
- Ultimately, we would like to measure/limit the signal frequency (thus  $m_\phi$ ) and also  $\Lambda$

$$\frac{dR}{R} = [K_{\alpha,1} - K_{\alpha,2}] \frac{\phi_0 \cos(m_\phi t)}{\Lambda}$$

- *The challenge:*
- Limited time steps: discrete ( $\sim 1$ s) data points
- Limited resolution: can't say anything about periods much smaller than 1s
- Irregular gaps in data-taking periods
- Assumptions/model dependence/systematic errors in  $K_{\alpha,1}$ ,  $K_{\alpha,2}$ ,  $\phi_0$ , relation to  $\Lambda$

# Fourier Transform and Power Spectral Density

- There are many techniques to identify periodicity
- Signal is often folded/convolved with a windowing function resulting from experimental constraints
- Suitable analysis method depends on many factors (frequency known or not, phase known or not, cadence of observations)
- Our case: frequency unknown, but relatively high uptime and regularly spaced measurements



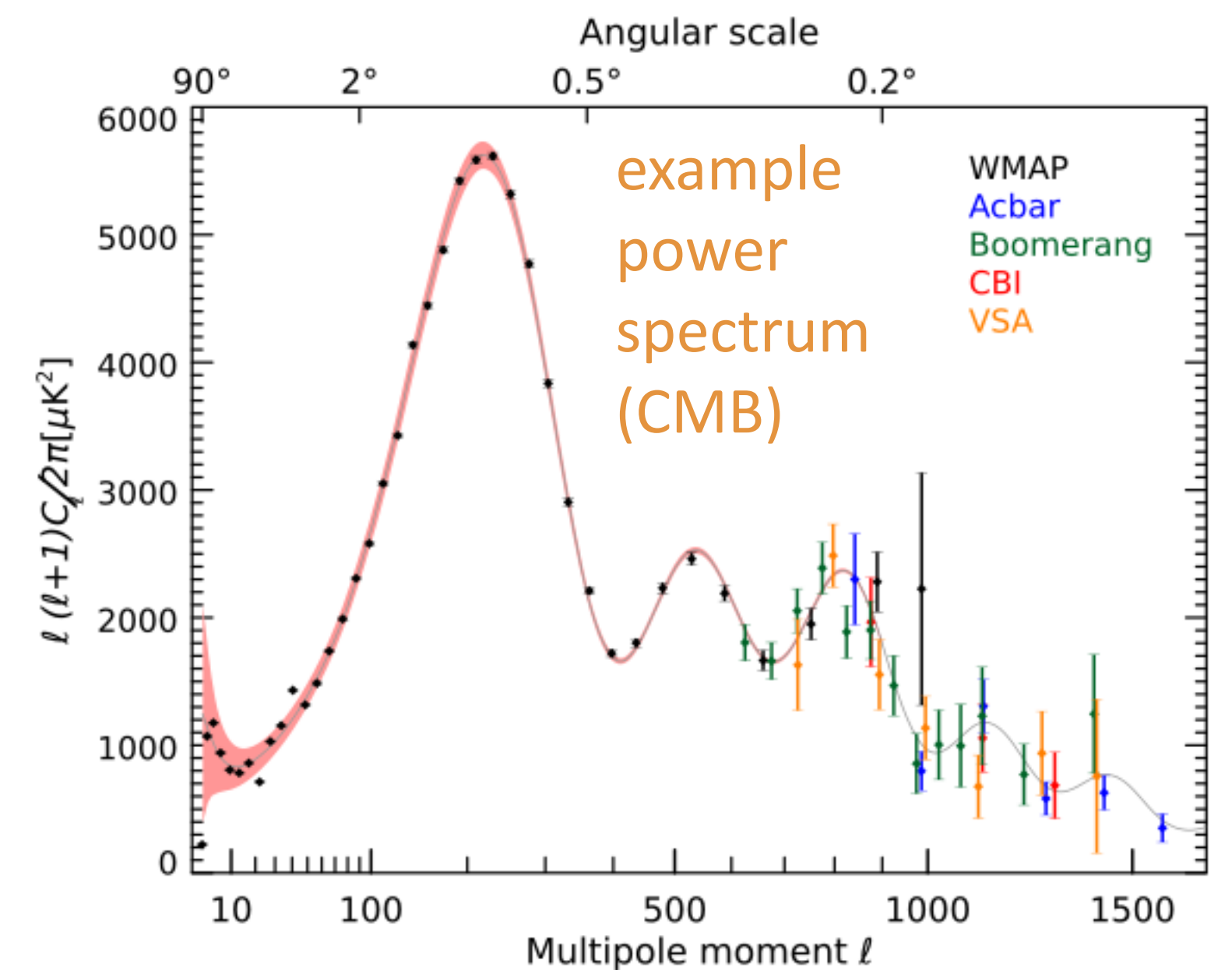
$$\frac{dR}{R} \propto A \cos(\omega t + \phi) = g(t)$$

$$F(\omega) = \int_{-\infty}^{+\infty} g(t) e^{-i\omega t} dt$$

Fourier transform

$$P(\omega) = \lim_{T \rightarrow \infty} \frac{1}{T} |F(\omega)|^2$$

power spectral density



# Periodogram and Lomb-Scargle

- Periodogram: serves as an estimate of the power spectral density for the case of discrete data
- A periodogram is useful for finding the dominant periods (or frequencies) of a fixed-interval time series
- Lomb-Scargle Periodogram developed for cases where the sampling is irregular

$$P(\omega) = \lim_{T \rightarrow \infty} \frac{1}{T} |F(\omega)|^2 = \lim_{T \rightarrow \infty} \frac{1}{T} \left( \int g \sin \omega t dt \right)^2 + \left( \int g \cos \omega t dt \right)^2$$

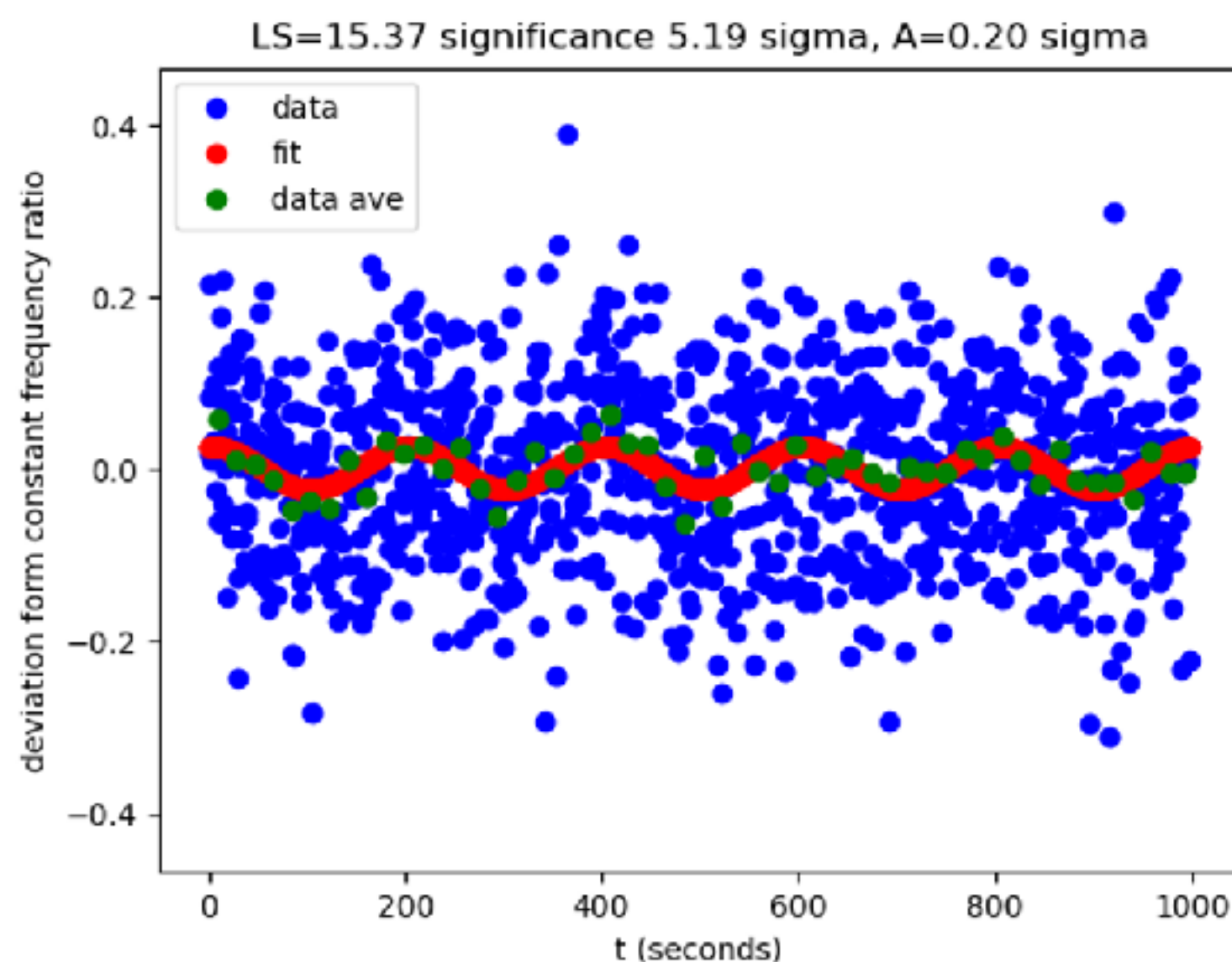
power spectral density

$$\frac{1}{N} \left\{ \left( \sum g_n \cos(\omega t_n) \right)^2 + \left( \sum g_n \sin(\omega t_n) \right)^2 \right\}$$

classic periodogram

$$\frac{B_1^2}{2} \left( \sum g_n \cos(\omega(t_n - \tau)) \right)^2 + \frac{B_2^2}{2} \left( \sum g_n \sin(\omega(t_n - \tau)) \right)^2$$

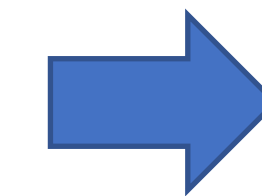
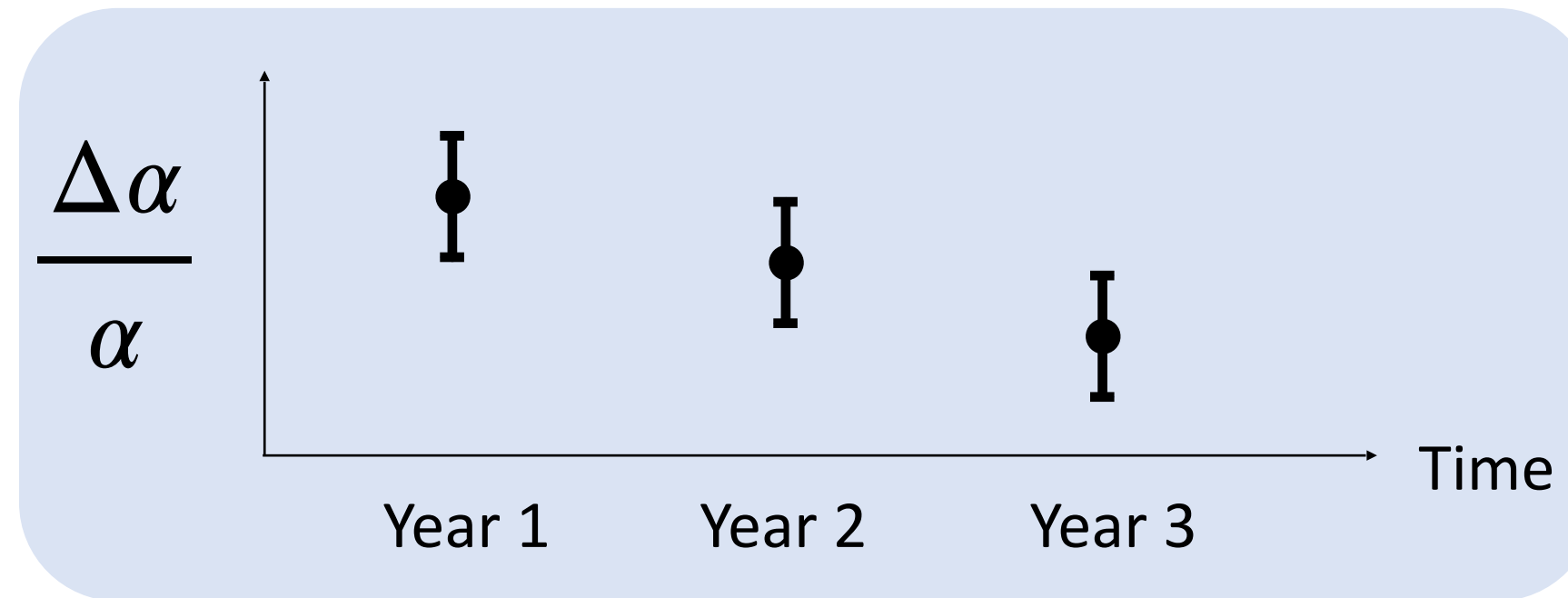
Lomb-Scargle periodogram



Simulation w/ Lomb-Scargle fit (red)  
1 Hz sampling,  $\sigma=0.1$ ,  $N=10^3$ ,  $T=200$  s

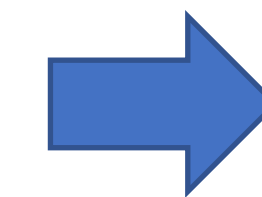
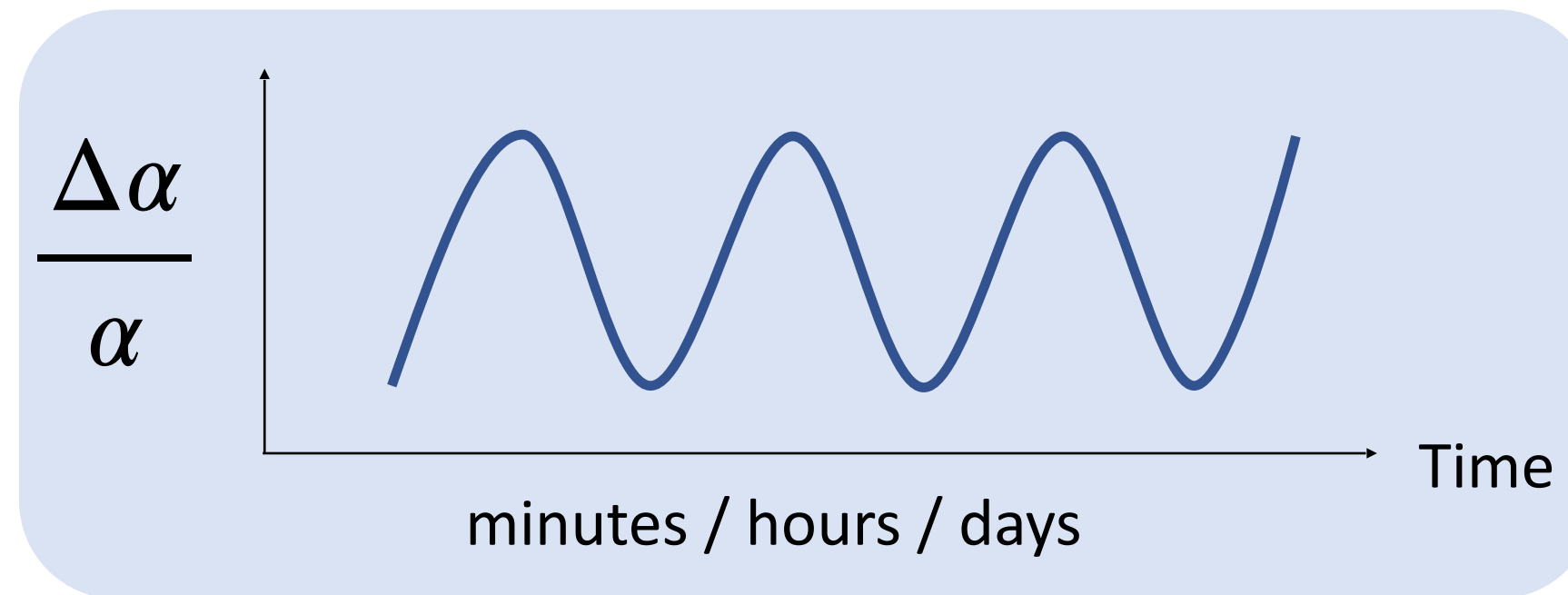
# Clock-based Search for $\alpha$ Variations at Different Timescales

- Slow drifts



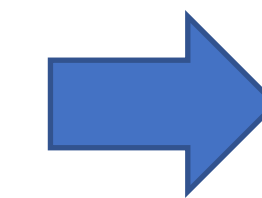
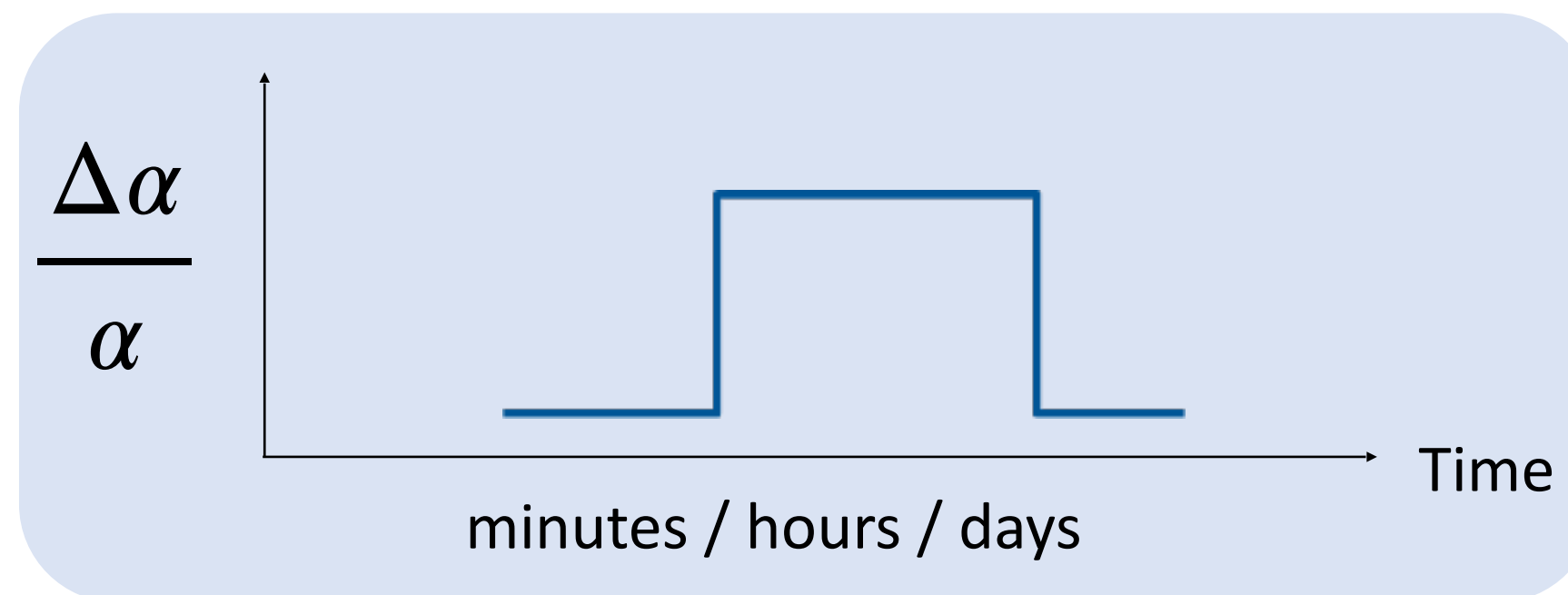
New physics

- Oscillations



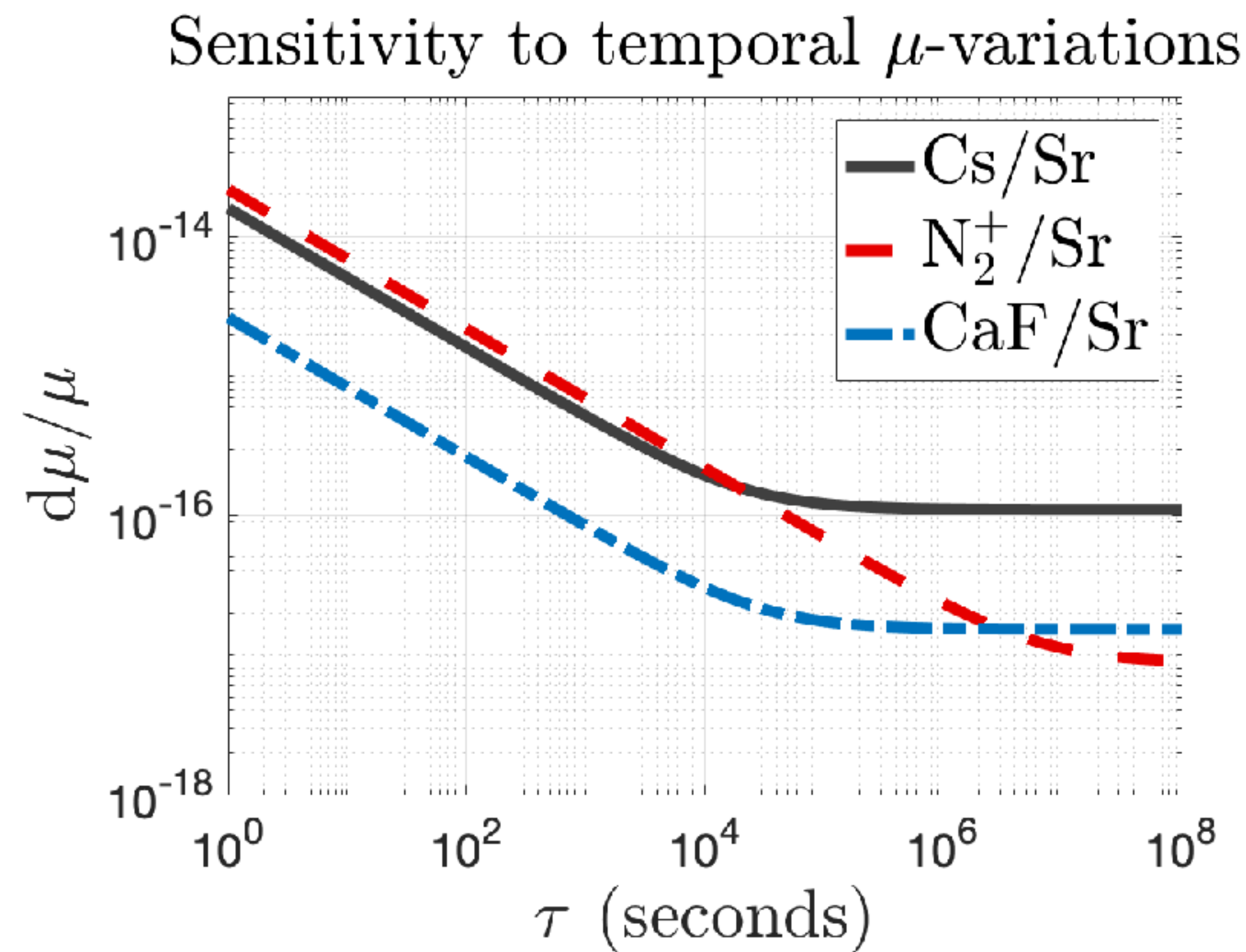
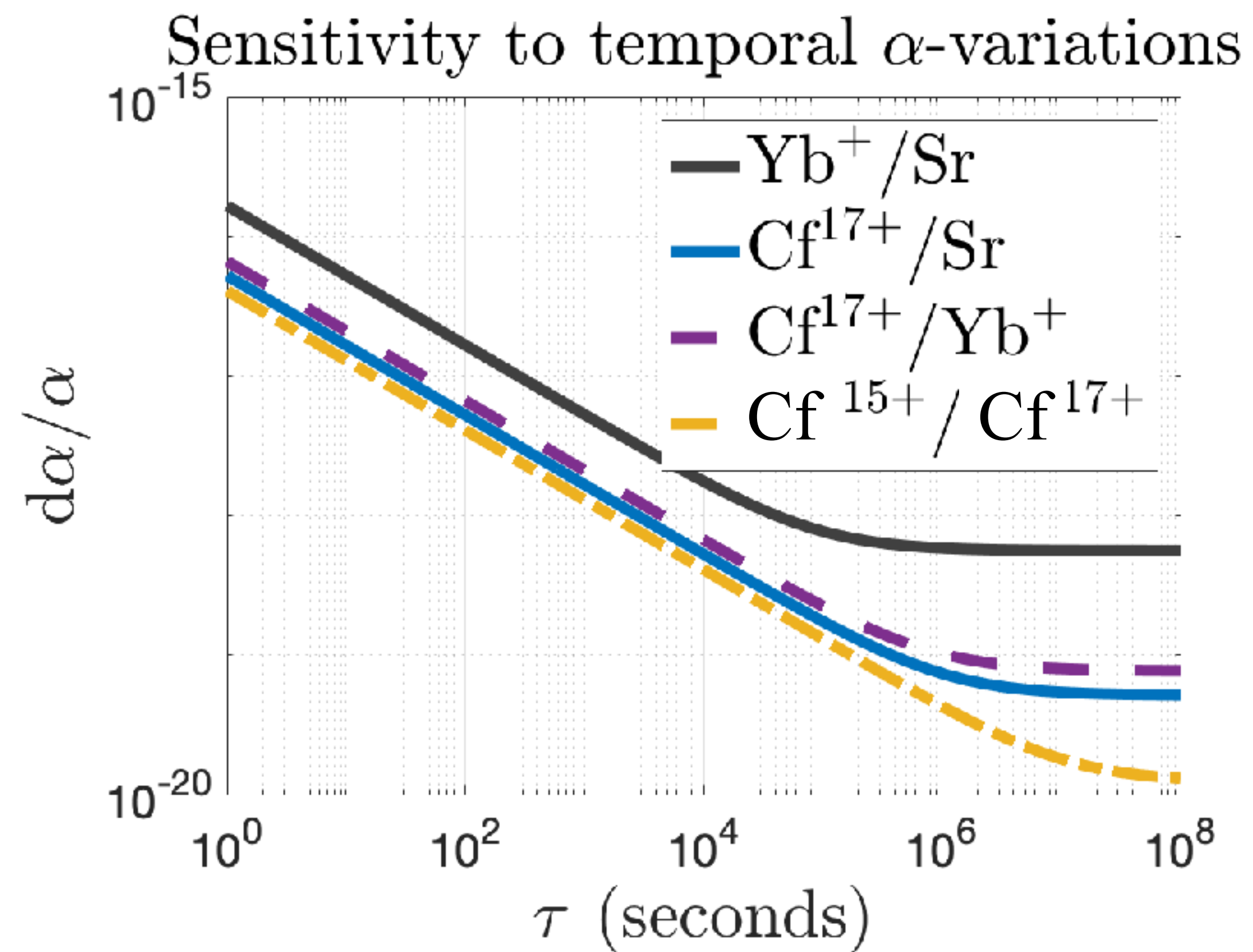
Very light dark matter

- Fast transients

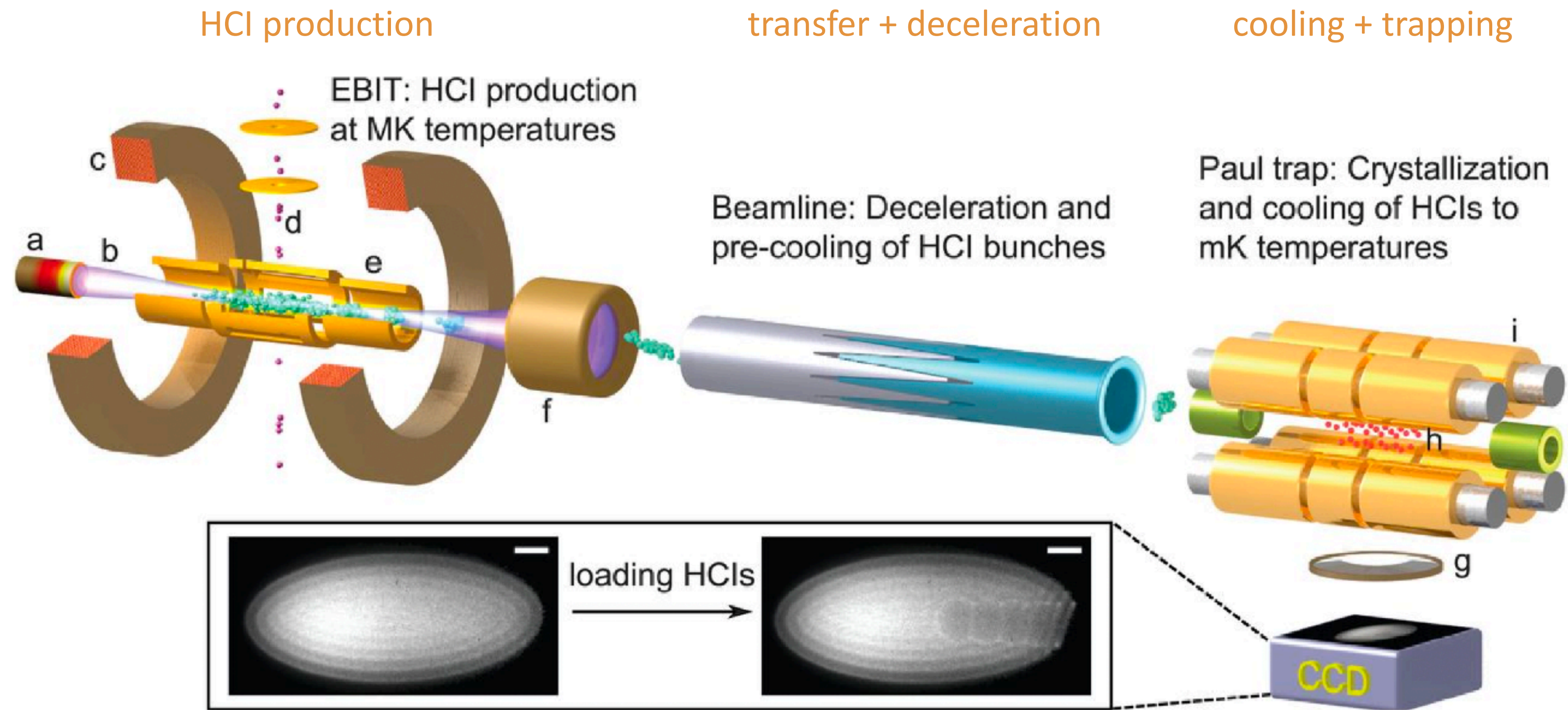


Dark matter, topological defects

# Sensitivities to Temporal Variations of $\alpha, \mu$

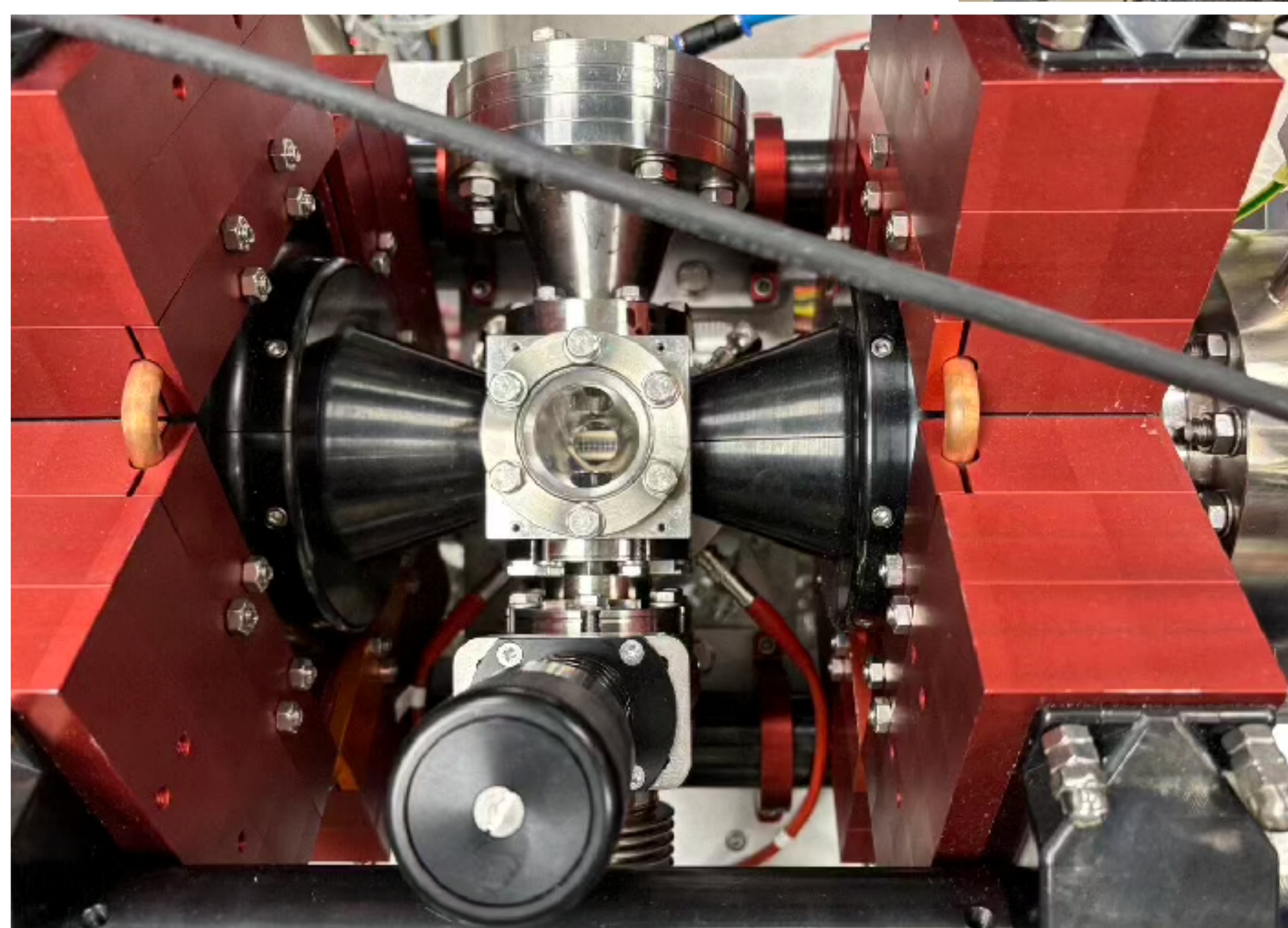
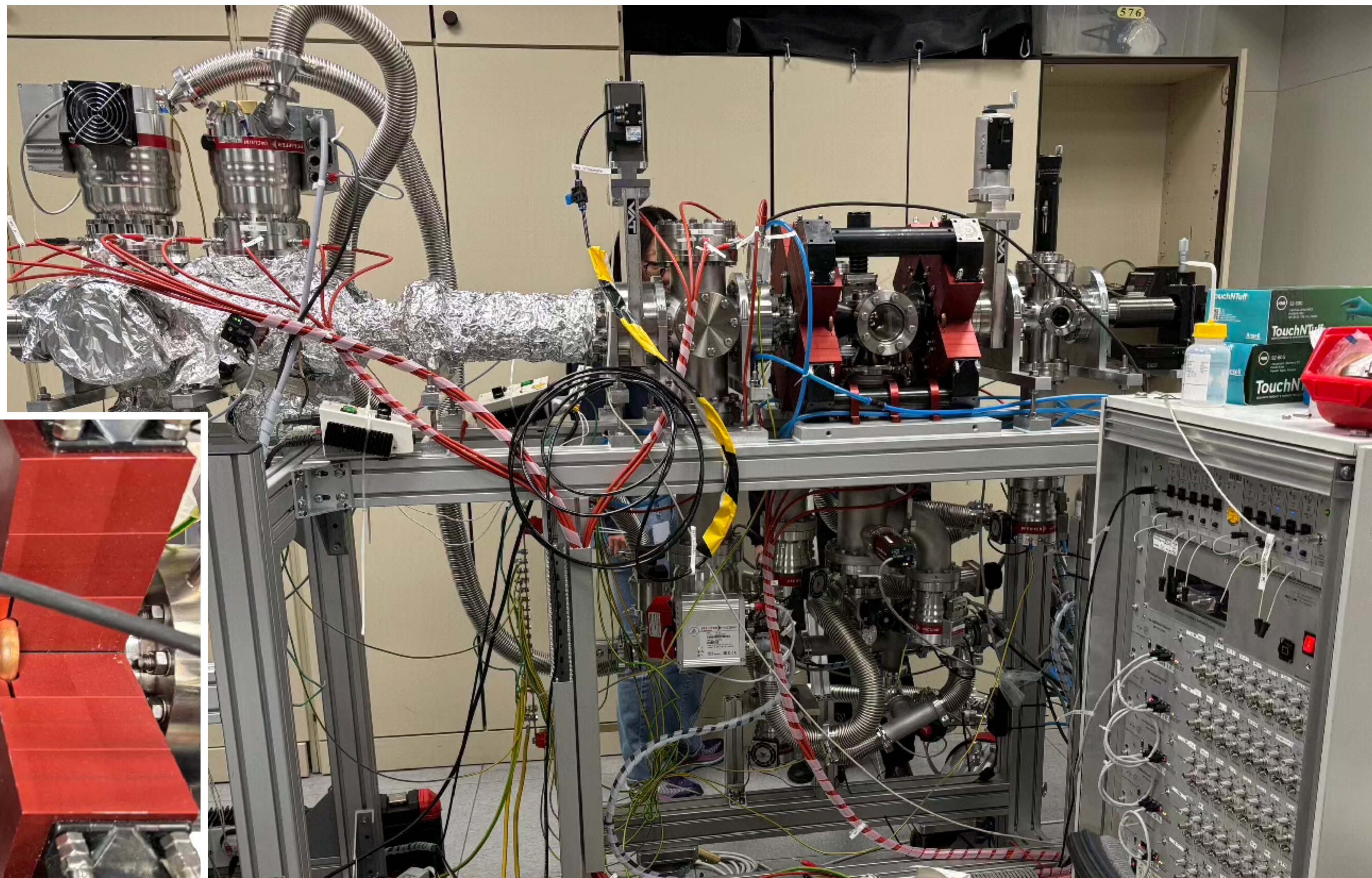


# Highly Charged Ions: Production, Cooling and Trapping



- EBIT: Electron Beam Ion Trap (used as a source of HCI)
- HCI bunches are loaded into a linear Paul Trap on demand (HCI lifetimes can be hours)
- Laser and Sympathetic Cooling e.g. with  $\text{Be}^+$ ,  $\text{Ca}^+$  (lots of lasers for cooling/preparation/readout)

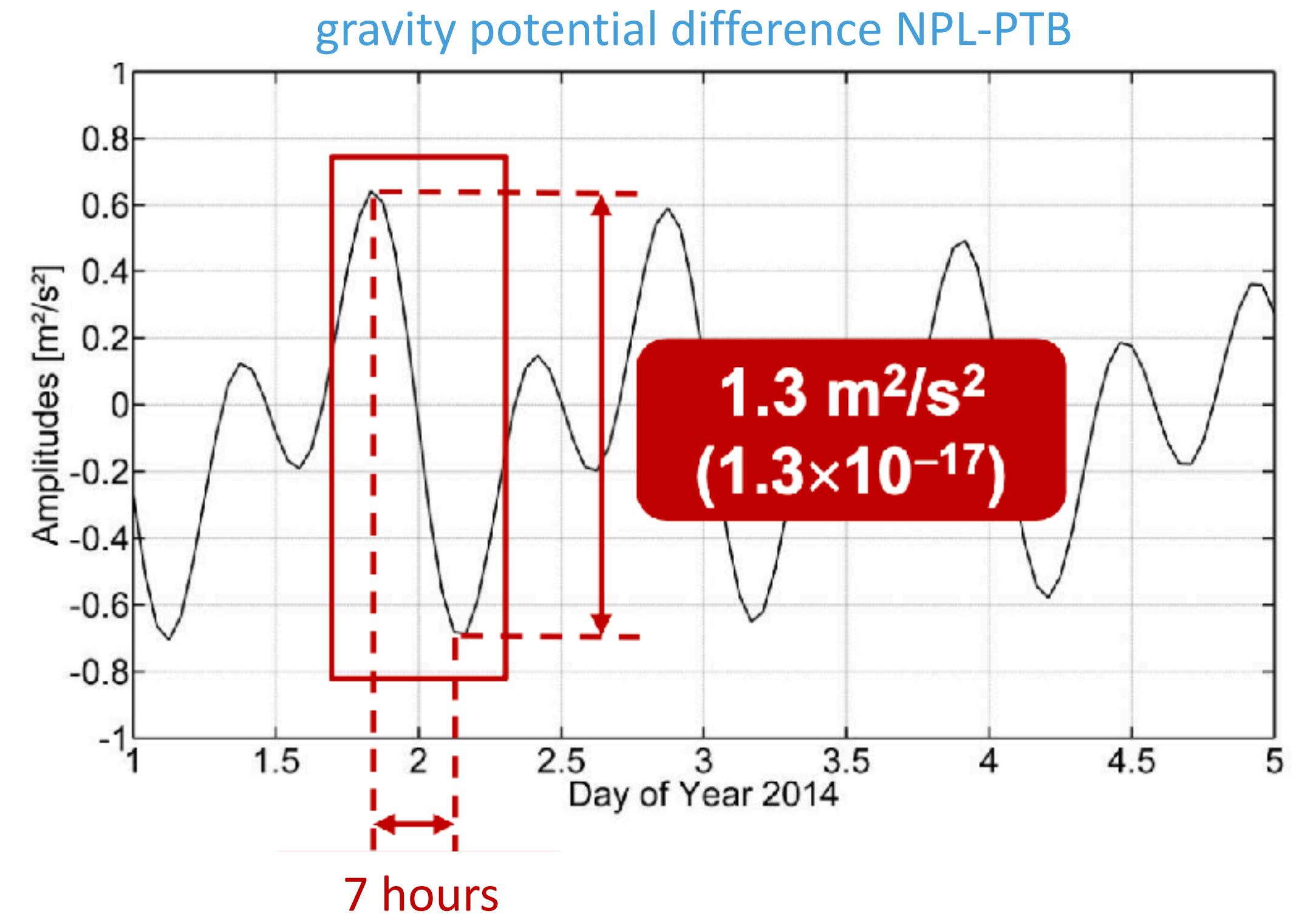
# TIQTOC: Trapped Ion Quantum Test Of fundamental Constants



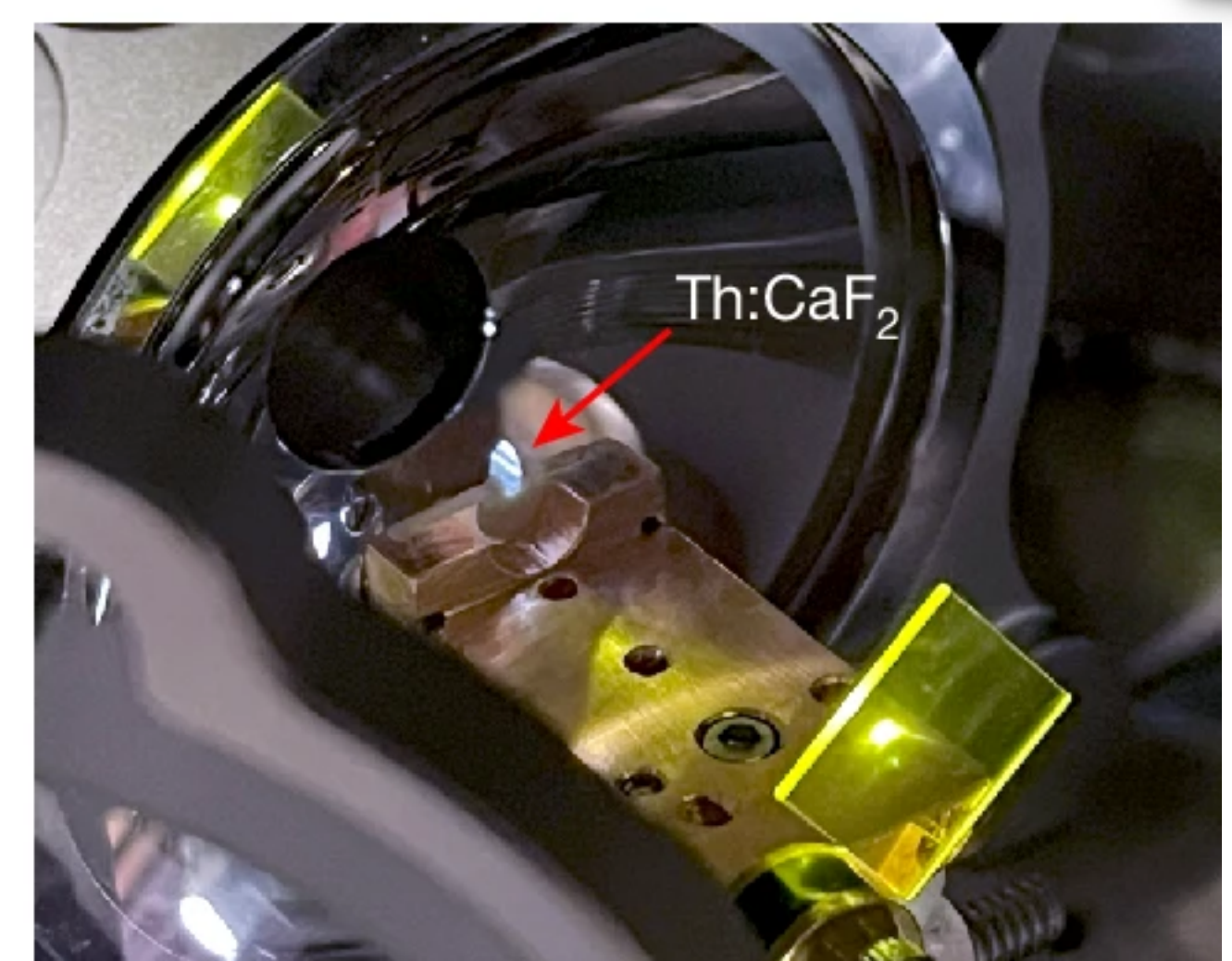
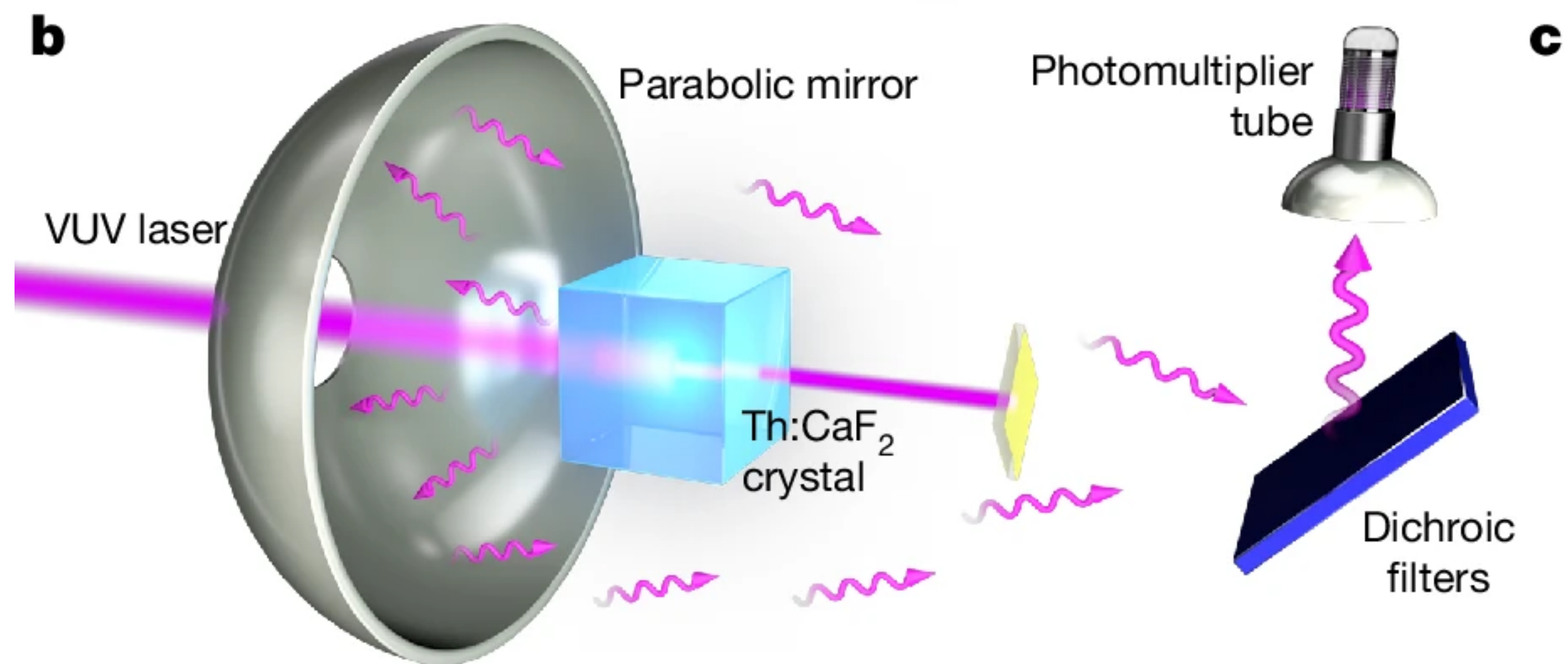
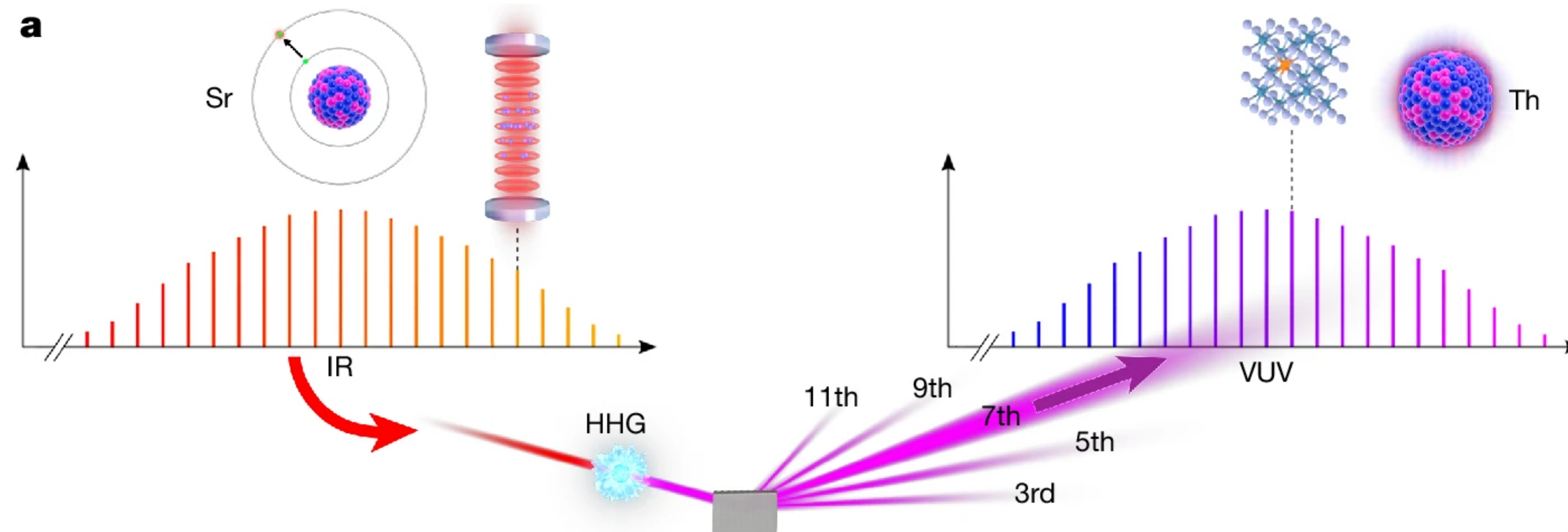


# Clock Networks and Fast Transients

- NPL-SYRTE-PTB demonstrated an optical clock network with dark fibres
- Comparing clocks with different sensitivities to variations of  $\alpha$
- Clock-clock comparisons over optical fibres features excellent long-term stability
- Previously unconstrained parameter space for quadratic coupling



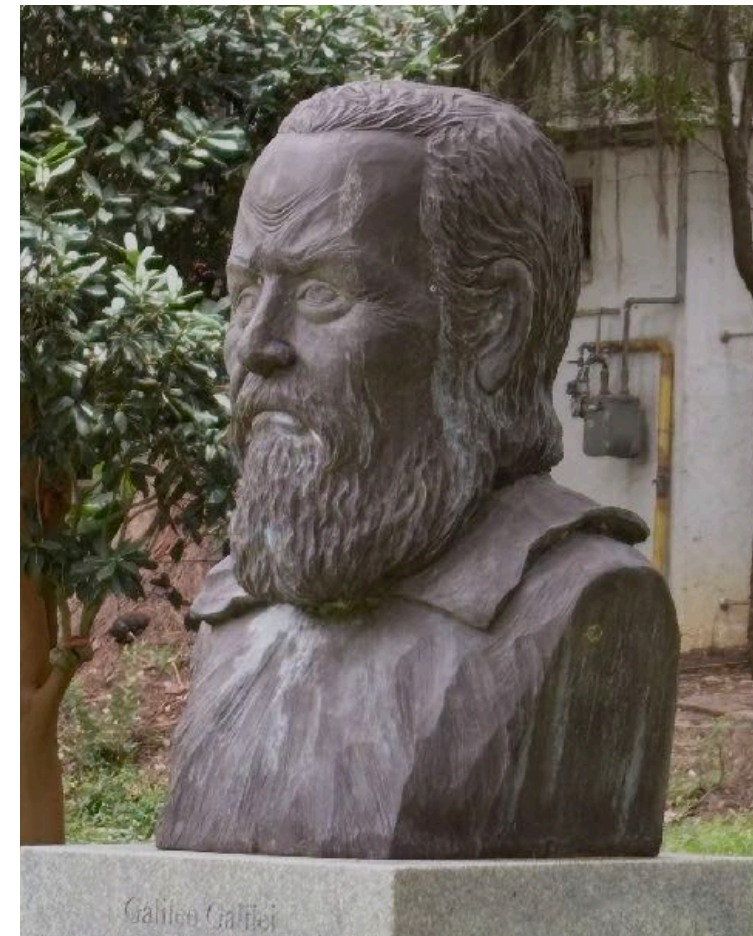
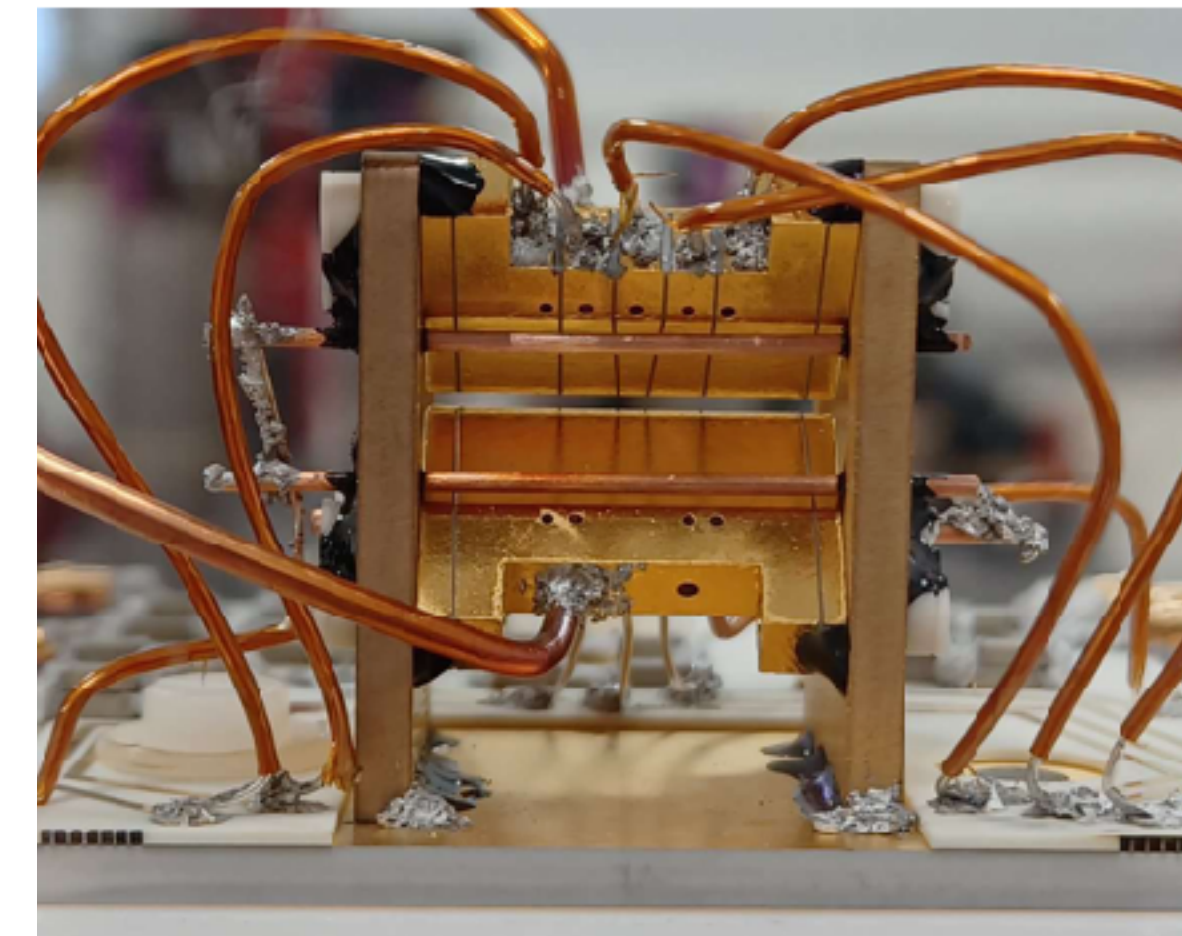
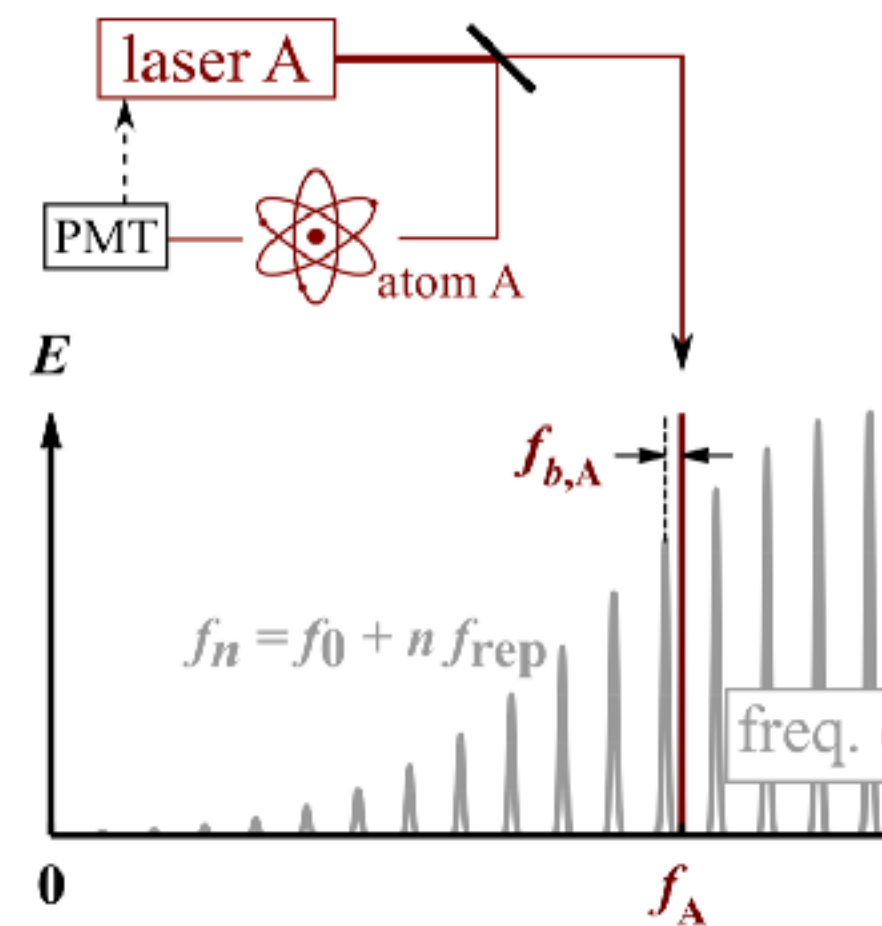
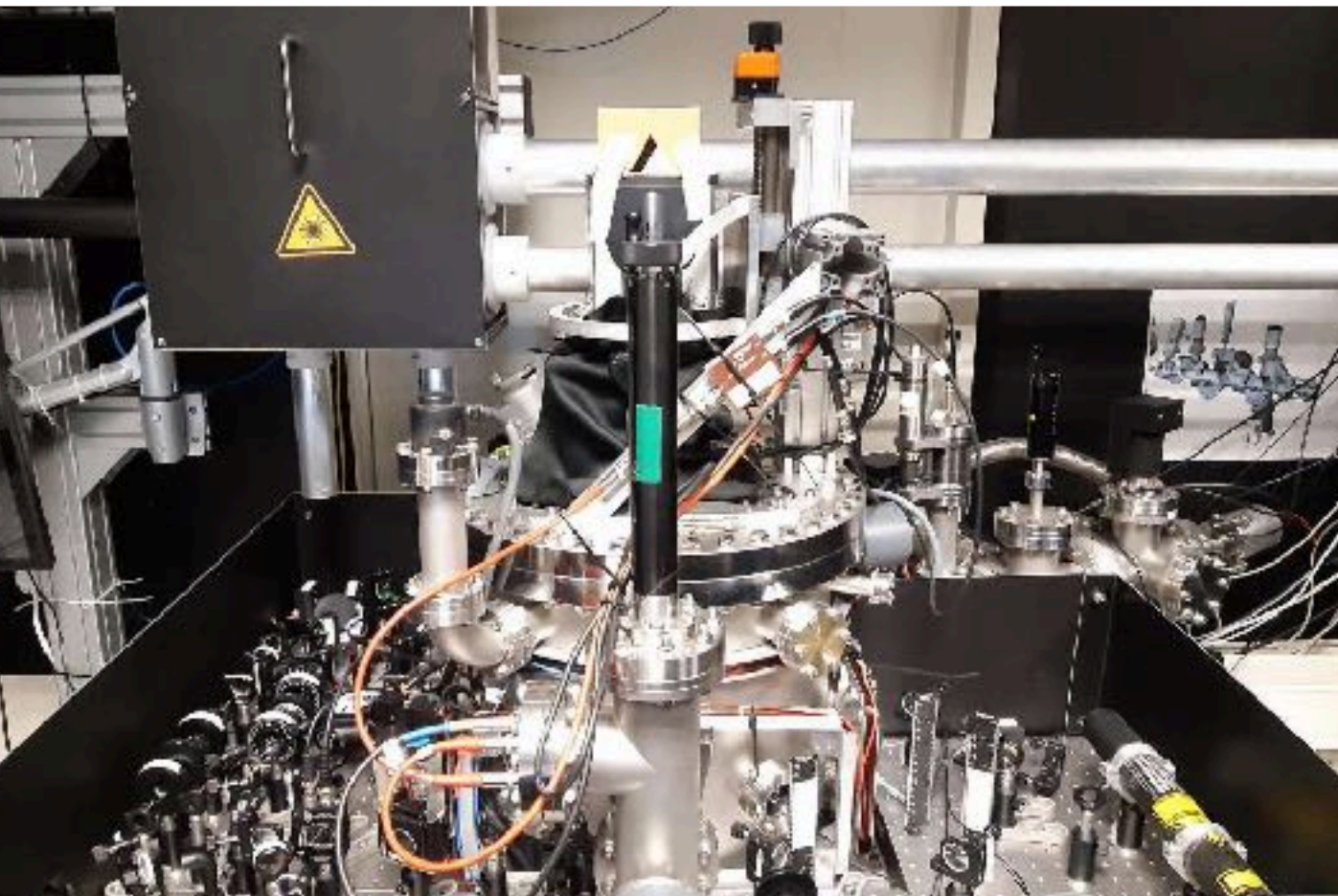
# $^{229m}\text{Th}$ Thorium Clock

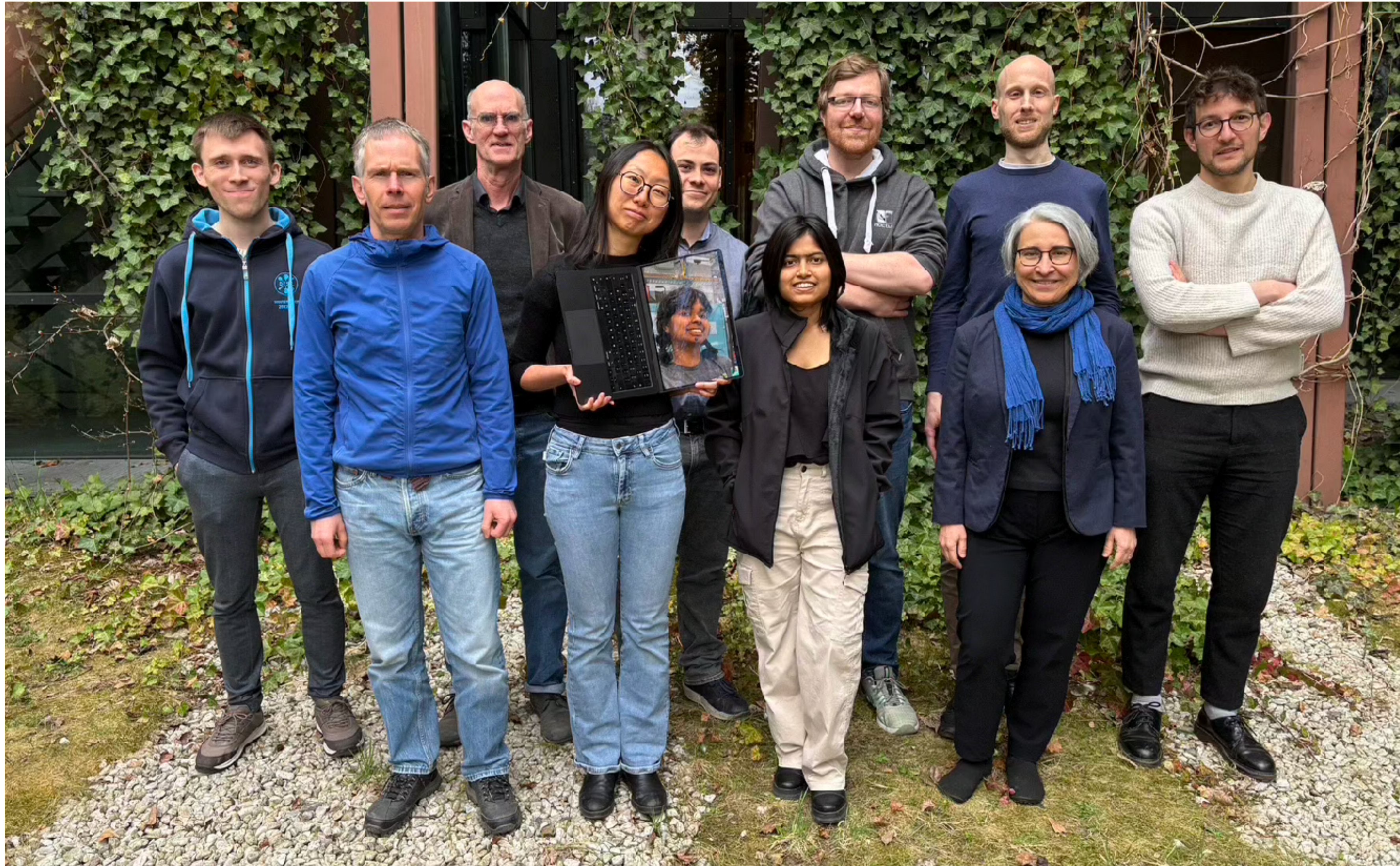


*Nuclear clocks are here!*

# Conclusions

- Optical Atomic Clocks are some of the most sensitive instruments available
- Fantastic testbed for all sorts of new physics, for example ultra-light dark matter
- Lots of new ideas to follow and new innovations... new clocks, networks, and opportunities!





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